

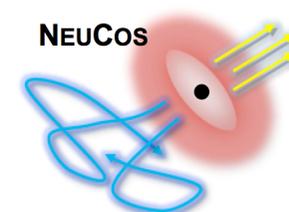
Multimessenger astrophysics

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Astroteilchenschule 2016
Obertrubach-Bärnfels

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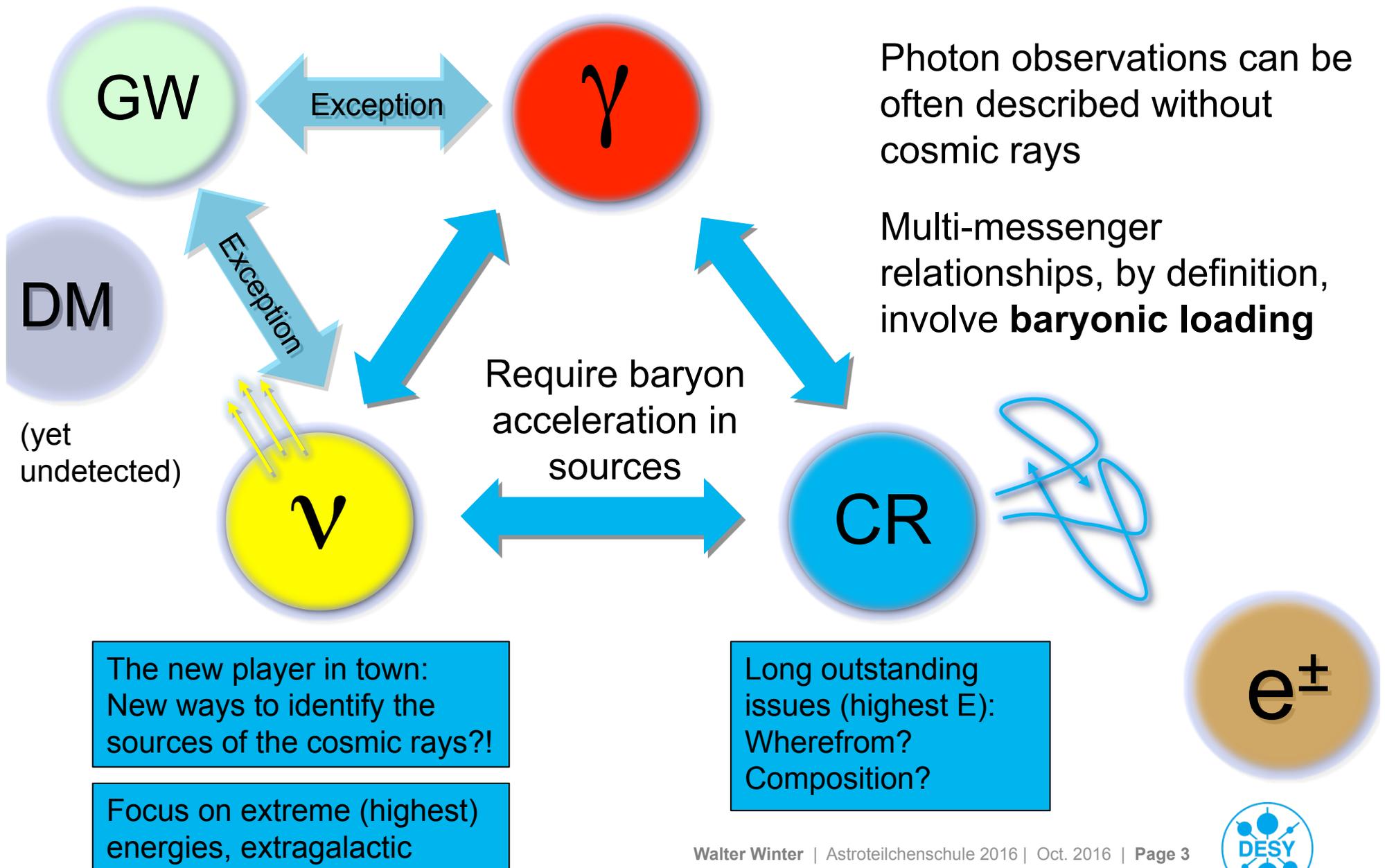


What is “multimessenger” astrophysics?

- > A buzzword describing any kind of analysis including more than one messenger?
- > A fashion concept, or a truly fundamental philosophy?
- > Typically used in approaches involving at least two of the three messengers cosmic rays, neutrinos, gamma-rays
- > But: lately also used in the context of follow-up analyses on gravitational waves for different messengers
- > Sometimes mis-used instead of the word “multi-wavelength”?
- > Multi-messenger astronomy = correlate signals from multiple-messengers?
- > Multi-messenger astrophysics = What are the fundamental concepts describing the emitters of multiple messengers?



“Multimessenger astrophysics”, definition for these lectures



Contents

Lecture 1

- Particle astrophysics of hadronic sources (basic concepts)
- Radiation models (blackboard)
- Meet the messengers:



DISCLAIMER:
Apologies if specific experiments or theoretical results are not mentioned. It is impossible to review this subject completely.

Lecture 2

- Photons
- Cosmic rays
- Neutrinos
- Gravitational waves

Relevant for exercises



- Examples for generic multi-messenger approaches

- Describing interactions (blackboard)



Lecture 3

- Challenges for multi-messenger approaches
- Energetics of sources (blackboard)
- How to address the key challenges; example: GRBs



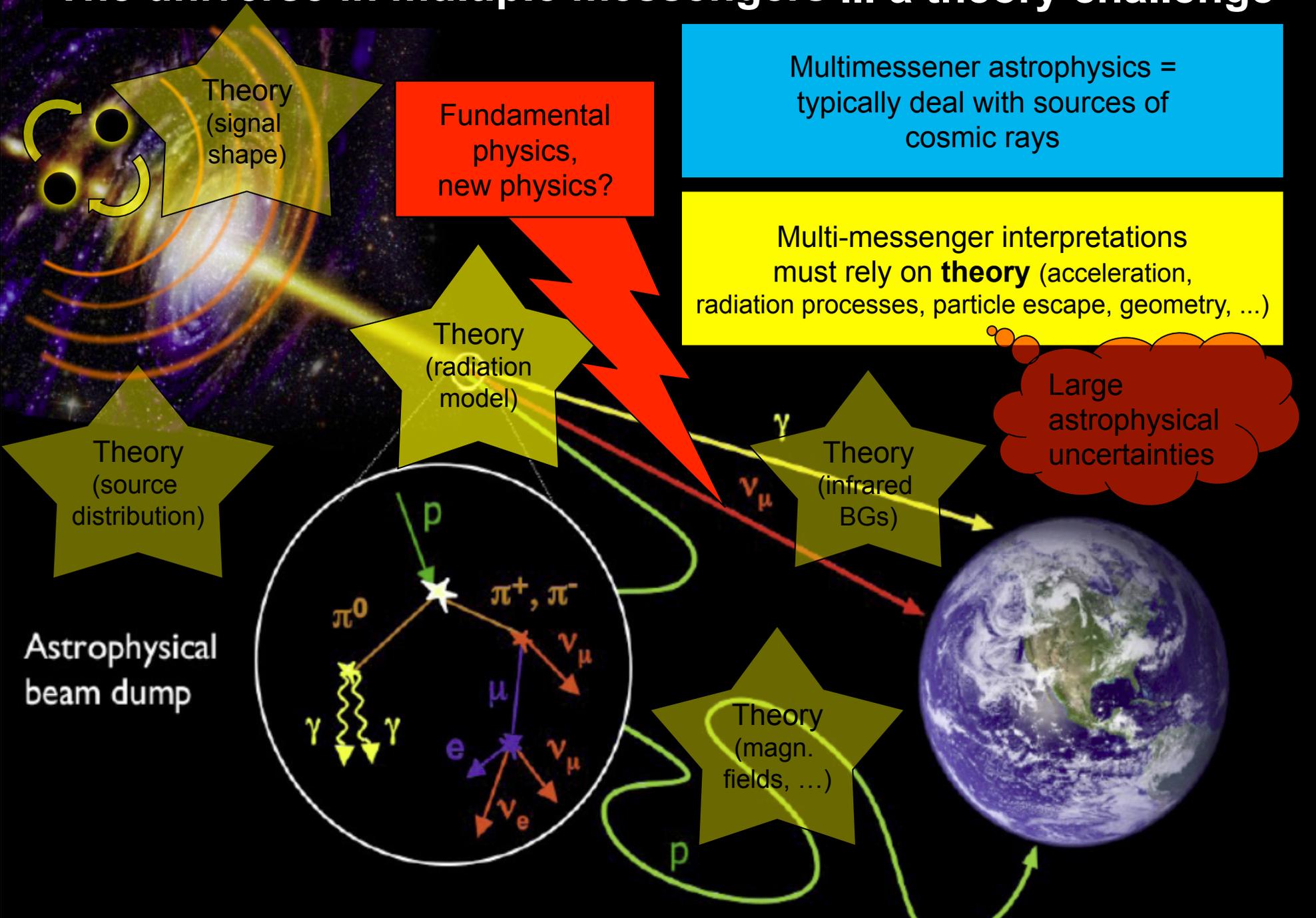
← Incl. special feature: stacking analyses



Astroparticle physics of hadronic sources

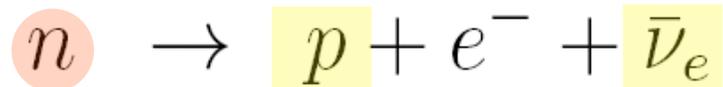


The universe in multiple messengers ... a theory challenge

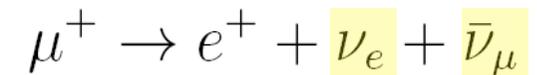
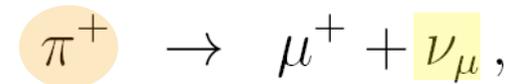


A simple toy model for the source

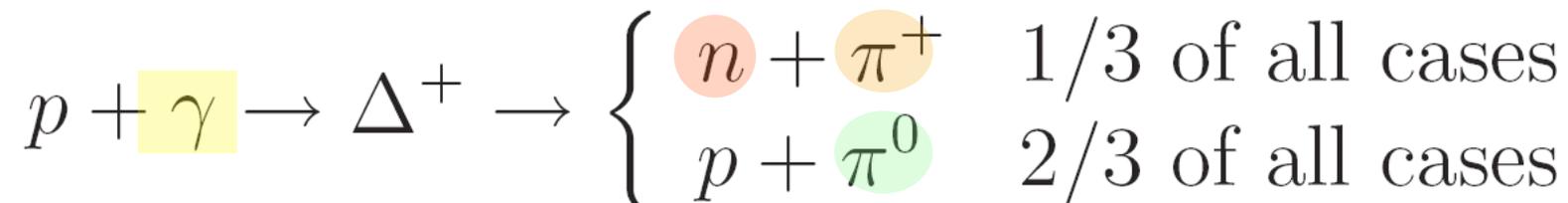
If neutrons can escape:
Source of cosmic rays



Neutrinos produced in
ratio $(\nu_e:\nu_\mu:\nu_\tau)=(1:2:0)$



Delta resonance approximation:



Cosmic messengers



High energetic gamma-rays;
typically cascade down to lower E
Additional constraints!

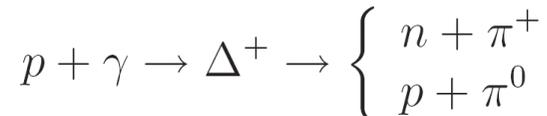
(Same process during propagation of cosmic rays in CMB: “cosmogenic neutrinos”)

Typical hadronic radiation processes



> Nucleons (protons, neutrons)

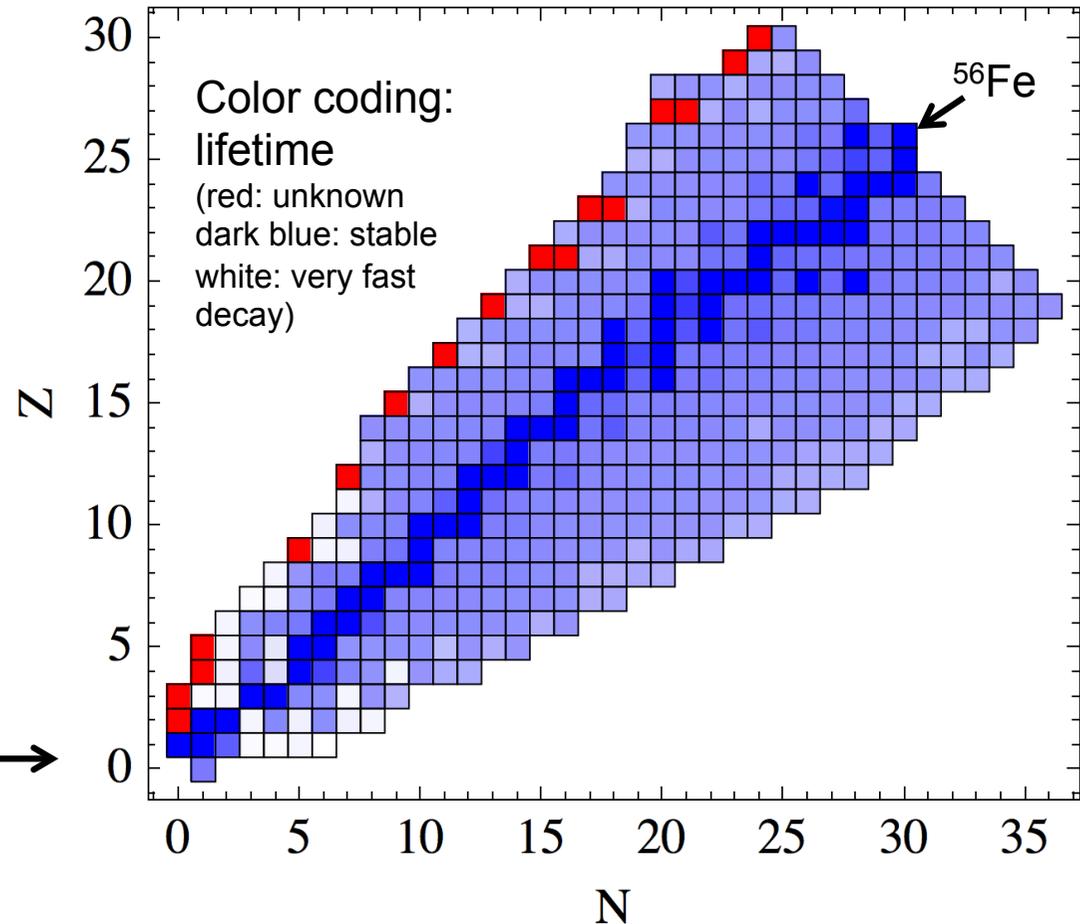
- Photo-meson production, e.g.



- $p\gamma \rightarrow pe^+e^-$ pair production
- pp collisions
- Beta decay (neutrons)

> Heavy nuclei

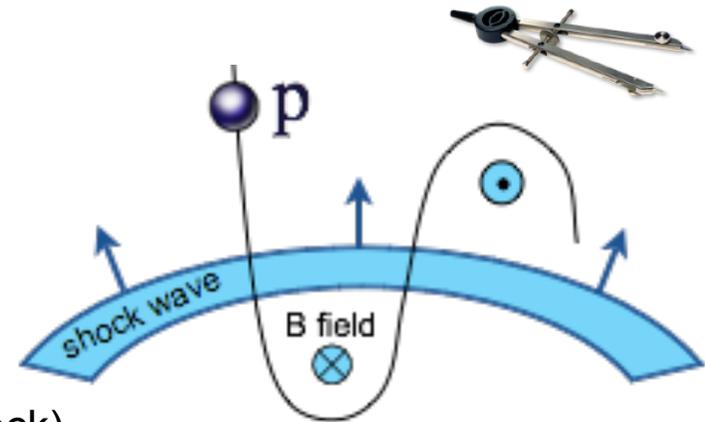
- Photo-disintegration (produces unstable isotopes)
- Photo-meson production
- Beta decay (typically blue), Spontaneous emission of nucleons (most extreme: white)
- $A\gamma \rightarrow Ae^+e^-$ pair production
- Ap collisions



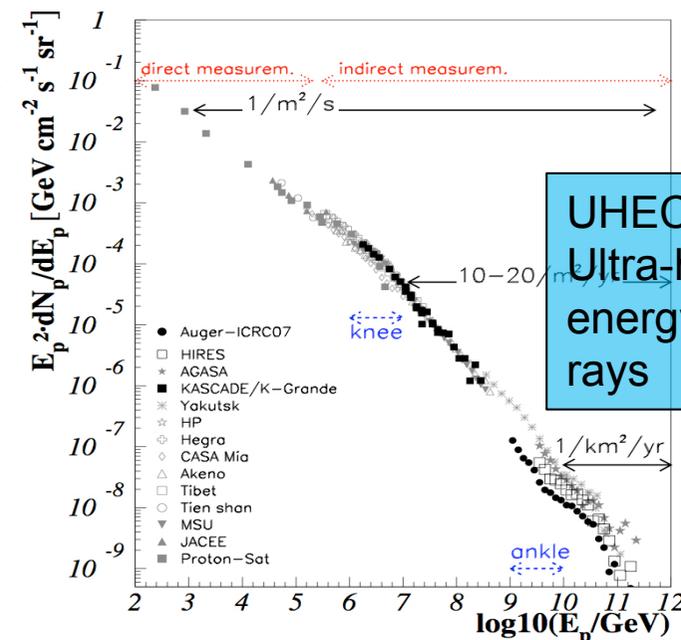
Acceleration of primaries (protons, nuclei)

Example: Fermi shock acceleration

- Energy gain per cycle: $E \rightarrow \eta E$
- Escape probability per cycle: P_{esc}
- Yields a **power law** spectrum $\sim E^{\frac{\ln P_{\text{esc}}}{\ln \eta} - 1}$
- In $P_{\text{esc}}/\ln \eta \sim -1$ (from compression ratio of a strong shock), and E^{-2} is the typical “textbook” spectrum



- Although theory of acceleration at relativistic shocks challenging, we **do observe** power law spectra in Nature
- For multimessenger perspective: adopt pragmatic point of view! *(we know that it works, somehow ...)*



Maximal primary energy (generic concepts)

> Confinement condition in accelerator (R: size):
 $F_L = F_C \rightarrow E_{\max} = q c B R \quad (v=c)$

> Larmor-Radius of a particle $R_L = E/(q c B)$

> Rigidity (stiffness to resist magnetic field)
 is defined as $R_L B \sim E/(q c)$

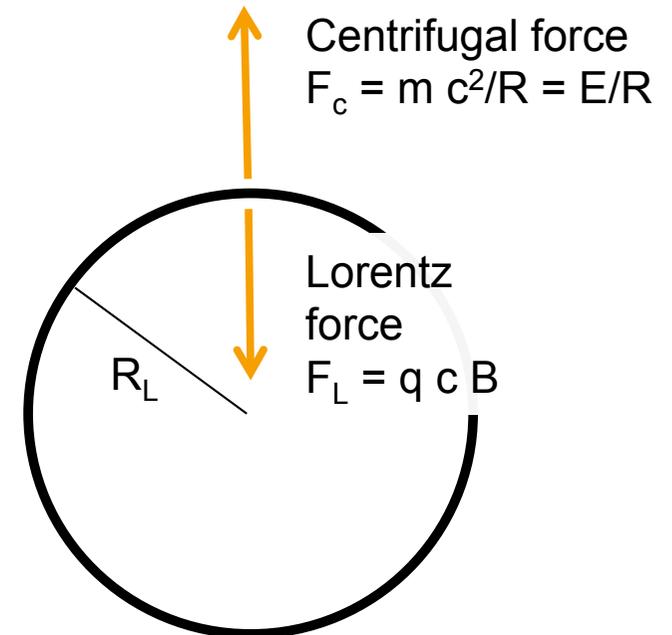
> For nuclei at same E: $q \sim Z \rightarrow$ Rigidity $\sim 1/Z$

> Cycle time $T_{\text{cycle}} = 2 \pi R_L/c \sim E/(c^2 q B)$

> Acceleration rate with η = (here) fractional energy
 gain/cycle \sim **acceleration efficiency**:

$$t_{\text{acc}}^{-1} \equiv \frac{1}{E} \frac{dE}{dt} \sim \frac{dE}{E} \frac{1}{T_{\text{cycle}}} = \hat{\eta} \frac{1}{T_{\text{cycle}}} = \eta \frac{c^2 q B}{E}$$

> Maximal energy *including acceleration efficiency*
 from $t_{\text{acc}} = t_{\text{esc}} \sim R/c$ (free streaming escape) $\rightarrow E_{\max} \sim \eta q c B R$



Cosmic vs. terrestrial particle accelerators

Lorentz force = centrifugal force $\rightarrow E_{\max} \sim q c B R$

> $E_{\max} \sim 300,000,000 \text{ TeV}$

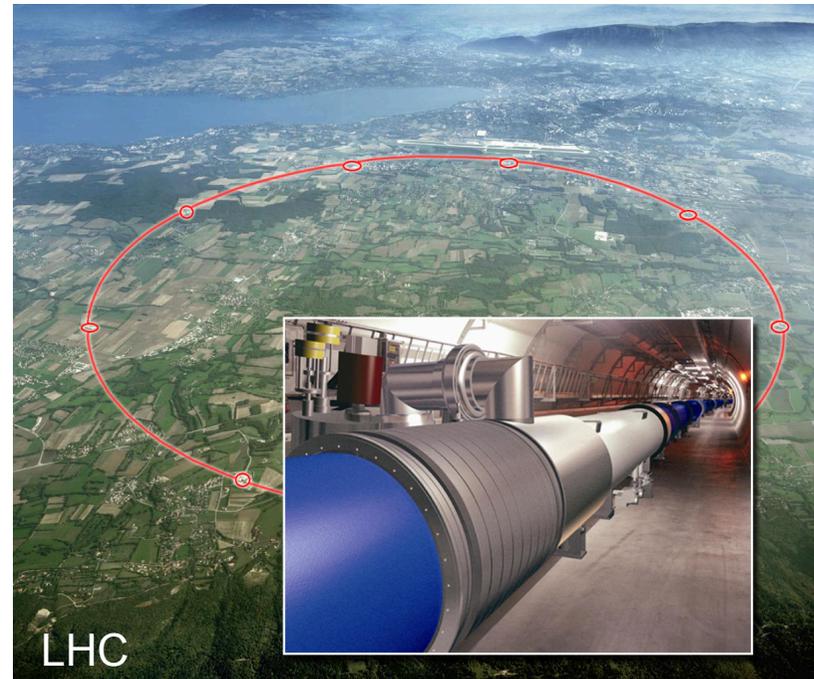
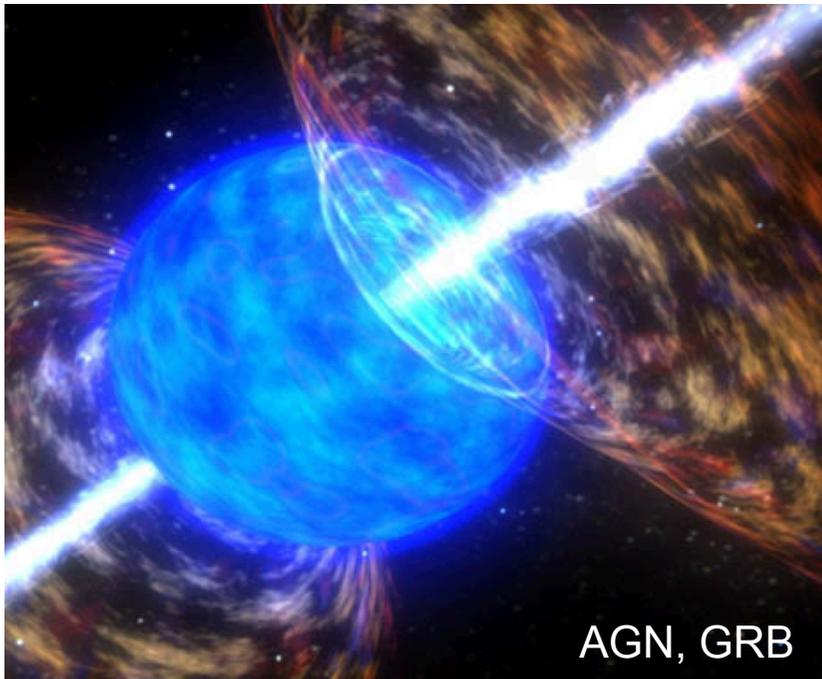
> $B \sim 1 \text{ mT} - 1 \text{ T}$

> $R \sim 100,000 - 10,000,000,000 \text{ km}$

> $E_{\max} \sim 7 \text{ TeV}$

> $B \sim 8 \text{ T}$

> $R \sim 4.3 \text{ km}$



UHECR sources on Hillas plot

- > Sources which can reach the maximal energy (necessary condition)

$$E_{\max} \sim \eta q c B R$$

[right of lines]

- > Complication: Lorentz-boosted sources, such as Gamma-Ray Bursts

$$\Gamma \sim 100 - 1000$$

relax this condition

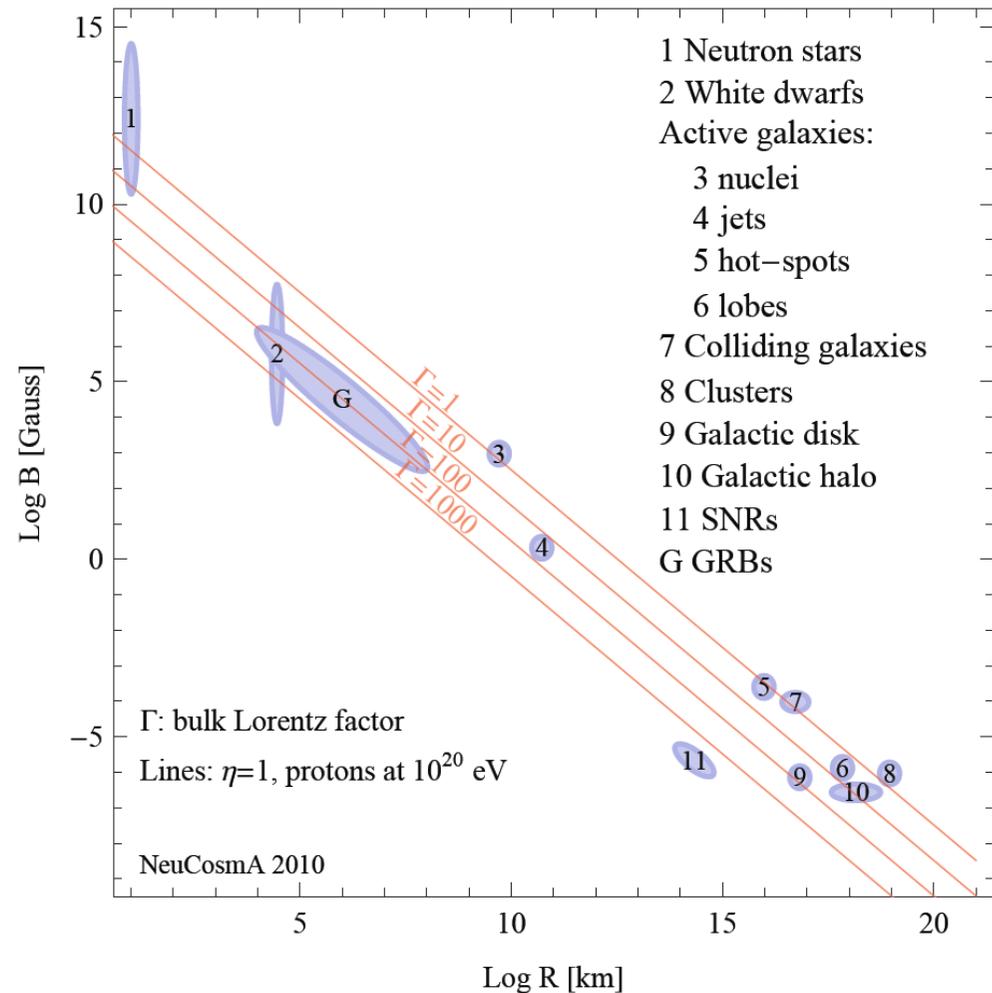
(interpret R and B in shock rest frame; primed quantities!)

$$E_{\max} \sim \eta q c B' R' \Gamma$$

- > Consequence for heavy nuclei:

$$E_{\max} \sim Z \quad (\text{"Peters cycle"})$$

Peters, 1961



(from *Astropart. Phys.* 34 (2010) 205)

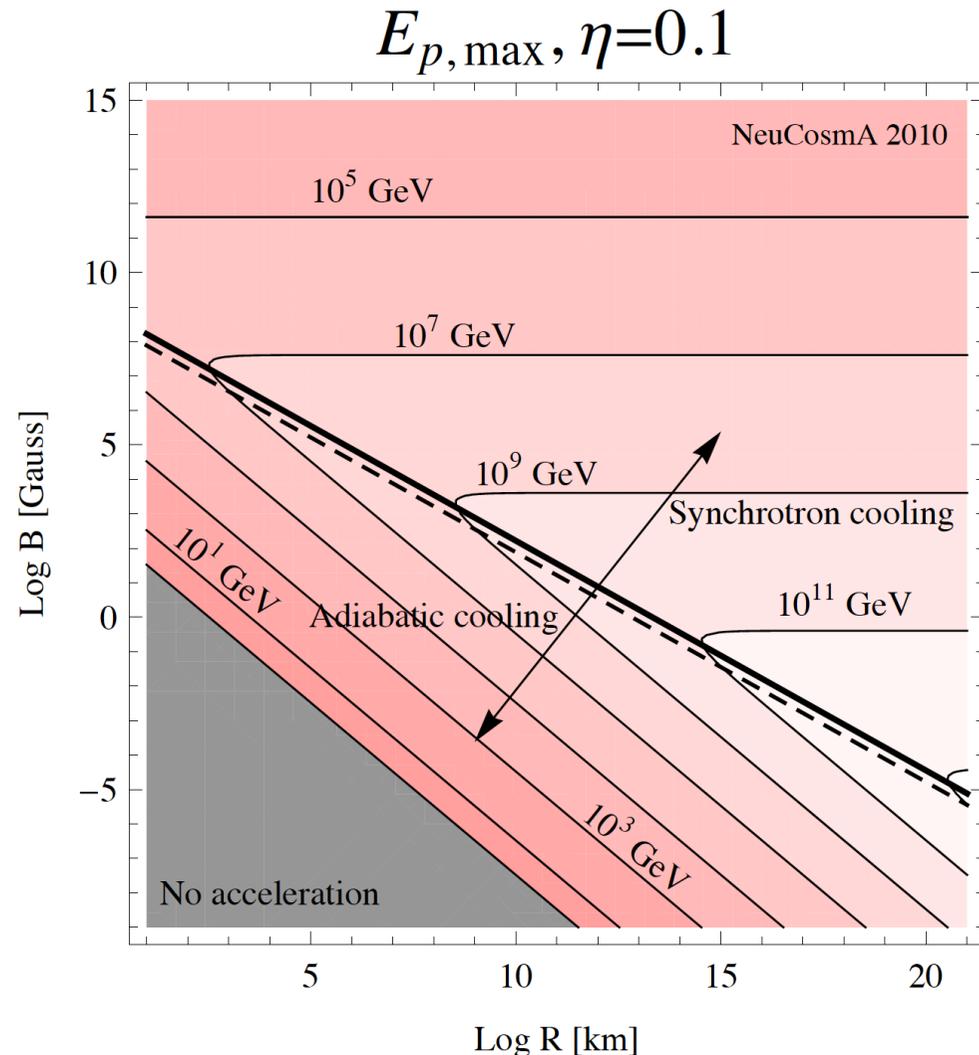


Other necessary conditions

- > The confinement condition is necessary, but not sufficient
- > Example: Protons lose energy by synchrotron losses. Loss rate

$$t_{\text{synchr}}^{-1} = \frac{q^4 B^2 E}{9 \pi \epsilon_0 m^4 c^7}$$

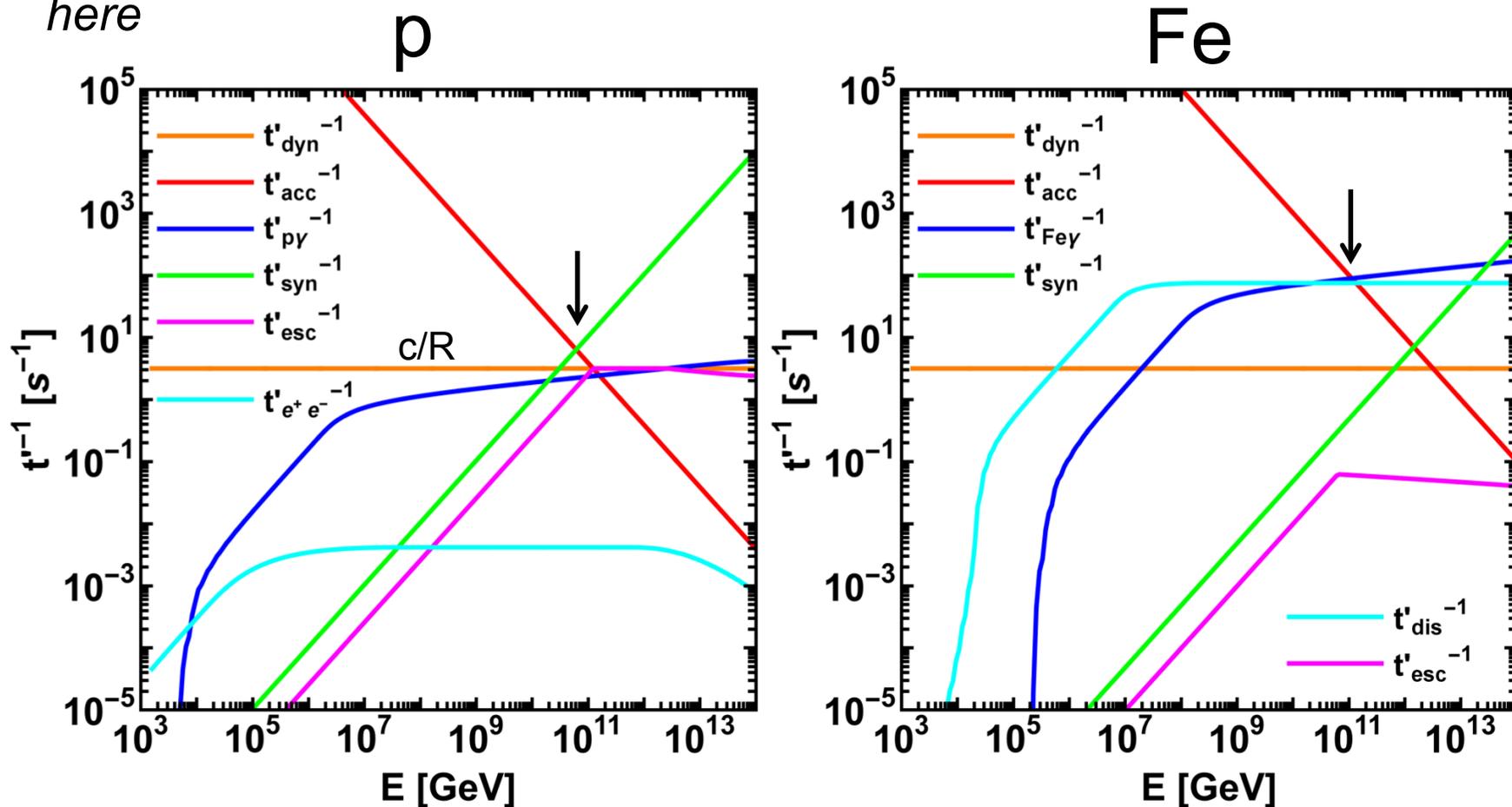
- > Limits the maximal energy for large B + can affect Peters cycle for nuclei



(from *Astropart. Phys.* 34 (2010) 205)

Less trivial examples: Maximal energy from rate plots

- A more realistic example (Gamma-Ray Burst):
 Exercise: 1) Find the dominant process limiting the acceleration, 2) read off the maximal primary energy, 3) check if Peters' cycle is satisfied here

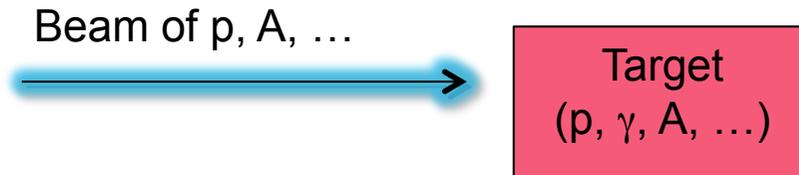


(Courtesy Daniel Biehl)



Secondary production: Particle physics 101

> Beam dump picture (particle physics)

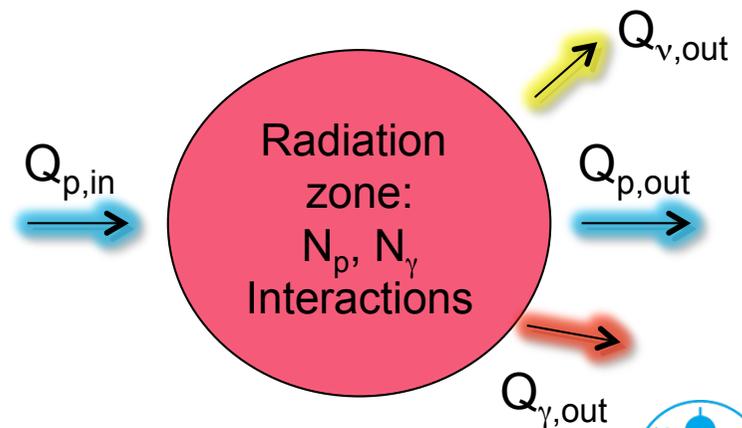
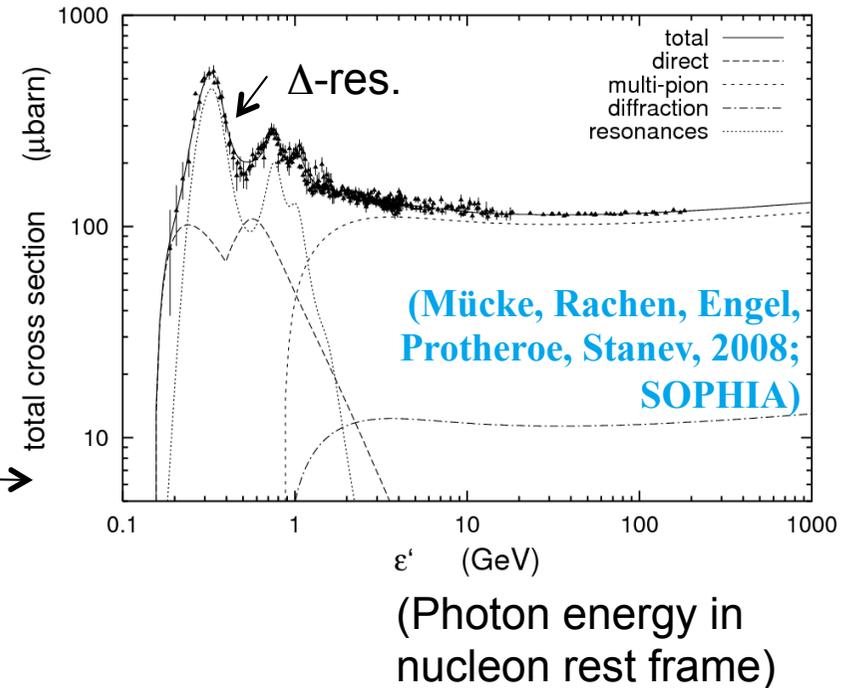


> Interaction rate $\Gamma \sim c N [\text{cm}^{-3}] \sigma [\text{cm}^2]$

Target density (e.g. N_γ) critical for secondary production!

> Astrophysical challenges:

- Feedback between beam and target (e.g. photons from π^0 decays); need self-consistent description called **radiation model**
- *What you see is, in general, not what you get in the source*



Radiation models: one spatial zone

- > Time-dependent PDE system, one PDE per particle species i

$$\frac{\partial N_i}{\partial t} = \frac{\partial}{\partial E} (-b(E)N_i(E)) - \frac{N_i(E)}{t_{\text{esc}}} + Q(E)$$

Cooling/acceleration

Escape

Injection



$$b(E) = -E t_{\text{loss}}^{-1}$$

$$Q(E,t) \text{ [GeV}^{-1} \text{ cm}^{-3} \text{ s}^{-1}\text{]}$$

$N(E,t) \text{ [GeV}^{-1} \text{ cm}^{-3}\text{]}$ particle spectrum including spectral effects

- > Injection: species i from acceleration zone, and from other species j :

$$Q(E) = Q_i(E) + Q_{ji}(E)$$

$$Q_{ji}(E_i) = \int dE_j N_j(E_j) \Gamma_j^{\text{IT}}(E_j) \frac{dn_{j \rightarrow i}^{\text{IT}}}{dE_i}(E_j, E_i)$$



Density
other
species

Inter-
action
rate

Re-distribution
function +secondary
multiplicity

Steady state solution: $dN/dt \sim 0$

- > System typically reaches steady state very quickly:



$$Q(E) = \frac{\partial}{\partial E} (b(E) N(E)) + \frac{N(E)}{t_{\text{esc}}}$$

Injection

Energy losses

Escape

One equation
for each
particle
species!

- > Typical “escape” processes: Escape from region, decay, disintegration, photomeson production (if species changed), ...
- > Typical “cooling” processes: Synchrotron cooling, pair production, adiabatic cooling (by expansion of region)
- > Simple case: No energy losses $b=0$: $N(E) = Q(E) t_{\text{esc}}$
- > Special case: $t_{\text{esc}} \sim R/c$ (free-streaming, aka “leaky box”)



... can be also more sophisticated: spatially resolved models

$$\begin{aligned}
 \frac{\partial N}{\partial t} = & \underbrace{\nabla \cdot (D_i \nabla N_i)}_{\text{diffusion with diffusion coefficient } D_i} - \underbrace{\frac{\partial}{\partial E} (dE/dt N_i(E))}_{\substack{\text{energy losses and} \\ \text{gains}}} - \underbrace{\nabla \cdot \vec{u} N_i(E)}_{\text{convection with velocity } \vec{u}} \\
 + & \underbrace{Q_i(E, t)}_{\text{source term}} - \underbrace{p_i N_i}_{\text{loss term}} + \underbrace{\frac{v\rho}{m} \sum_{k \geq i} \frac{d\sigma_{i,k}(E, E')}{dE} N_k(E') dE'}_{\substack{\text{cascade term: feed-down from higher} \\ \text{energies and nuclear fragmentation} \\ \text{processes}}}
 \end{aligned}$$

(synchrotron radiation, ionization loss, reacceleration, ...)

$$\text{loss term } p_i = \frac{v\rho}{\lambda_i} + \frac{1}{\gamma\tau_i}$$

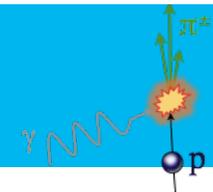
Exercise:

What are the new terms you haven't seen before?

G. Maier



Example: Neutrino production from $p\gamma$ interactions



Dashed arrows: kinetic equations include cooling and escape

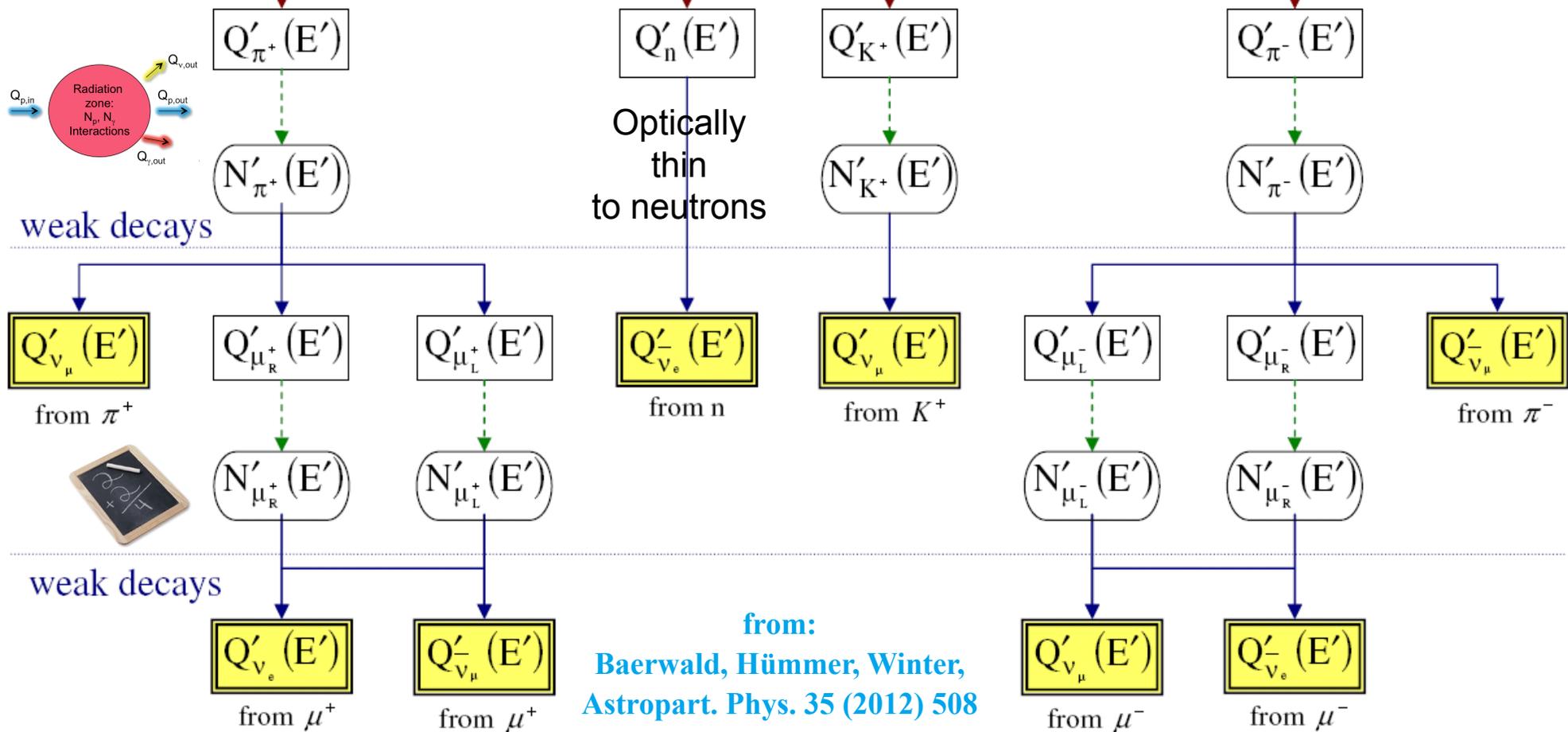
$Q(E)$ [$\text{GeV}^{-1} \text{cm}^{-3} \text{s}^{-1}$]
per time frame
 $N(E)$ [$\text{GeV}^{-1} \text{cm}^{-3}$]
density in source

Input \Rightarrow Object-dependent
 \Rightarrow Astrophysics!



photohadronics

$\sim N^2$



from:
Baerwald, Hümmer, Winter,
Astropart. Phys. 35 (2012) 508

Secondary (muon, pion, kaon) cooling

Example: GRB

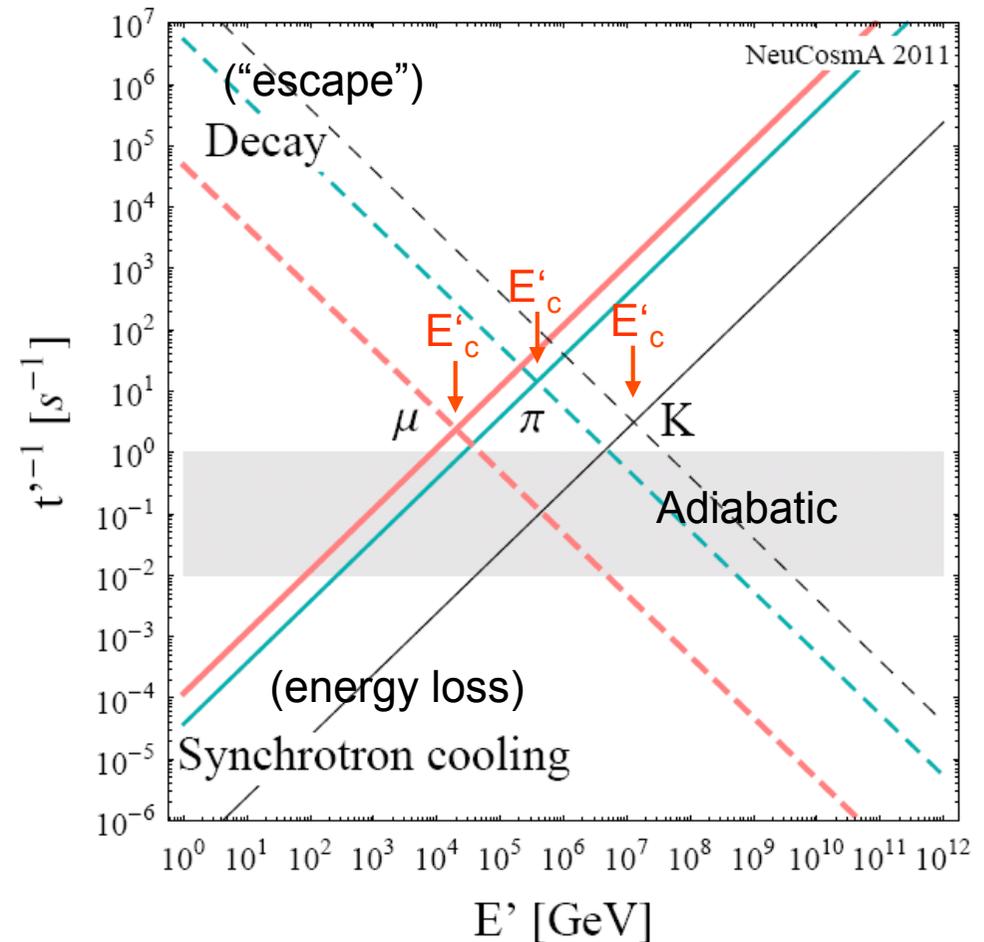
Secondary spectra (μ , π , K) loss-steepend above critical energy

$$E'_c = \sqrt{\frac{9\pi\epsilon_0 m^5 c^7}{\tau_0 e^4 B'^2}}$$

➤ E'_c depends on particle physics only (m , τ_0), and B'



Decay/cooling: charged μ , π , K



Baerwald, Hümmel, Winter, *Astropart. Phys.* **35** (2012) 508;
also: Kashti, Waxman, 2005; Lipari et al, 2007; ...



Secondary (muon, pion, kaon) cooling

Example: GRB

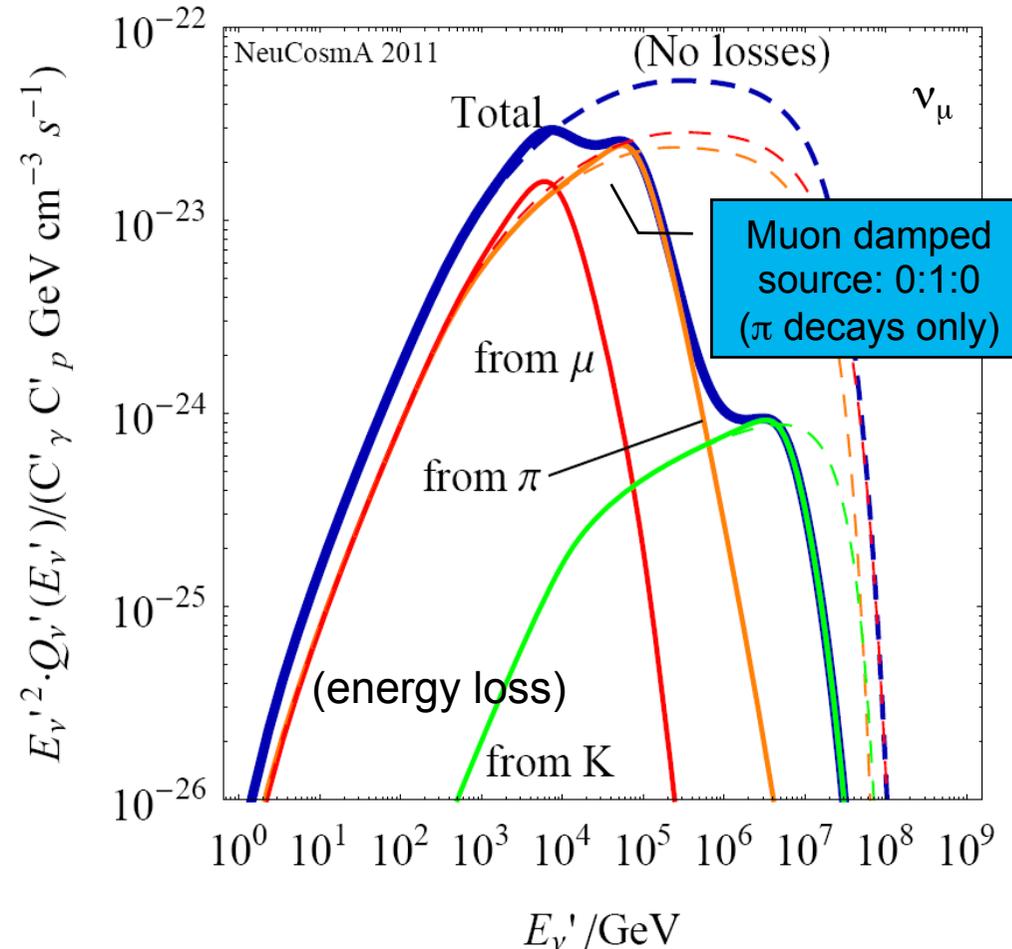
Secondary spectra (μ , π , K) loss-steepend above critical energy

$$E'_c = \sqrt{\frac{9\pi\epsilon_0 m^5 c^7}{\tau_0 e^4 B'^2}}$$

- E'_c depends on particle physics only (m , τ_0), and B'
- Leads to characteristic flavor composition and shape



Decay/cooling: charged μ , π , K



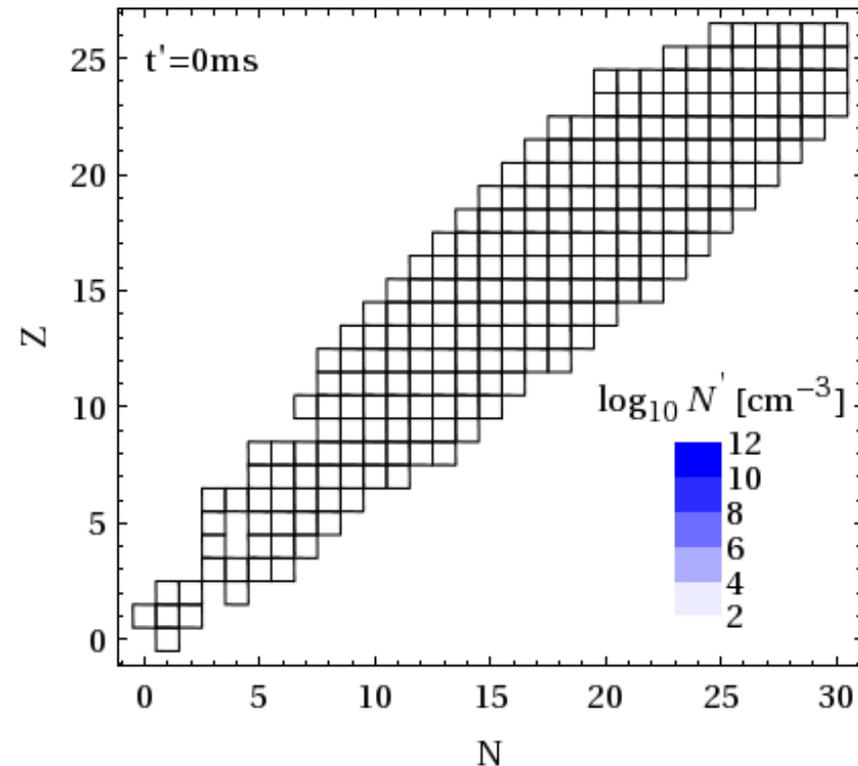
Baerwald, Hümmer, Winter, *Astropart. Phys.* **35** (2012) 508;
 also: Kashti, Waxman, 2005; Lipari et al, 2007; ...



Example: photo-disintegration of ^{56}Fe in a Gamma-Ray Burst

> Challenges:

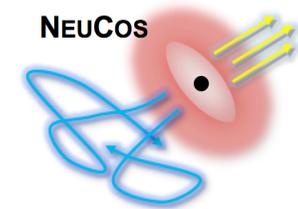
- *Arbitrary* target photon spectra
- 481 isotopes, 41000 disintegration channels; automatic reduction
- Efficient deterministic computation: → one PDE per isotope
- Radiation processes: photo-disintegration, photomeson production, beta decays, spontaneous emissions, synchrotron cooling, adiabatic cooling



Boncioli, Fedynitch, Winter, 2016;
Biehl/Rodrigues+ 2016+ (to appear)

> Current questions, e.g.

- Dependence on target spectrum?
Results for different object classes?
- Does the neutrino production depend on the cosmic ray composition?
- How are cosmic rays ejected?



Talks by **Xavier+Daniel** this afternoon



Radiation models (blackboard)



Contents

Lecture 1

➤ Particle astrophysics of hadronic sources (basic concepts)

➤ Radiation models (blackboard)



➤ Meet the messengers:

- Photons
- Cosmic rays
- Neutrinos
- Gravitational waves

DISCLAIMER:
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Lecture 2

➤ Examples for generic multi-messenger approaches

➤ Describing interactions (blackboard)



➤ Challenges for multi-messenger approaches

➤ Energetics of sources (blackboard)



➤ How to address the key challenges; example: GRBs

Relevant for exercises



Lecture 3

← Incl. special feature: stacking analyses

Meet the messengers



Meet the messengers: Photons at multiple wavelengths

synchrotron emission from HE electrons moving through interstellar magnetic fields

Radio

480 MHz

Hydrogen 21 cm line, cold interstellar medium (gas)

Radio

21 cm

thermal emission from interstellar dust

Infrared

12, 60, 100 μm

star light

Optical

0.4-0.6 μm

very hot, shocked gas

X-ray

0.25, 0.75, 1.5 keV

π^0 decay from interaction of Cosmic Rays with interstellar medium

γ -ray

>100 MeV

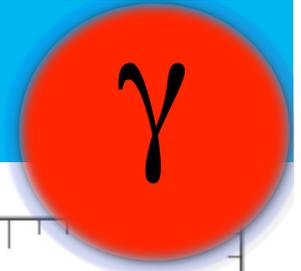
emission from high-energy charged particles

γ -ray

>300 GeV

... targeted by a variety of instruments
(not possible to review all of them here)

High-energy photon propagation/attenuation



> Attenuated by

- Thomson scattering ($\gamma e \rightarrow \gamma e$), often in source
Density of electrons matters!
Concept of **photosphere**
- Pair production ($\gamma\gamma \rightarrow ee$), e.g. on cosmic backgrounds
Distance and energy matters

> Pair production on CMB (~ 0.2 meV):

$$s = (P_1 + P_2)^2 = P_1^2 + 2 P_1 P_2 + P_2^2$$

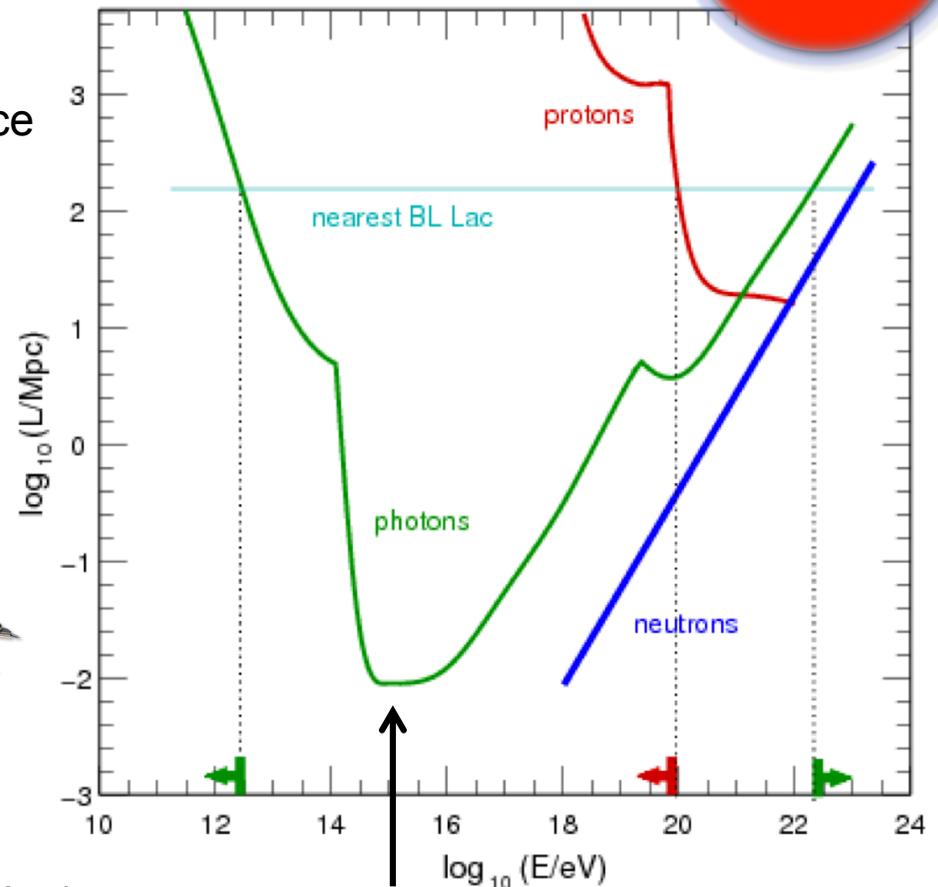
$$= 2 P_1 P_2 = 2 E_1 E_2 - 2 p_1 p_2 \cos\theta = 4 E_1 E_2$$



(photons, center-of-mass frame, heads-on collision)

$$= m_e^2 + 2 m_e m_e + m_e^2 = 4 m_e^2 \text{ (electrons at rest)}$$

$$\rightarrow E_1 E_2 > m_e^2 \rightarrow E_1 > 10^{15} \text{ eV}$$

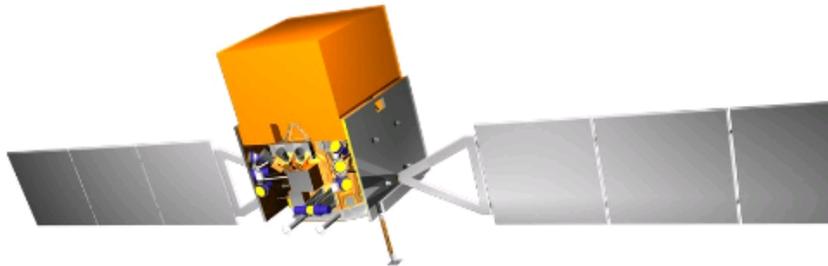
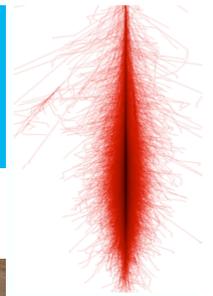


CMB
attenuation

arXiv:0901.4085

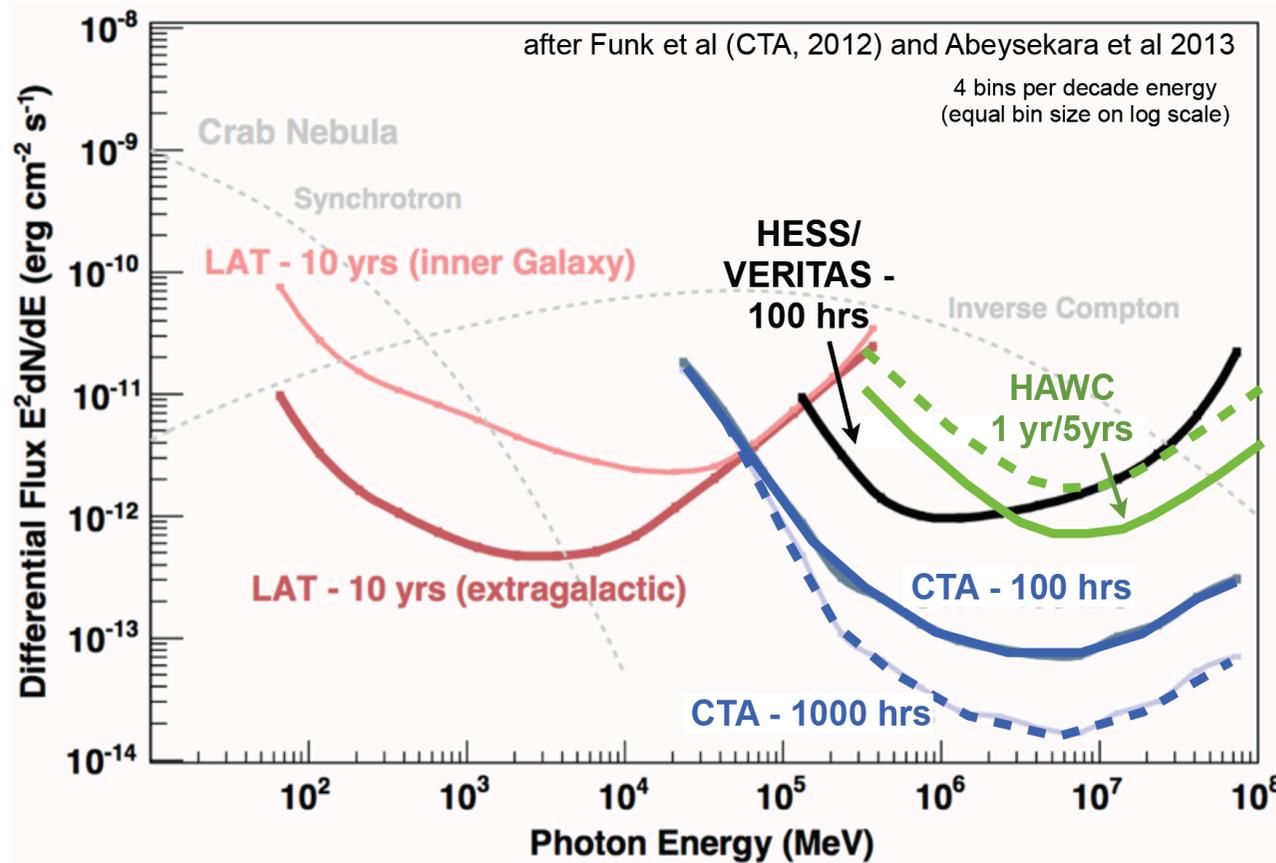
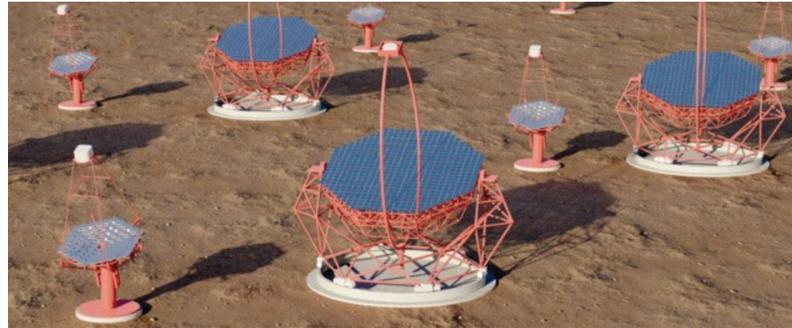


Gamma-rays: Key experiments



Fermi-LAT

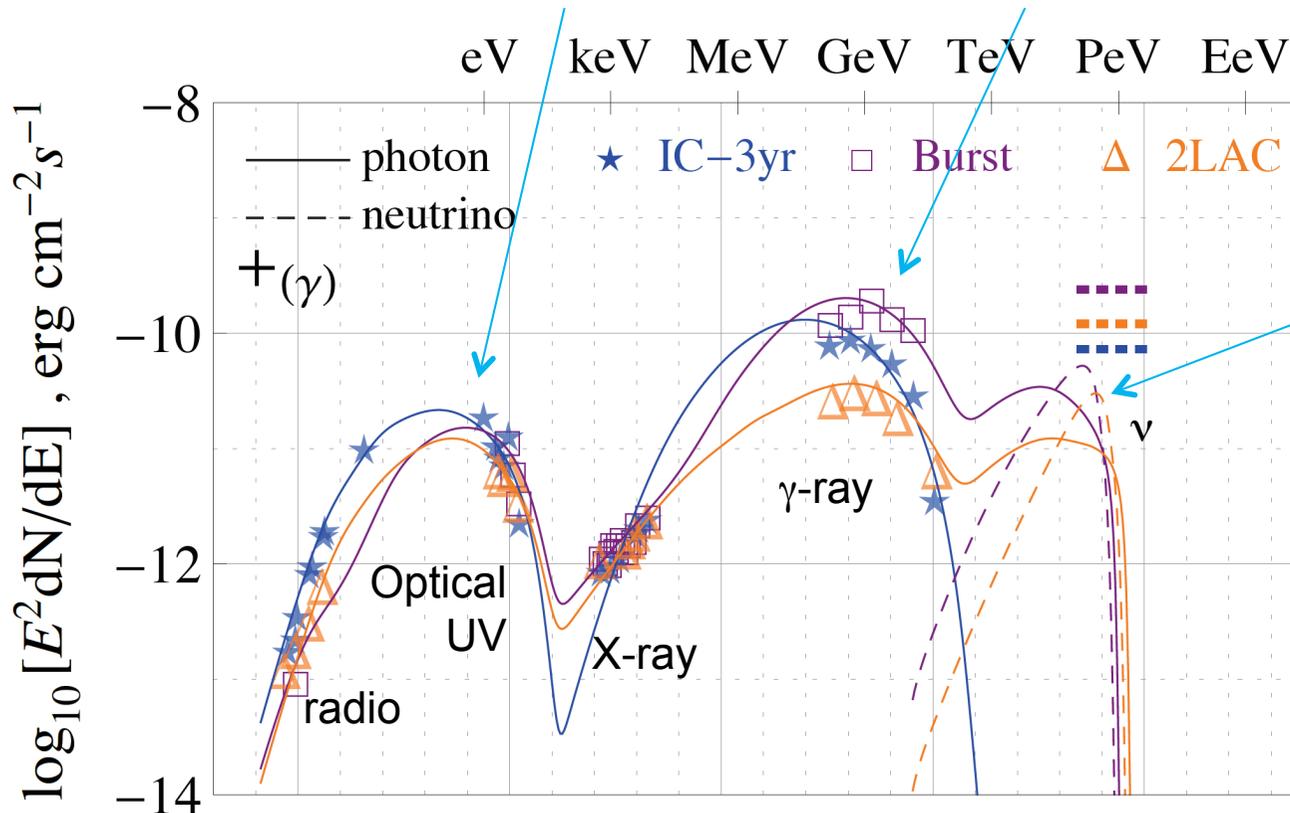
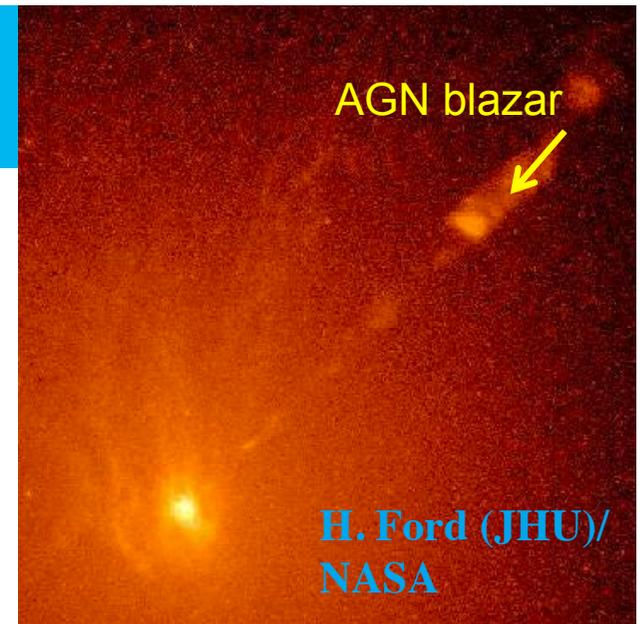
CTA; MAGIC, VERITAS, H.E.S.S.



Current theoretical paradigms

Example: Multi-wavelength campaigns for AGN blazars

Model	1 st hump	2 nd hump
Leptonic	e synchrotron	Inverse Compton ($e\gamma$) on synchr. or ext. γ
Hadronic	Proton synchrotron	Hadronic process (e.g. π^0 decays)
Lepto-hadronic	e synchrotron	Mixed processes



Photon observations alone in most cases inconclusive.

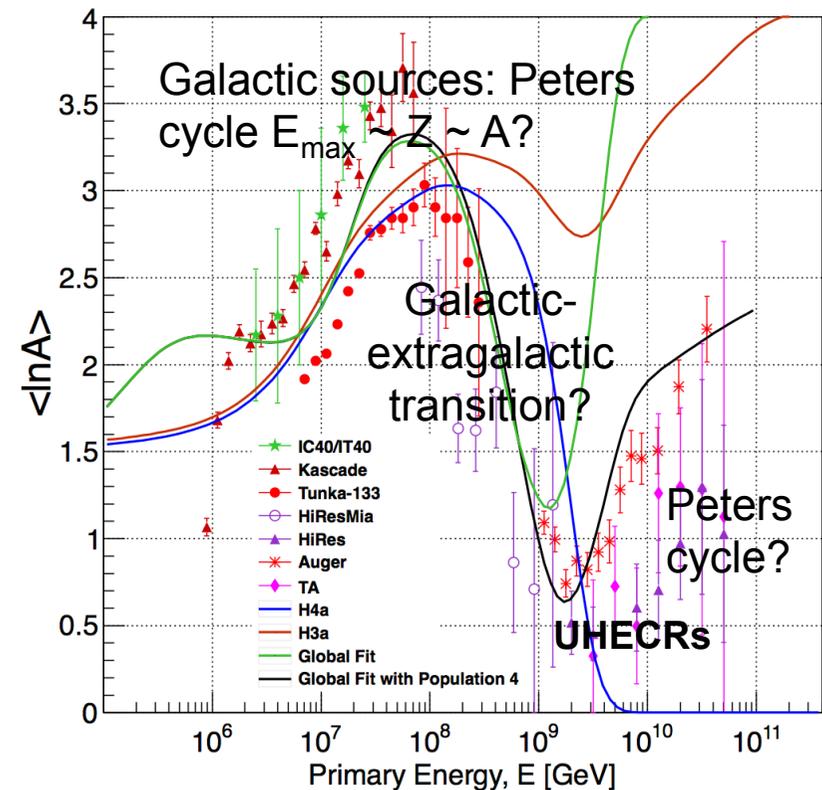
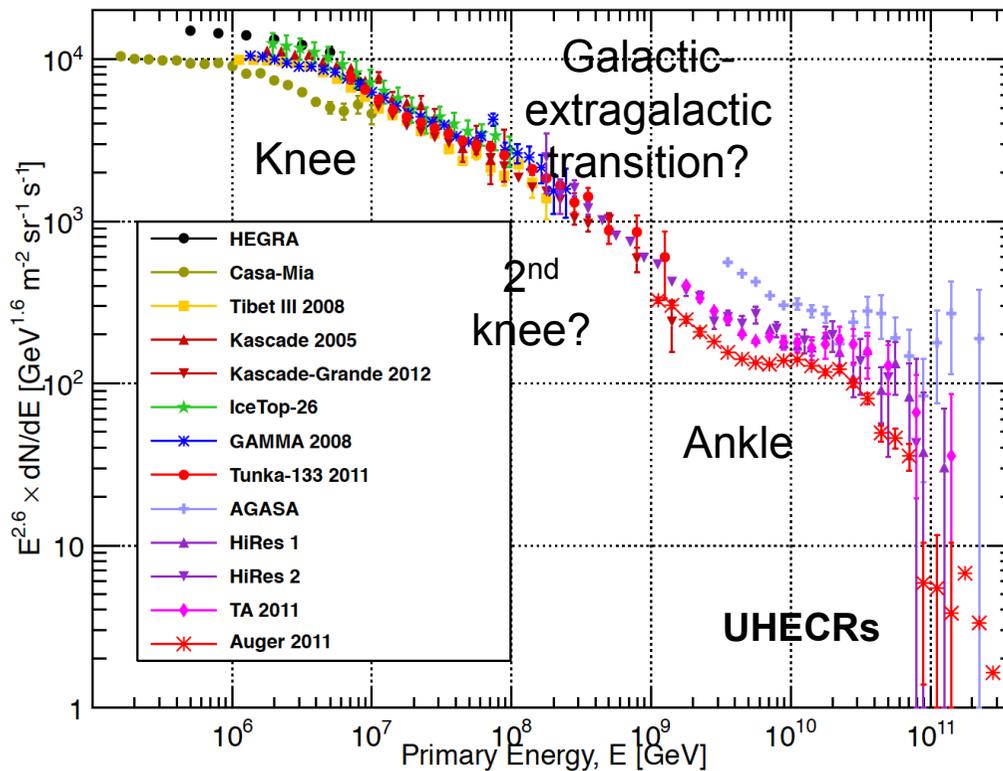
Multi-messenger astronomy may tell us if there are hadrons

(from Gao, Pohl, Winter, 2016)

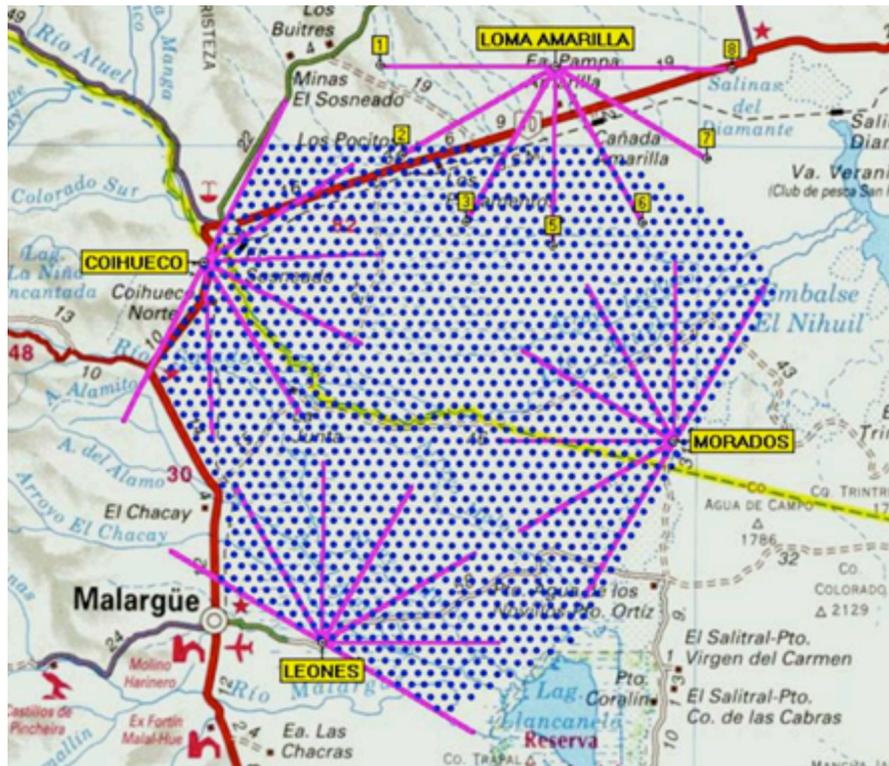


Meet the messengers: Cosmic rays

- Charged particles, proton or heavier nuclei
- Spectrum with breaks (knee, 2nd knee, ankle)
- Composition non-trivial function of energy

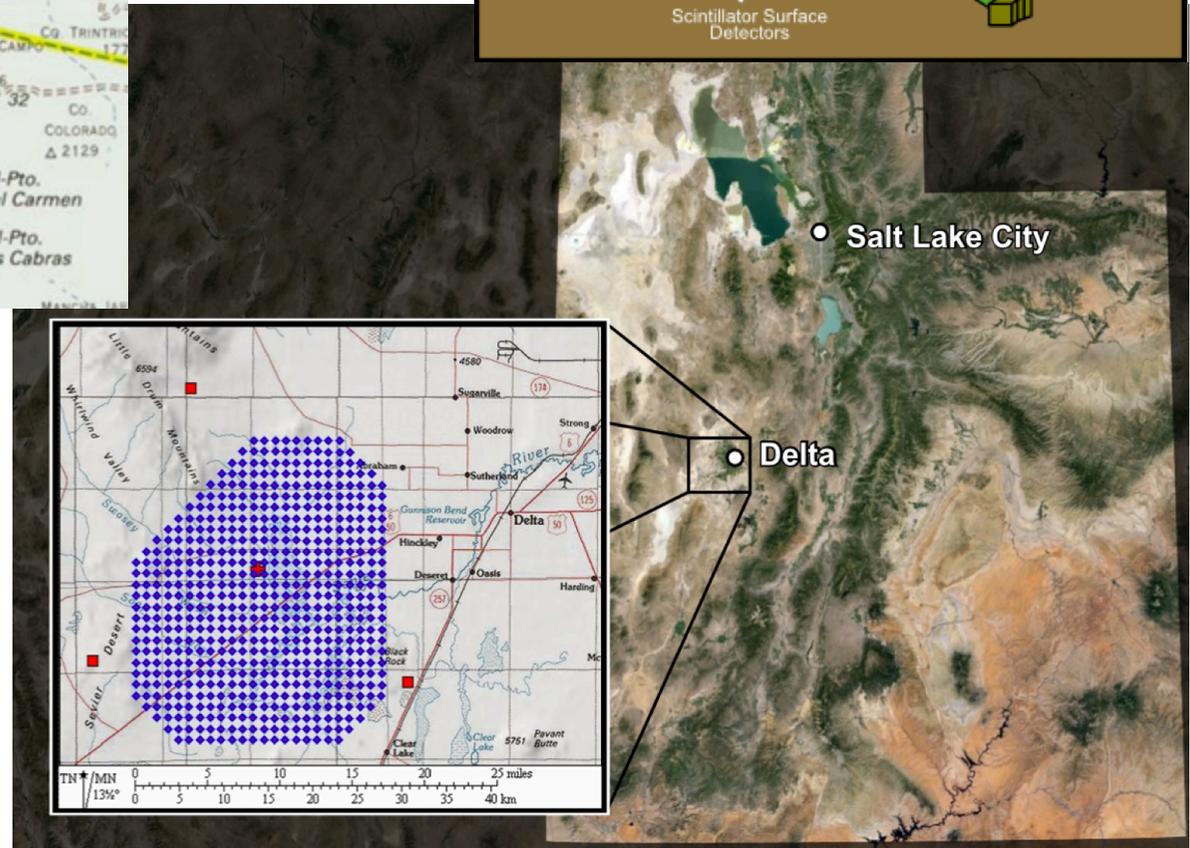
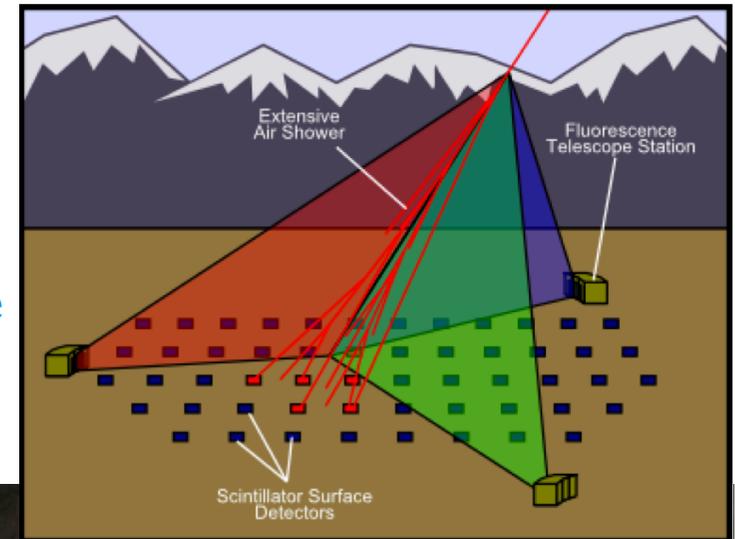


Ultra-high energy cosmic ray (UHECR) experiments



Auger

Telescope
Array
(TA)



Key issue: Cosmic ray transport. Example: UHECR, protons

- > Kinetic equation for co-moving number density: [here $b = -dE/dt = -E t^{-1}_{\text{loss}}$]

$$\dot{Y}_p = \partial_E (H E Y_p) + \partial_E (b_{e^+e^-} Y_p) + \partial_E (b_{p\gamma} Y_p) + \mathcal{L}_{\text{CR}}$$

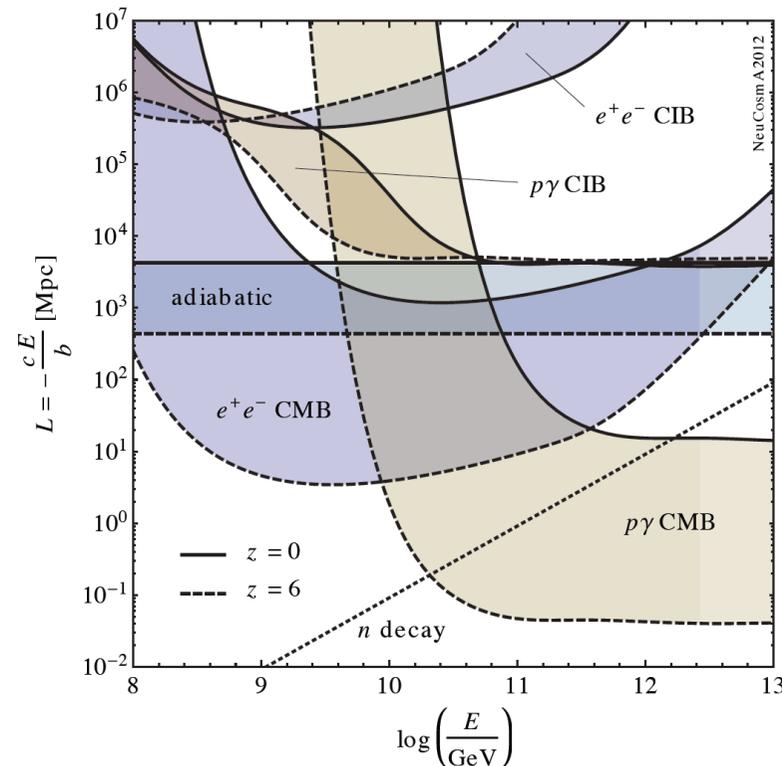
Expansion of
Universe

Pair production
Blumenthal, 1970

Photohadronics
e.g. SOPHIA

CR inj.

- > Interactions with CMB and cosmic infrared background (CIB)
- > Attenuation
 ⇒ UHECR must from from our local environment
 (~ 1 Gpc at 10^{10} GeV,
 ~ 50 Mpc at 10^{11} GeV)

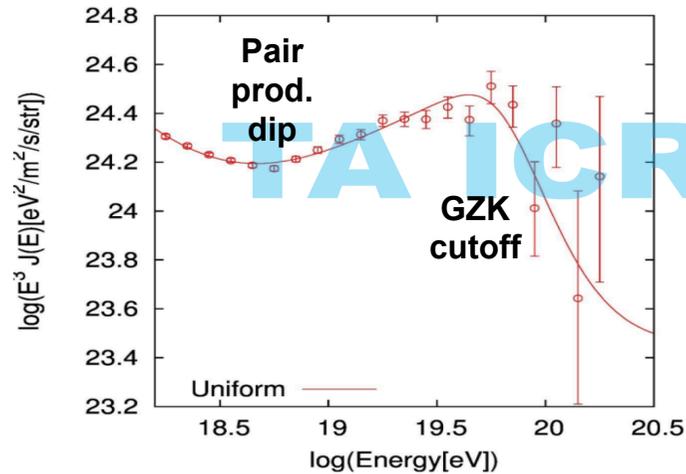


M. Bustamante



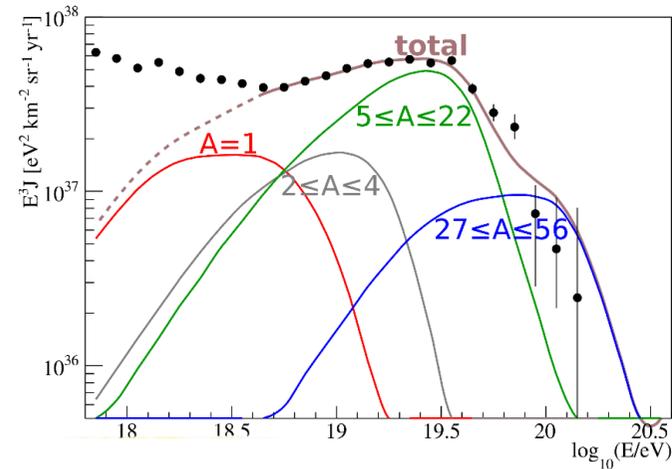
Current theoretical paradigms (UHECRs)

TA (Telescope Array)

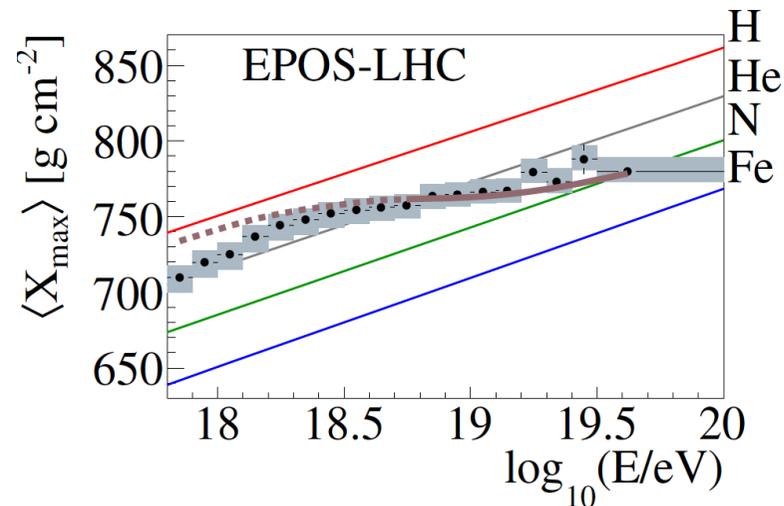
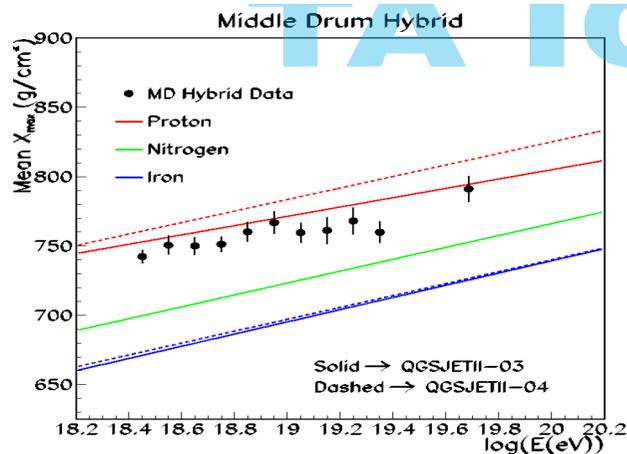


Jui @ ICRC 2015

vs. Auger



Ghia @ ICRC 2015



Is this a plausible scenario?
What can neutrinos tell us?

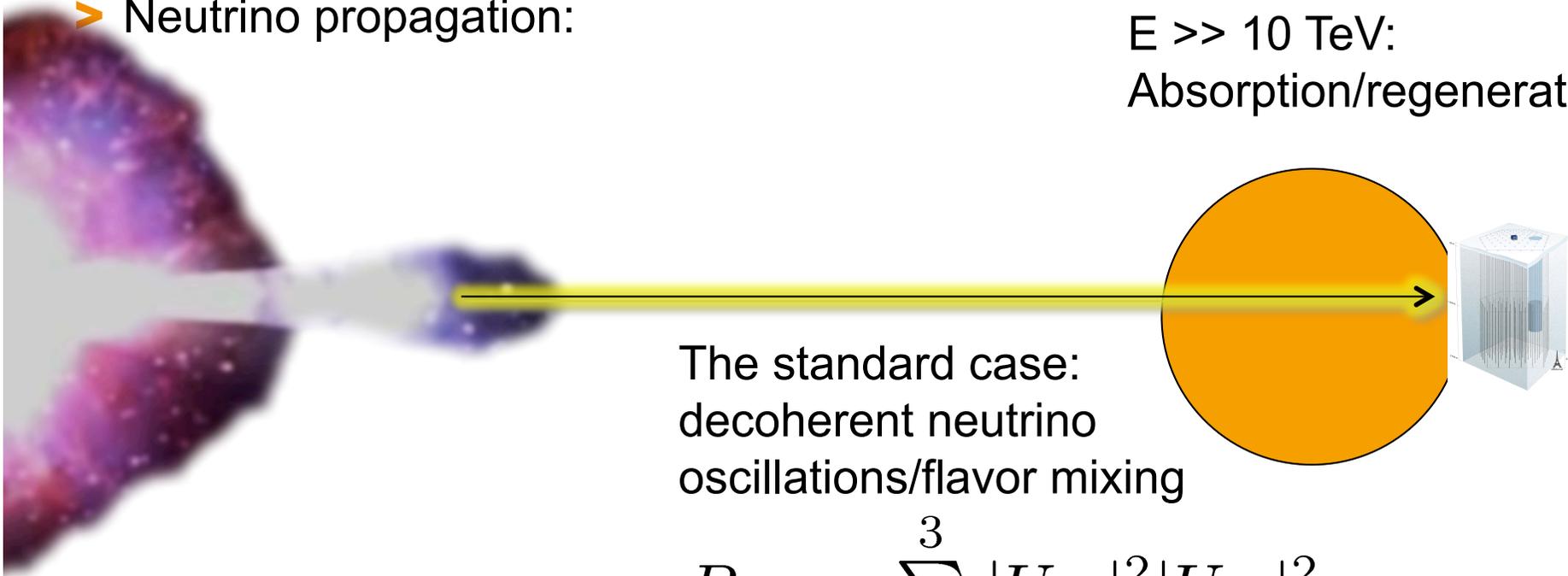


Meet the messengers: Neutrinos



- > Neutral particles, extremely small mass, weak interaction
- > Come in three flavors: ν_e , ν_μ , ν_τ
- > Neutrino propagation:

$E \gg 10 \text{ TeV}$:
Absorption/regeneration

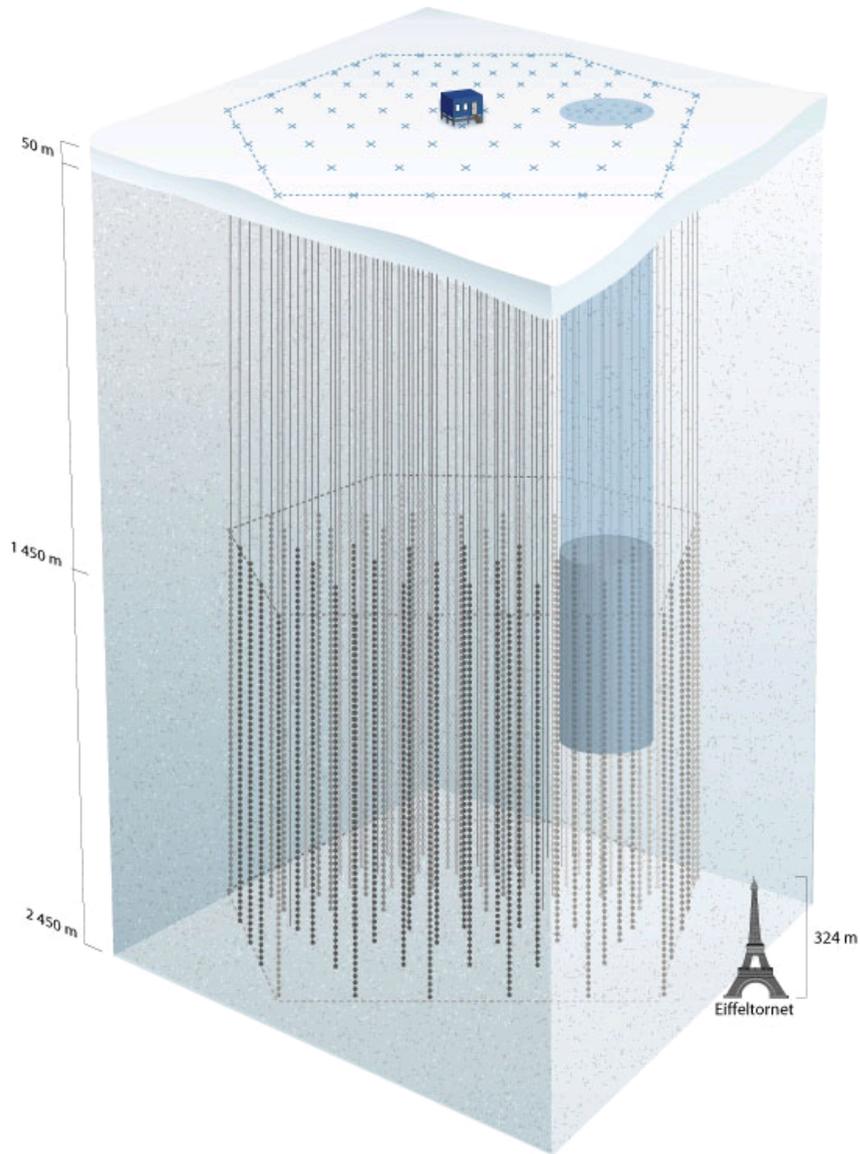


The standard case:
decoherent neutrino
oscillations/flavor mixing

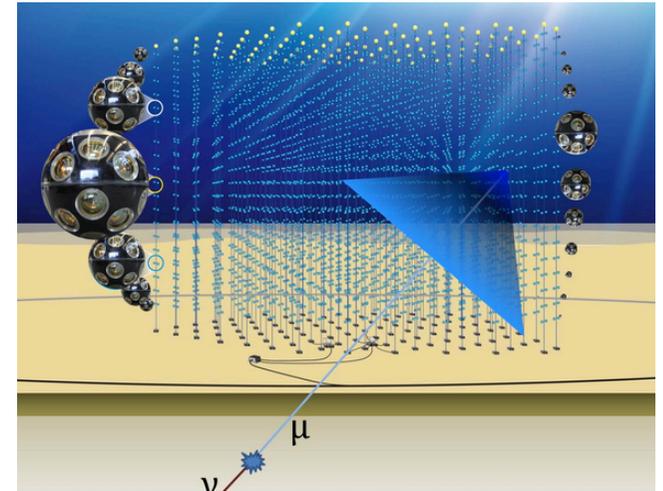
$$P_{\alpha\beta} = \sum_{i=1}^3 |U_{\alpha i}|^2 |U_{\beta i}|^2$$

Source $\nu_e:\nu_\mu:\nu_\tau = 1:2:0 \rightarrow$ Detector 1:1:1
+ redshift of energy if cosmological distance

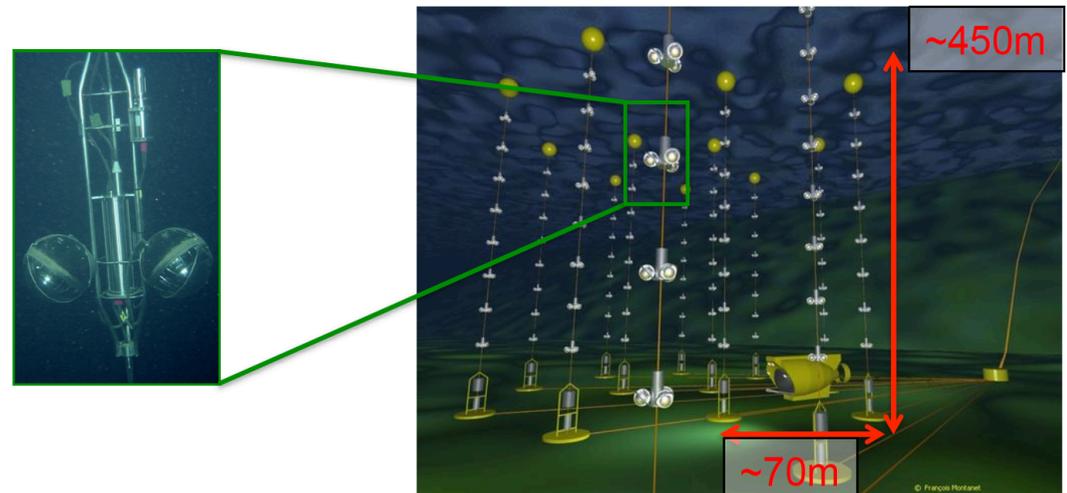
Neutrino telescopes



IceCube



ANTARES/KM3NeT



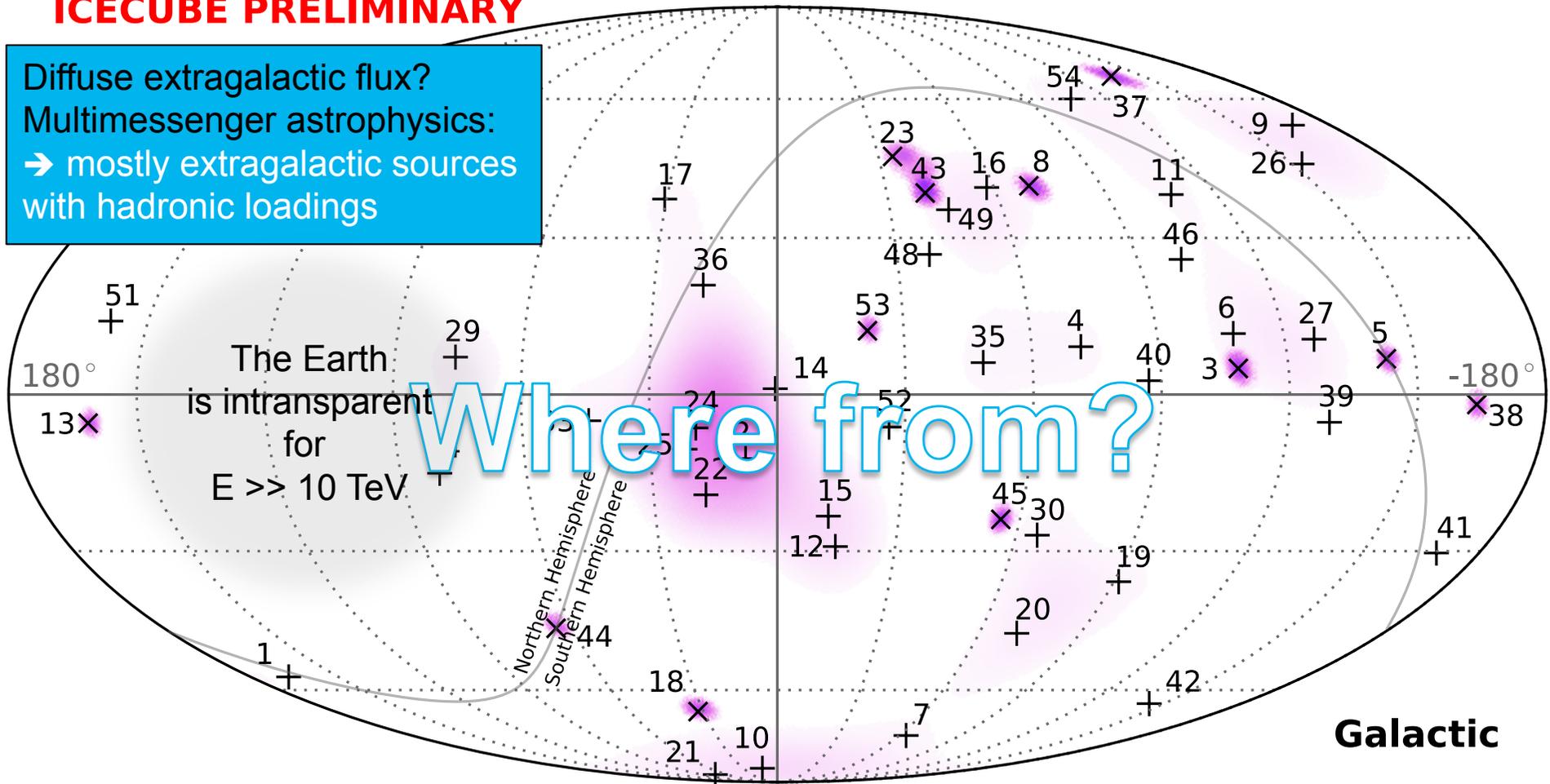
See lectures C. Finley



2015: 54 high energy cosmic neutrinos

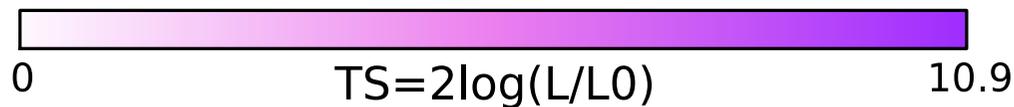
ICECUBE PRELIMINARY

Diffuse extragalactic flux?
Multimessenger astrophysics:
→ mostly extragalactic sources
with hadronic loadings



+ Cascades

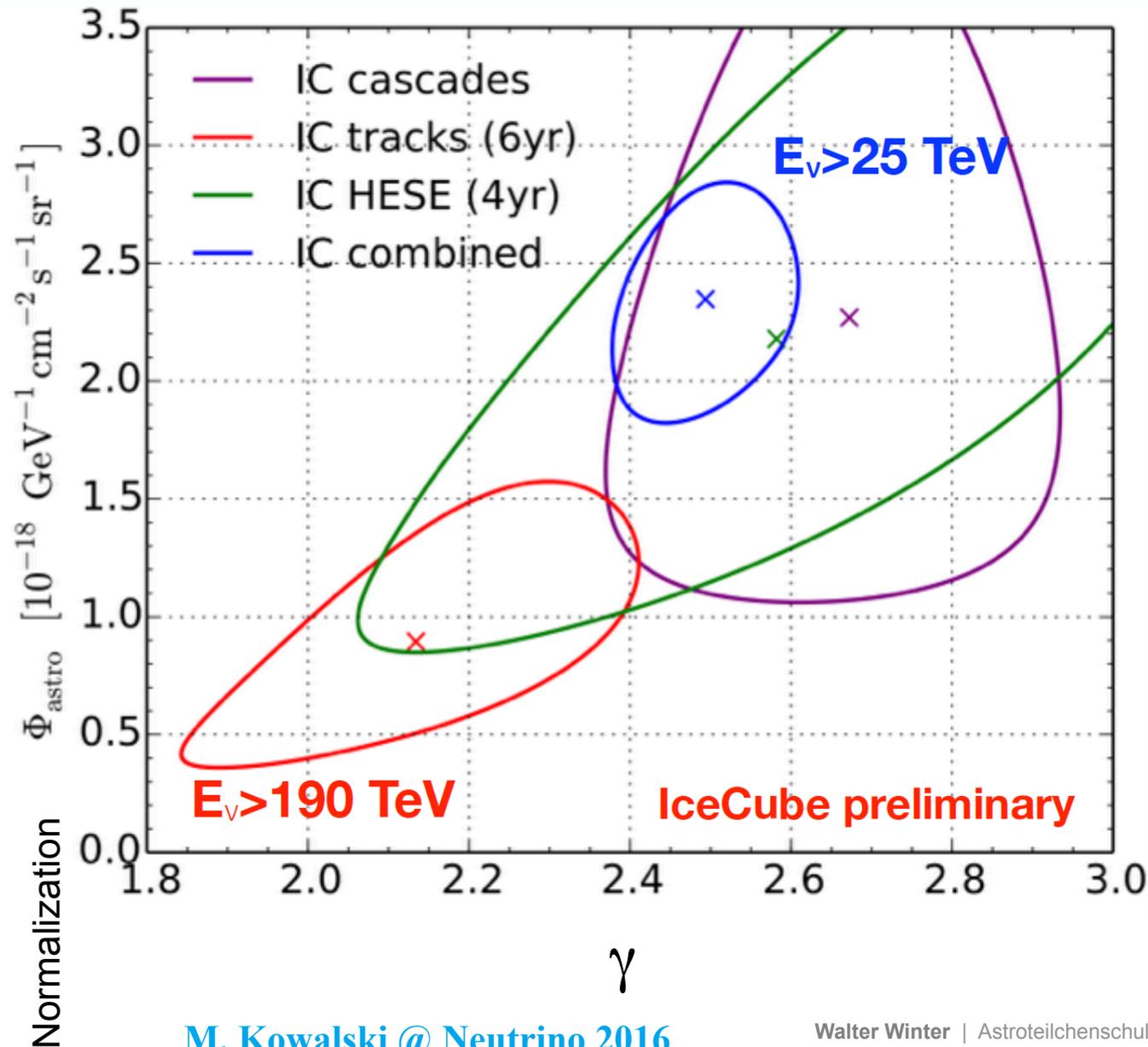
x Muon tracks



IceCube: Science 342 (2013) 1242856; Phys. Rev. Lett. 113, 101101 (2014); Halzen at WIN 2015



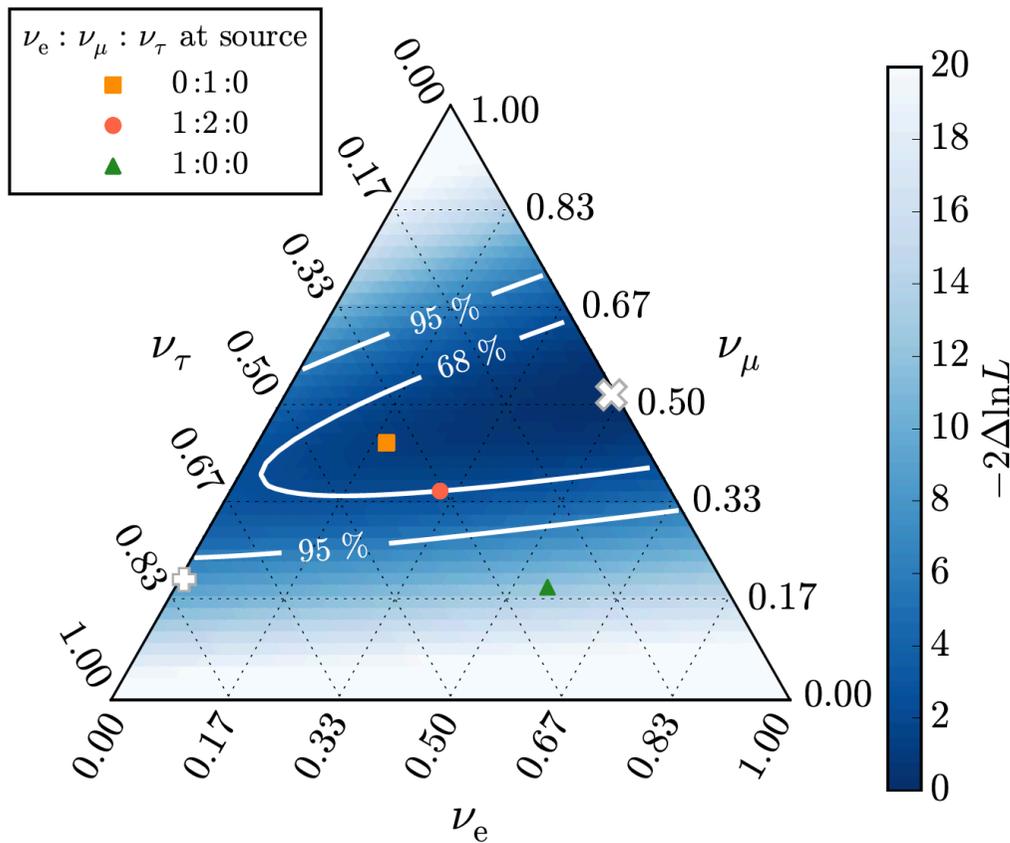
Neutrino spectrum: Power law fits $(E_\nu)^{-\gamma}$



- > Tension in different data sets?
- > Flattening of spectrum?
Different components?
- > Softer galactic component, together with harder extragalactic one?

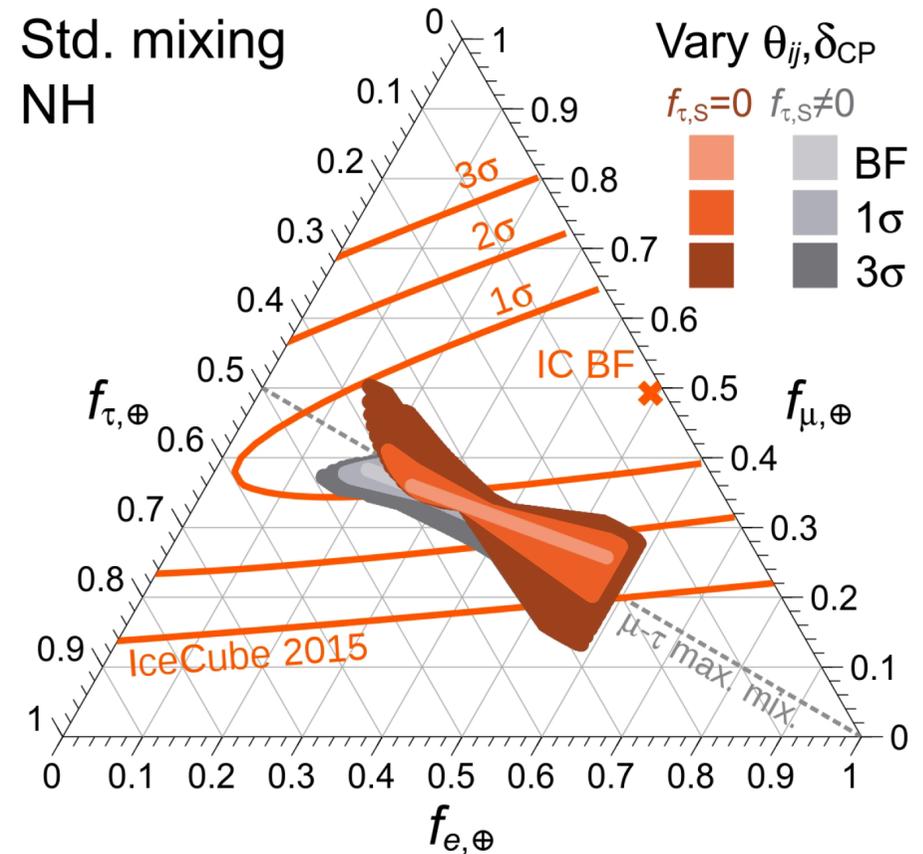
Neutrinos: Flavor composition

> Measurement



IceCube measurement
Astrophys. J. 809 (2015) 1, 98

> Standard Model expectation



Bustamante, Beacom, Winter,
PRL 115 (2015) 16, 161302

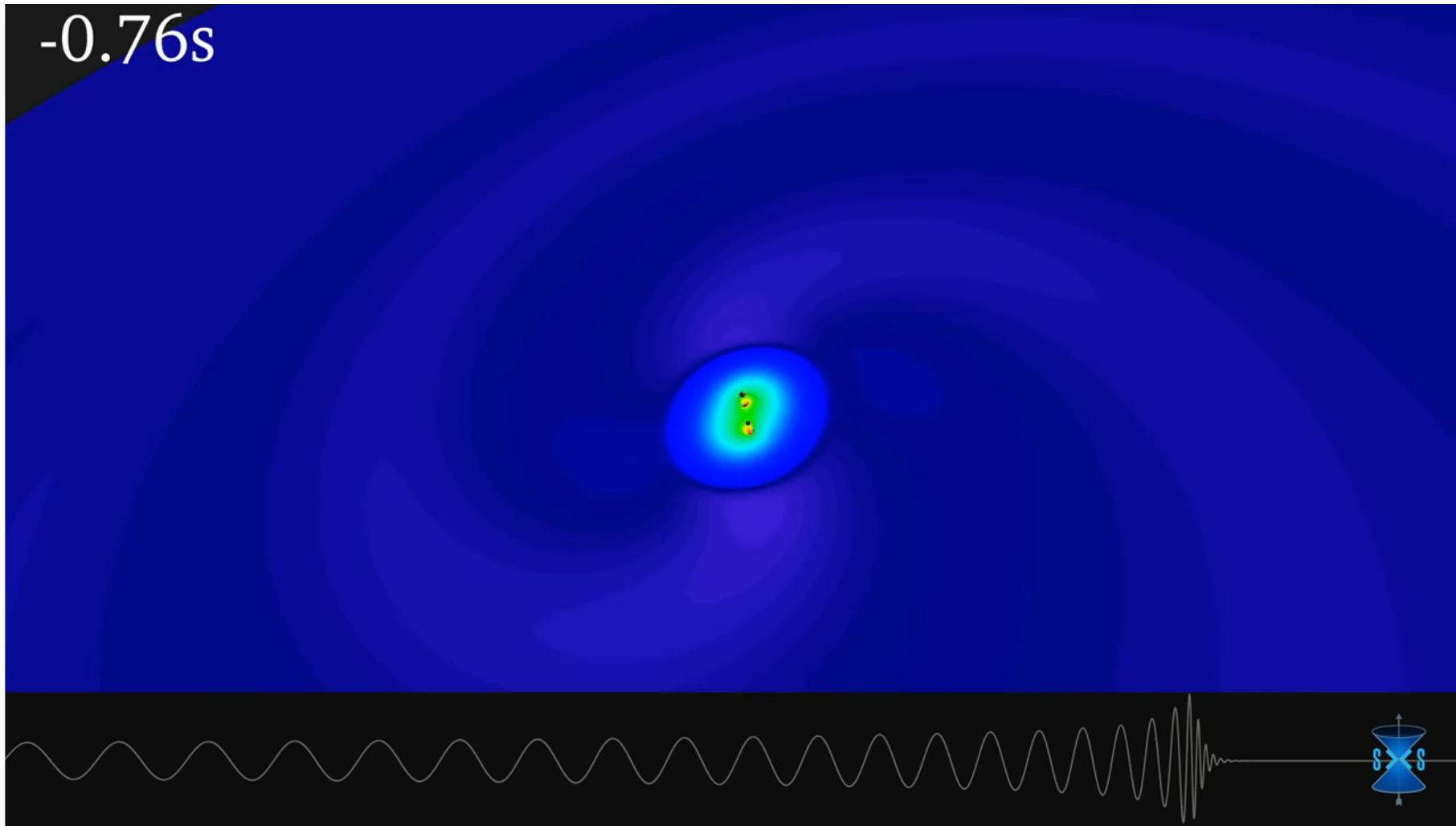
(there is a marginal tension ... hint for new physics???)



Meet the messengers: Gravitational waves

GW

- Fluctuations of metric tensor – general relativity. Black hole merger:

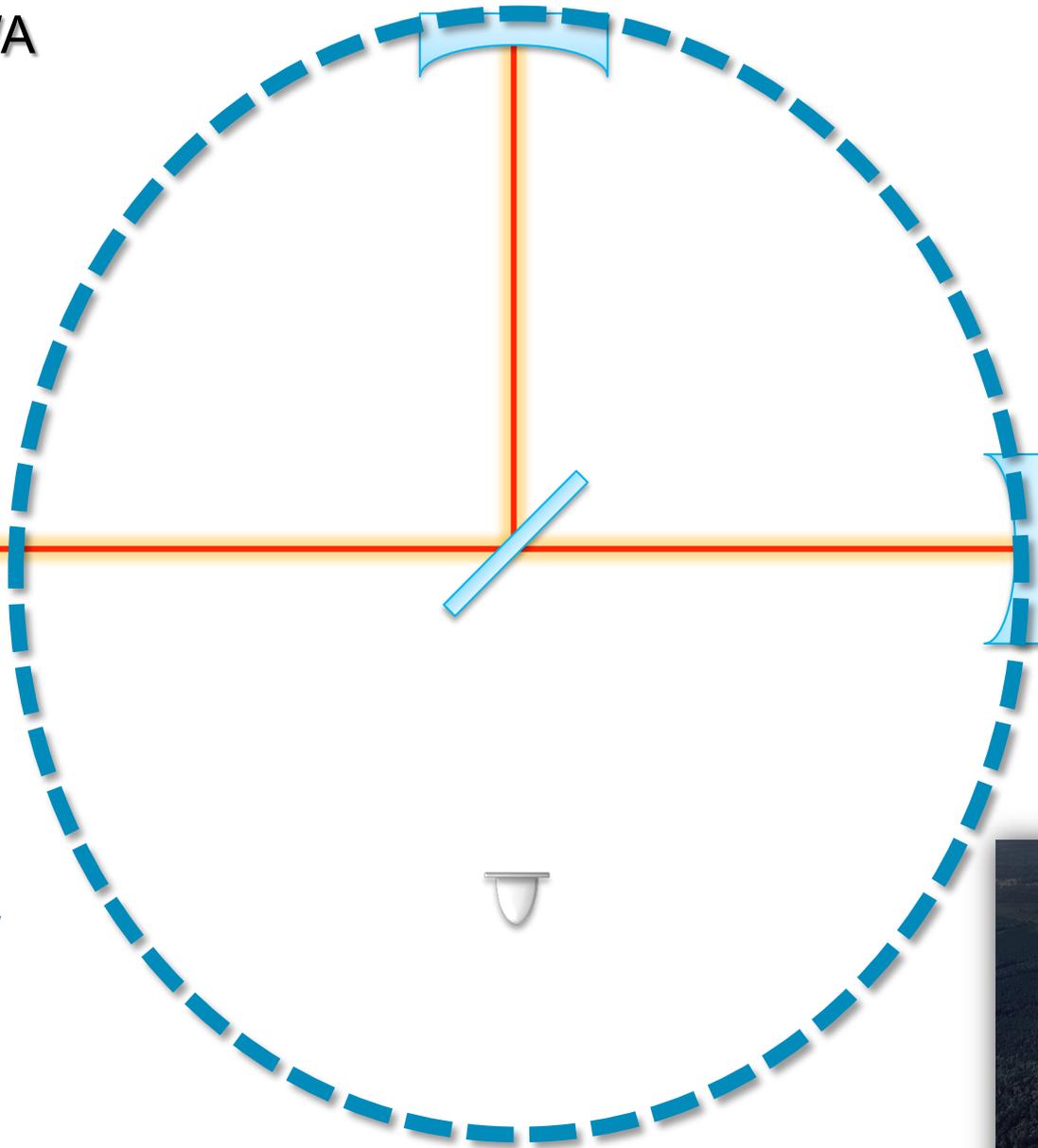


Key experiments: Advanced LIGO



Hanford, WA

Laser



“+” polarized GW
propagating
orthogonal to the
screen

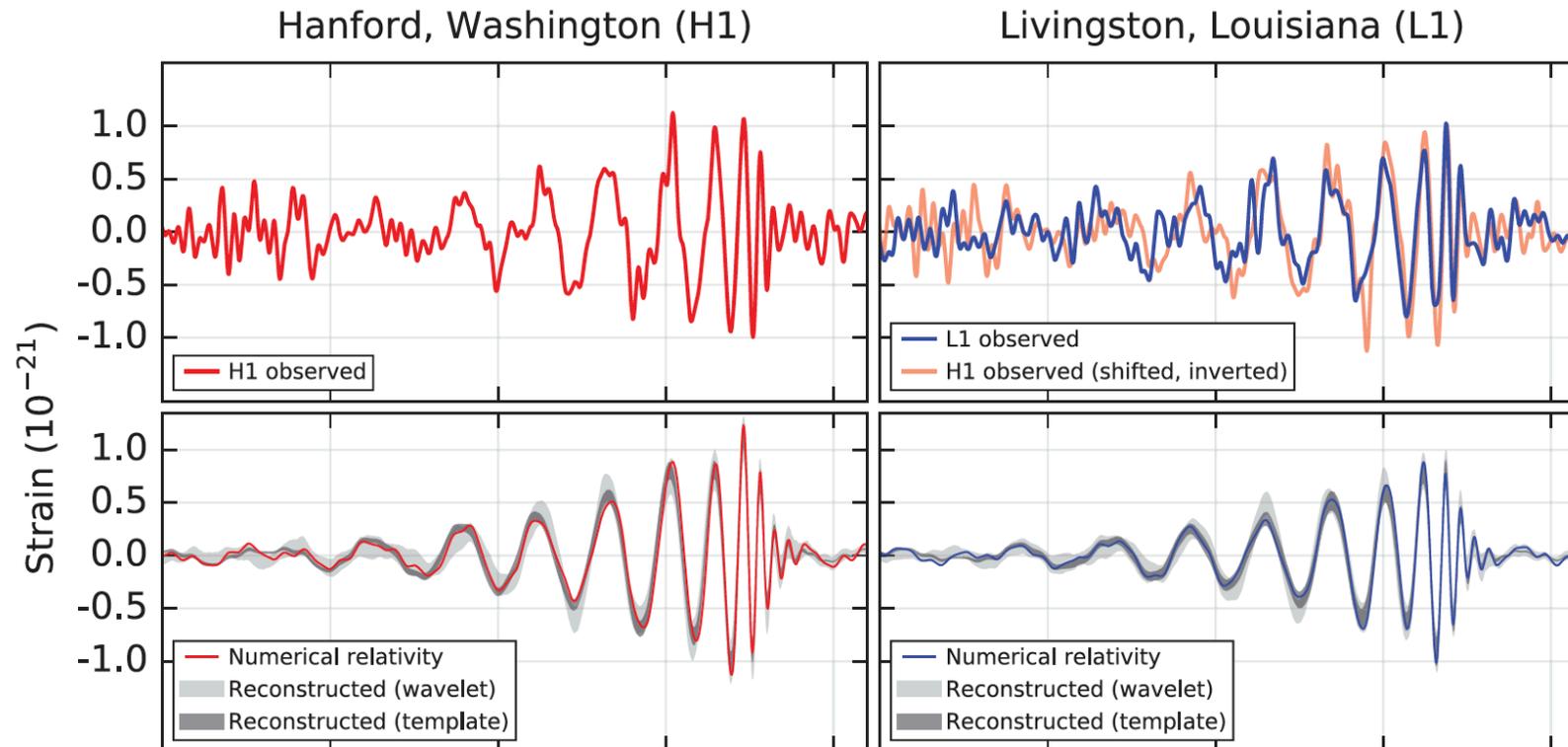


Livingston, LA

Giacomo Ciani

Experimental results

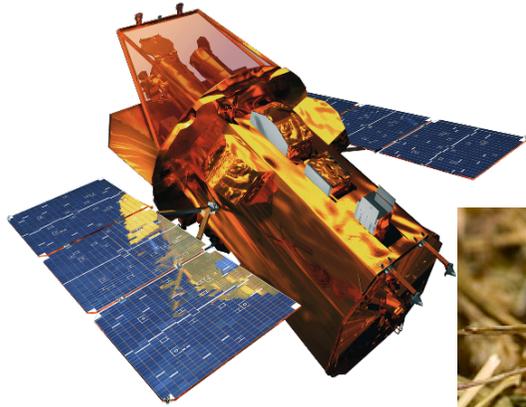
- Currently two evident events, from black hole mergers: GW150914, GW151226



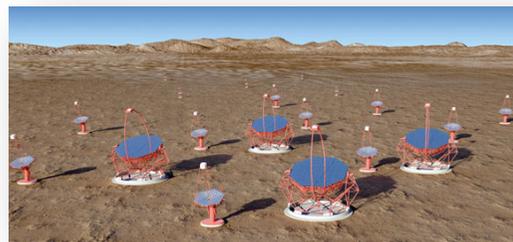
Ligo/Virgo, PRL 2016 x 2, Figure: GW 150914

- First estimates for BH-BH merger rates $\sim 9-240 \text{ Gpc}^{-3} \text{ yr}^{-1}$ [arXiv:1606.04856](https://arxiv.org/abs/1606.04856)

Multi-messenger follow-ups ... found nothing!

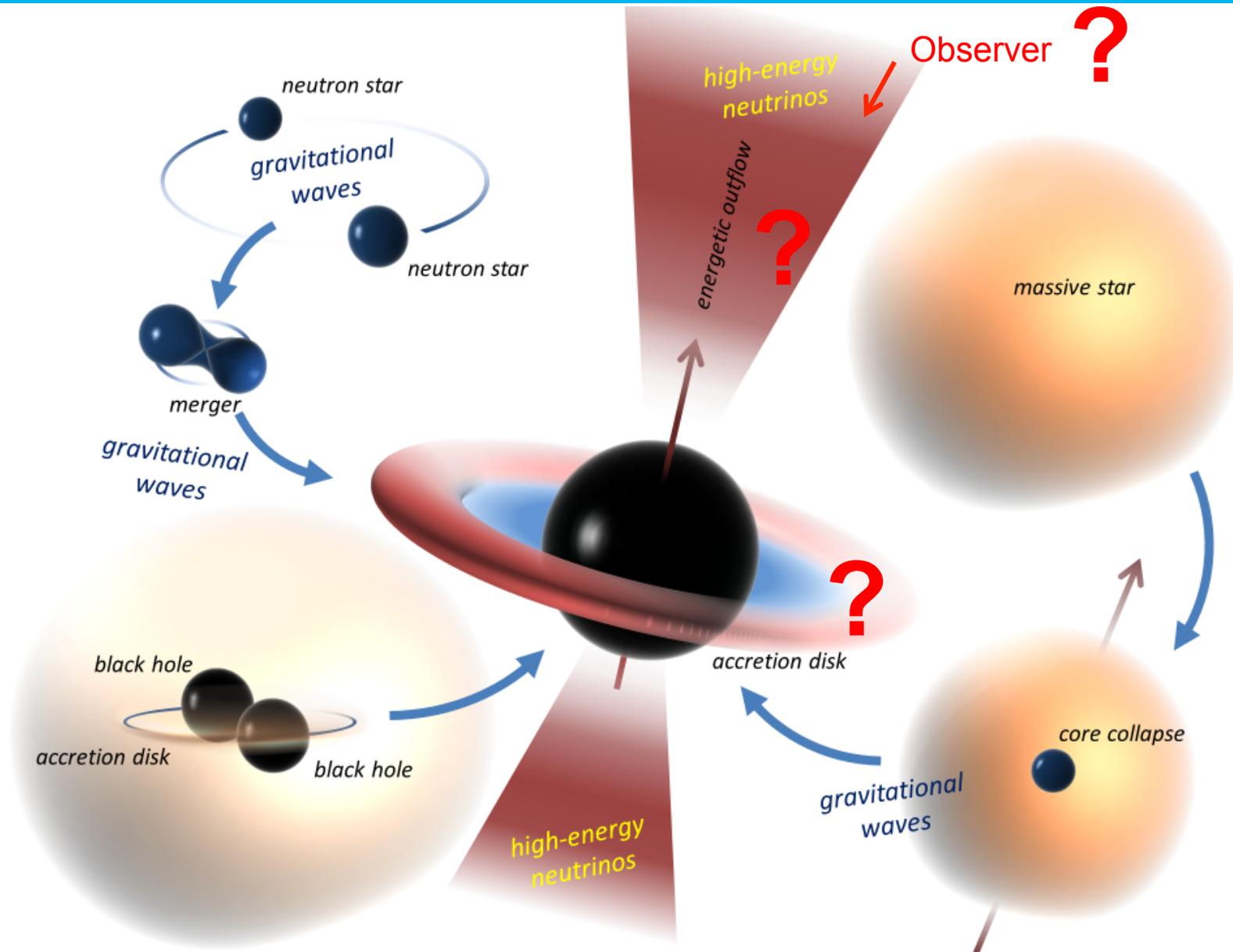


Bartos @ Neutrino 2016

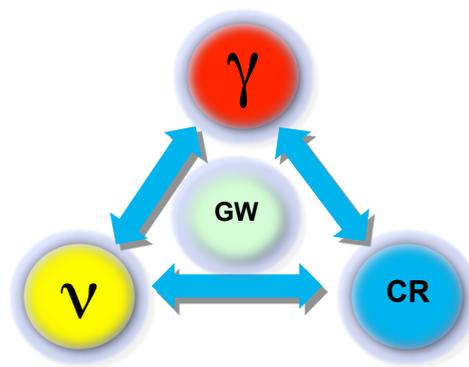


enschule 2

Theoretical paradigms?

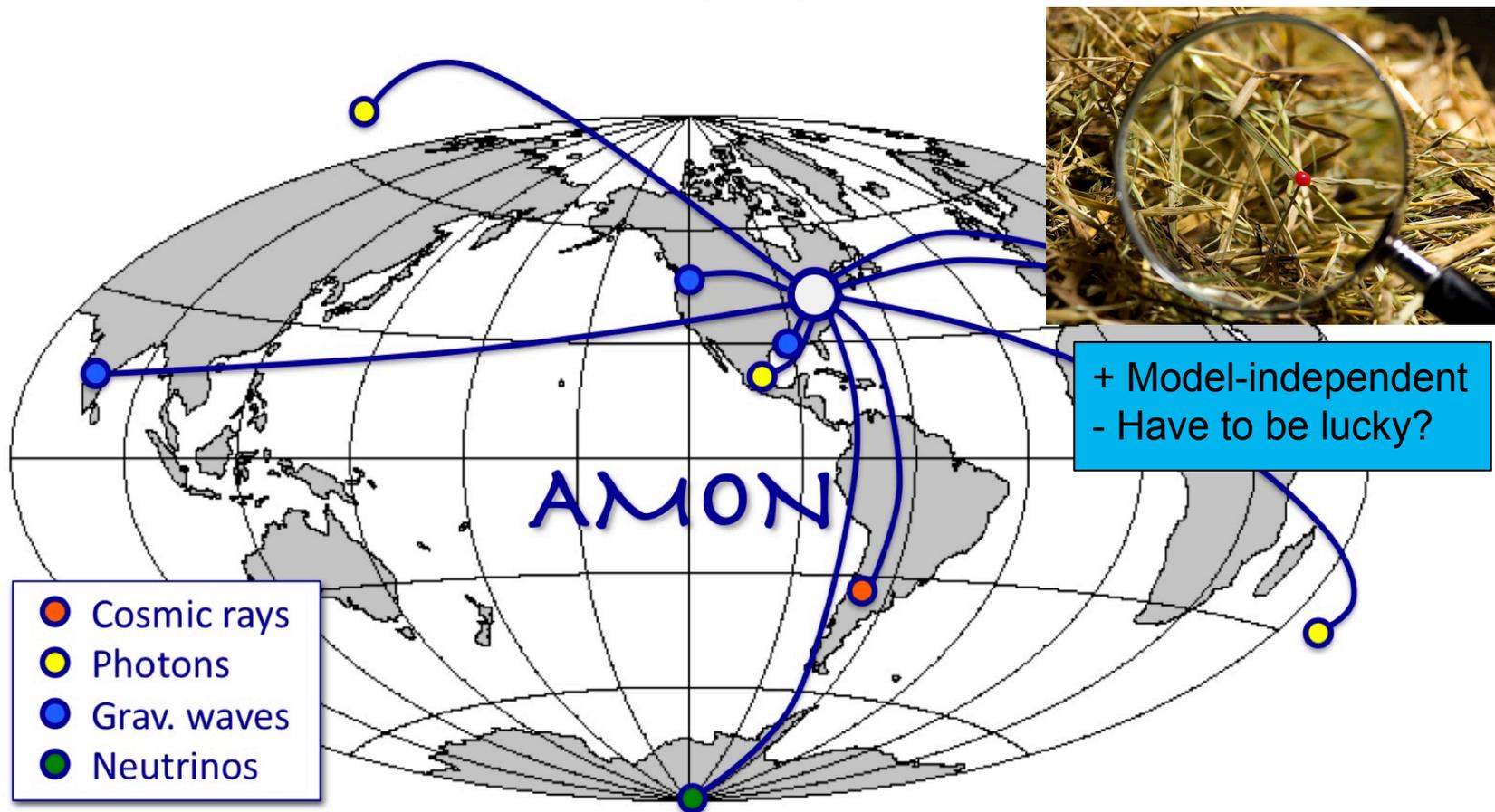
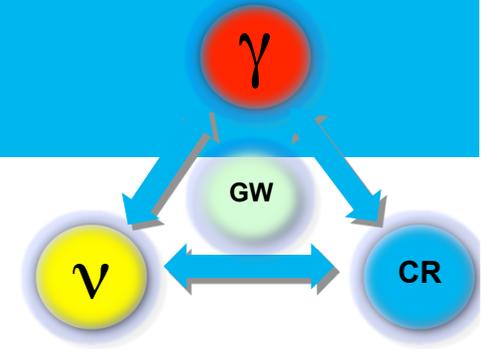


Examples for generic multi-messenger approaches



Observational strategies: Transients

- > Example:
Astrophysical Multimessenger Observatory Network
- > Triggers from observatories watching large portion of sky

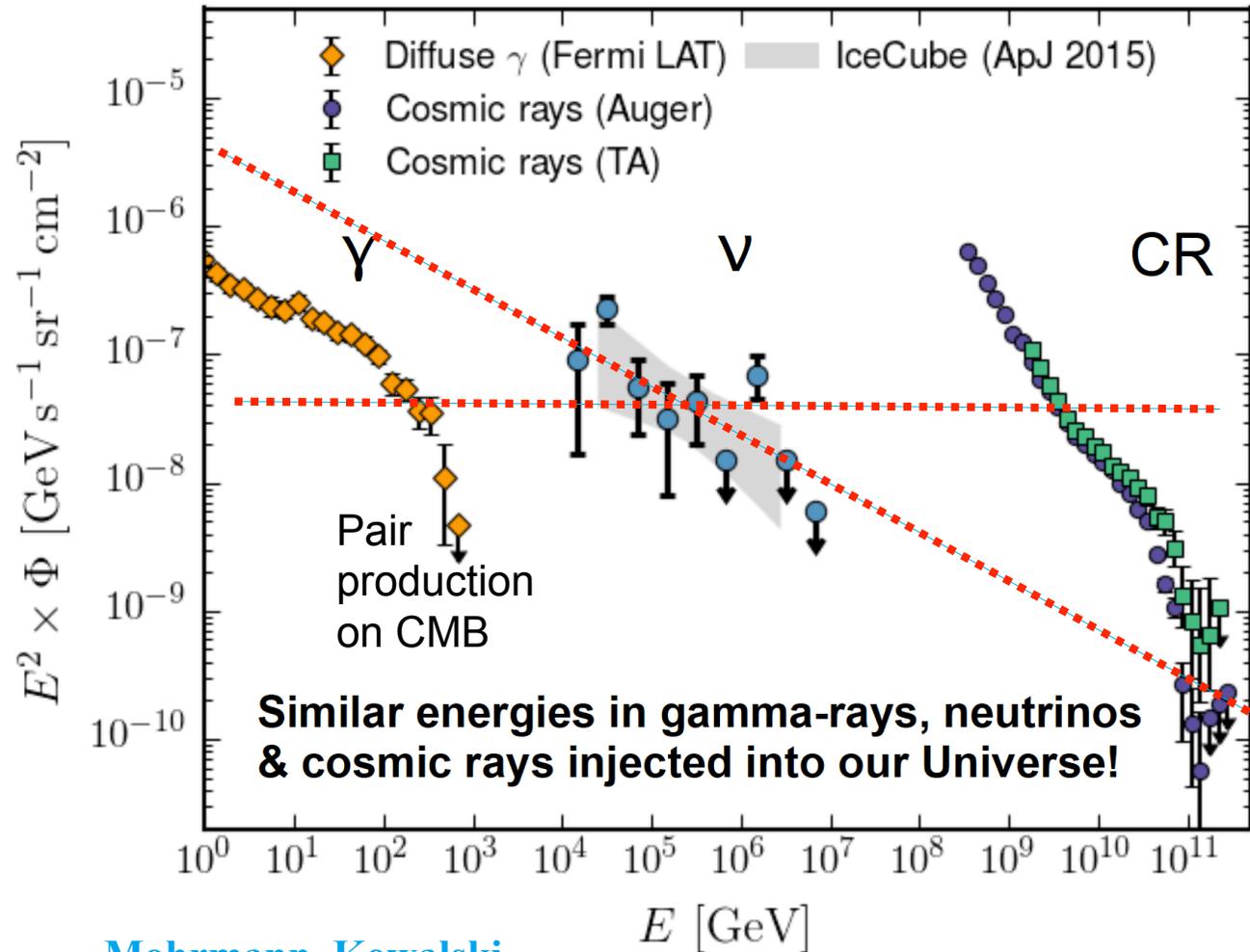


Waxman-Bahcall argument



- > Neutrino flux compatible with expectation from UHECR injection (if efficient secondary production)
Waxman, Bahcall, 1999

- > Caveats:
 - Extrapolation over many order of E
 - If not E^{-2} , imbalance in energy



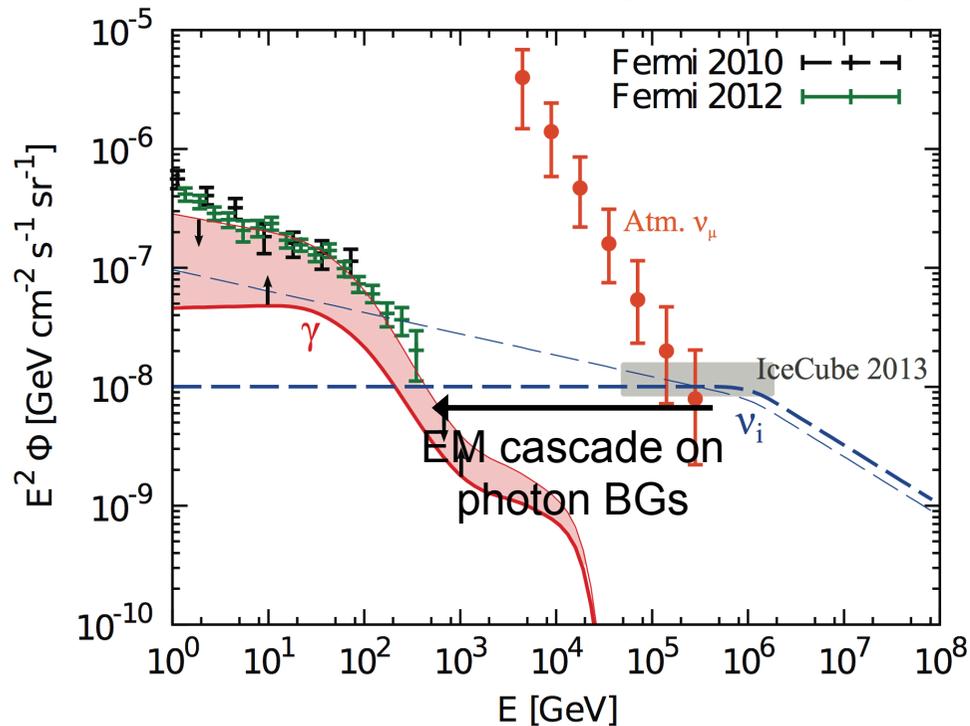
Mohrmann, Kowalski



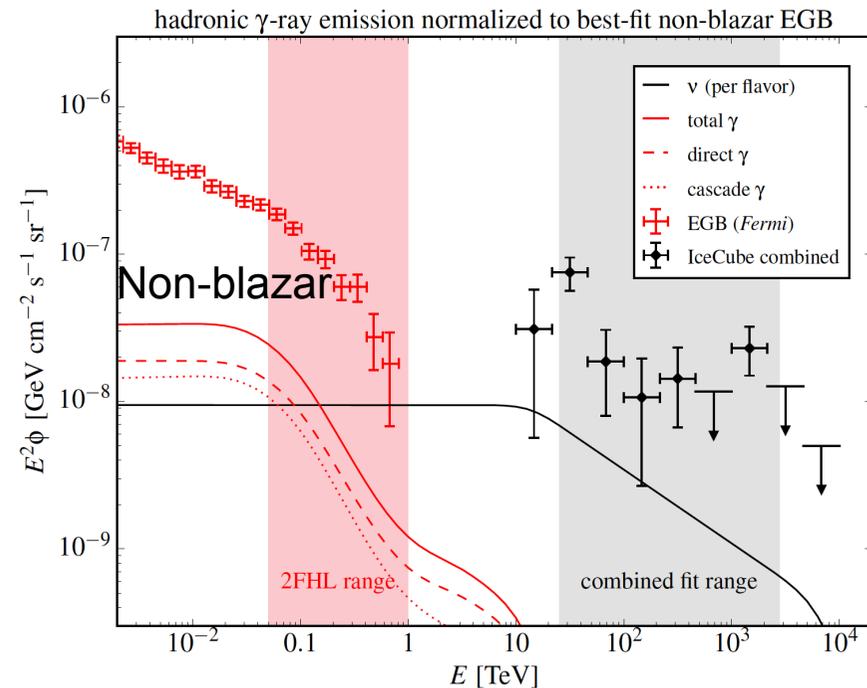
Constraints from diffuse γ -rays (Fermi)



- Recall that $\pi^0 (\rightarrow \gamma)$ and $\pi^\pm (\rightarrow \nu)$ are produced together. Model-independent constraints? [works well for pp sources]
- Saturate diffuse extragalactic γ -ray background:



Murase, Ahlers, Lacki, 2013

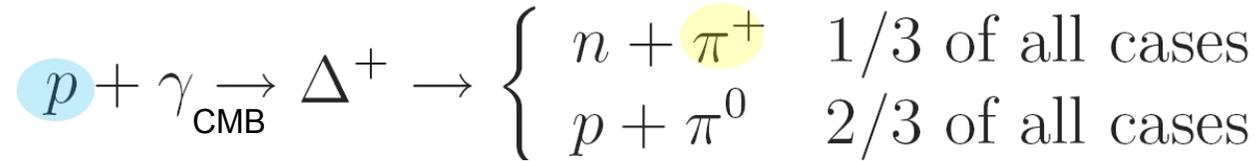


Bechtol et al, arXiv:1511.00688

- The problem is actually more severe: the non-blazar contribution to the extragalactic γ -ray background is small (e.g. from starburst galaxies)



Cosmogenic neutrinos



> Neutrinos probe the Universe beyond the local environment

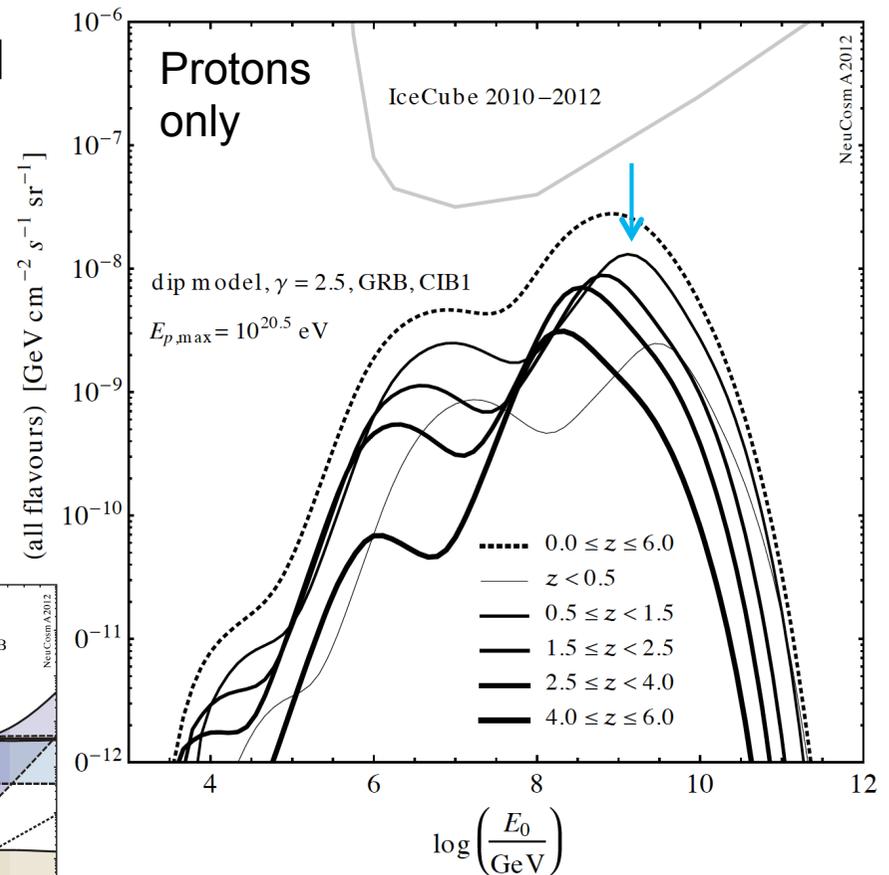
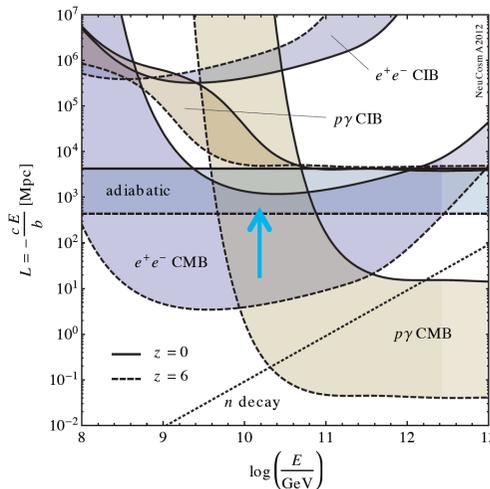
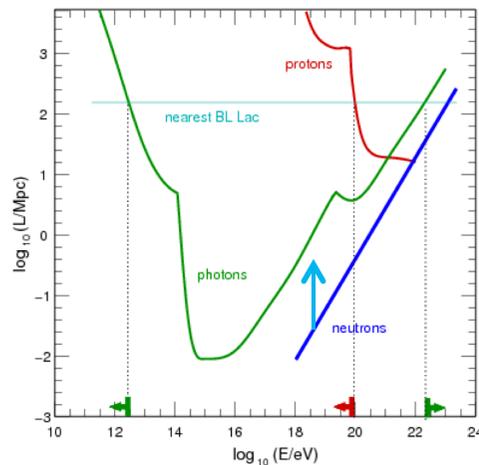
> Example:

$$E_\nu \sim \frac{1}{4} 0.2 E_p \sim 0.05 E_p$$

$$E_\gamma \sim \frac{1}{2} 0.2 E_p \sim 0.10 E_p$$

Attenuation length (z=0):

$\gamma \sim 1 \text{ Mpc}$, Proton $\sim 1 \text{ Gpc}$ (z ~0.3)



M. Bustamante

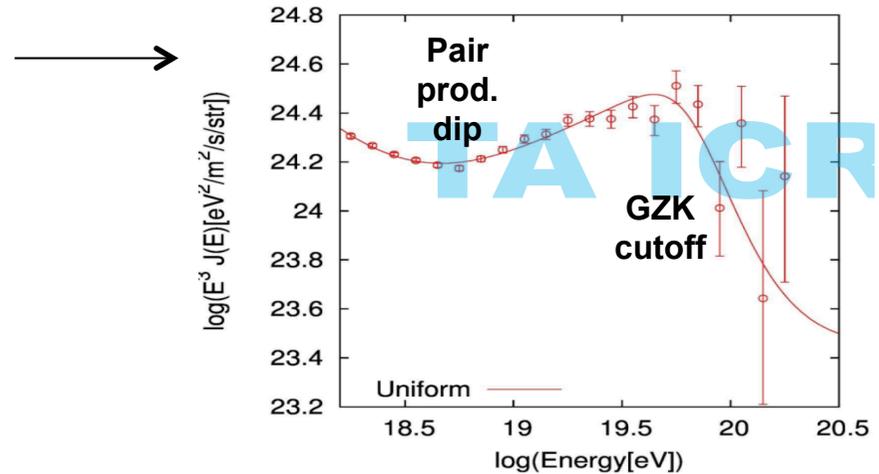


Neutrino bound on proton dip model

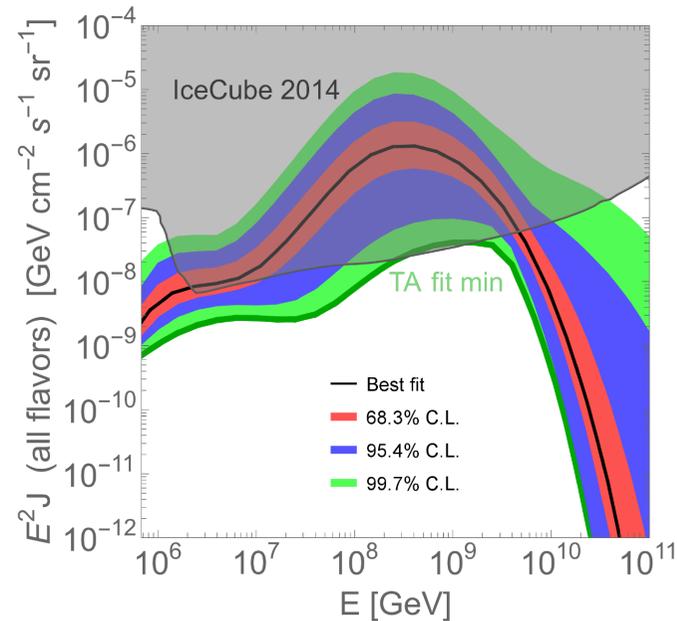
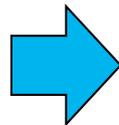
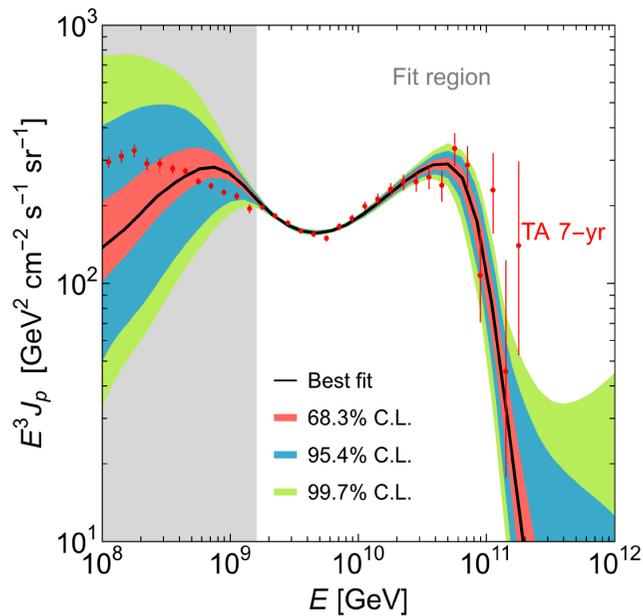


➤ Re-call proton dip model paradigm
Berezinsky, Gazizov, Grigorieva, ~2005

➤ 3D fit of 7-year TA data in tension
cosmogenic neutrinos
Heinze, Boncioli, Bustamante, Winter,
Astrophysical Journal 825 (2016) 122



Jui @ ICRC 2015



What does it mean?

Heavier composition?

Transition at ankle?

➤ Similar arguments from γ -ray BG e. g. Supanitsky, 2016



Describing interactions (blackboard)



Contents

Lecture 1

➤ Particle astrophysics of hadronic sources (basic concepts)

➤ Radiation models (blackboard)



➤ Meet the messengers:

- Photons
- Cosmic rays
- Neutrinos
- Gravitational waves

Lecture 2

➤ Examples for generic multi-messenger approaches

➤ Describing interactions (blackboard)



➤ Challenges for multi-messenger approaches

Lecture 3

➤ Energetics of sources (blackboard)



➤ How to address the key challenges; example: GRBs

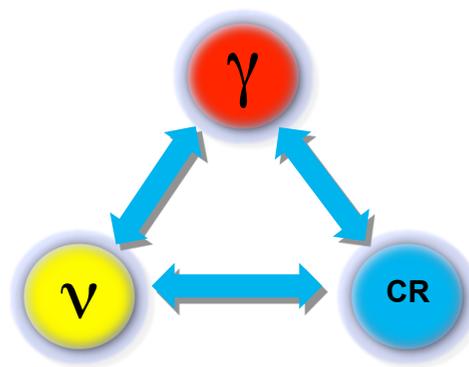
DISCLAIMER:
Apologies if specific experiments or theoretical results are not mentioned. It is impossible to review this subject completely.

Relevant for exercises

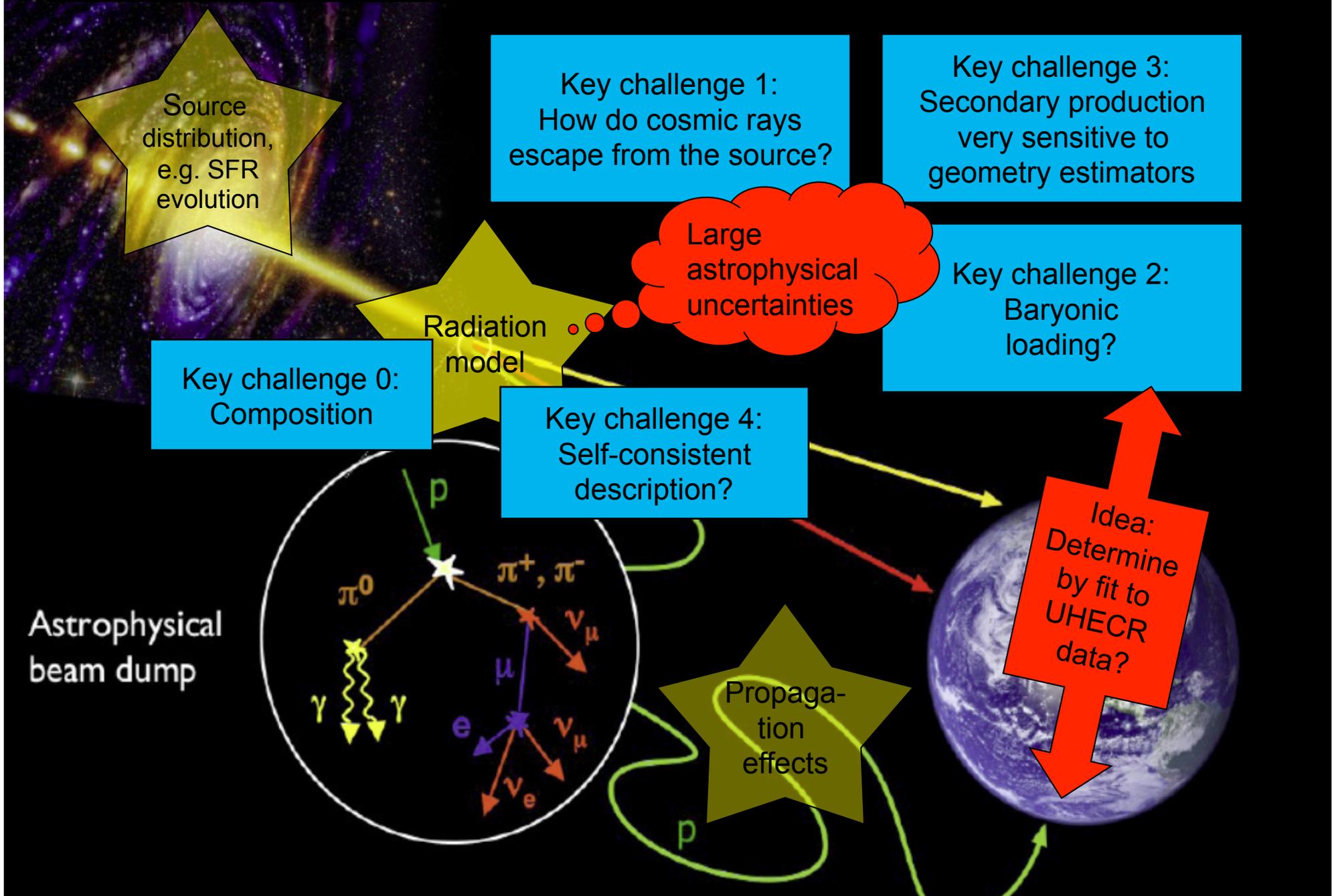


Incl. special feature: stacking analyses

Challenges for multi-messenger approaches (including special feature on stacking analyses)



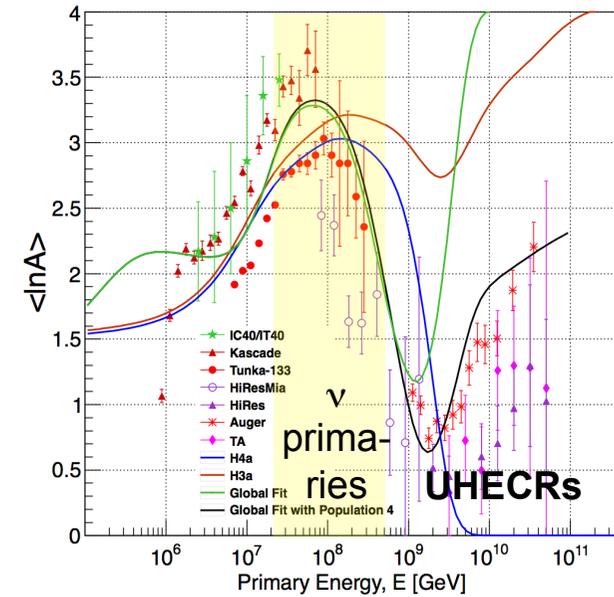
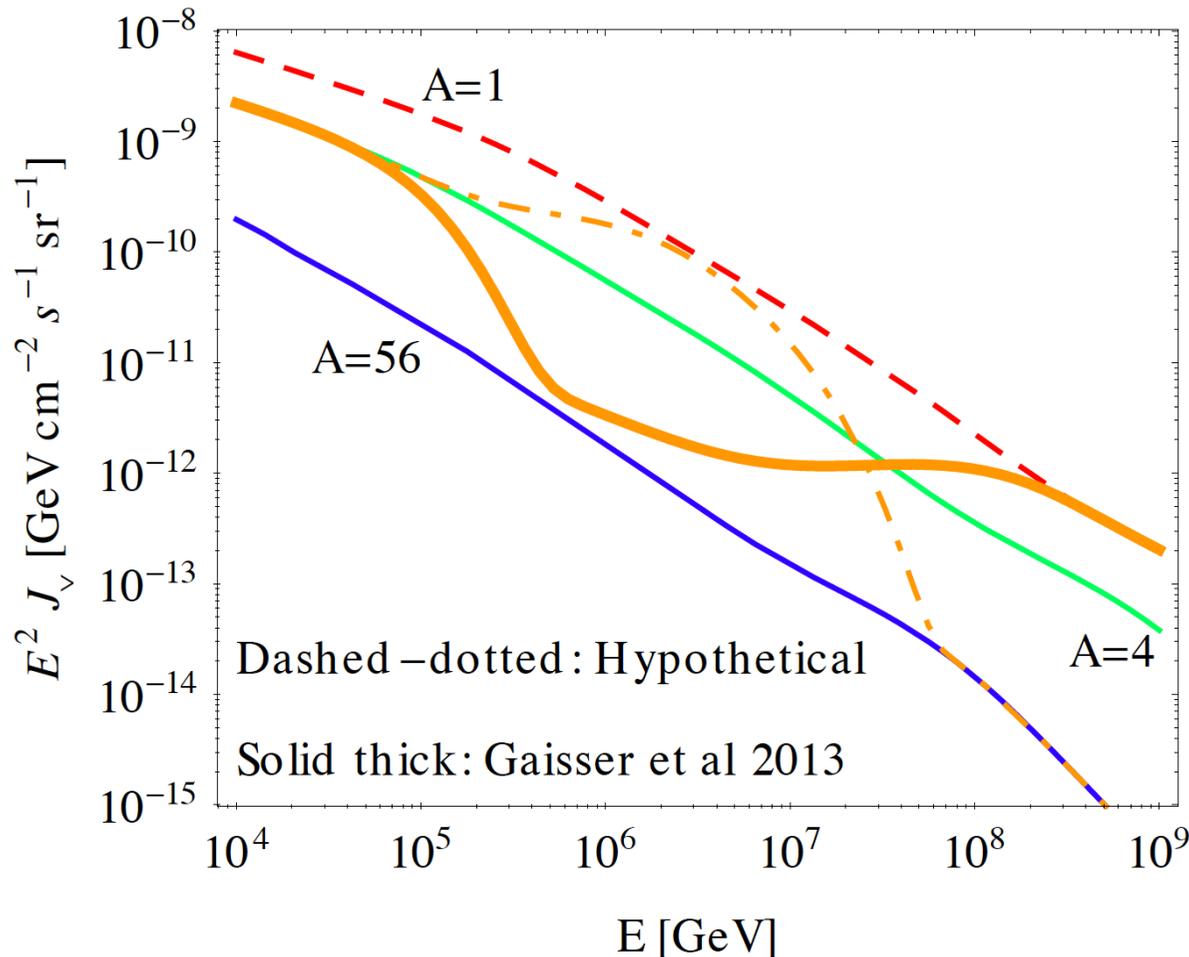
Challenges for multi-messenger analyses and models



Neutrinos from CR interactions in our galaxy



- If the protons deviate from E^{-2} (as we observe), the neutrino spectrum strongly depends on composition



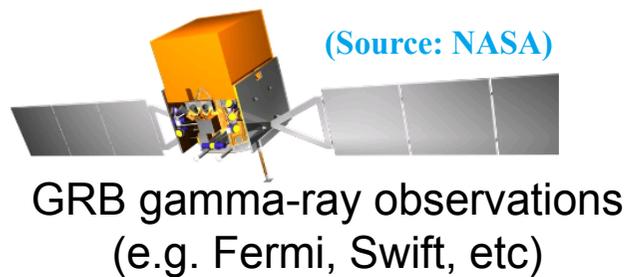
Gaisser, Stanev, Tilav, 2013

Key challenge 0:
Composition

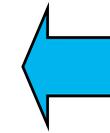
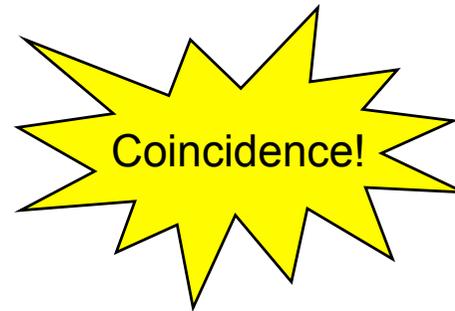
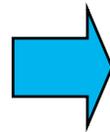
Joshi, Gupta, Winter, MNRAS 439
(2014) 3414



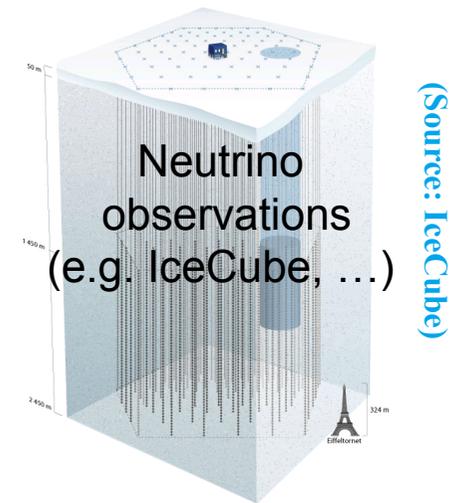
Multimessenger stacking analyses



A)



B)



- > Constrain the flux in messenger B) for individual similar-type objects observed in messenger A) (typically photons in different energy bands, such as X-rays, γ -rays)
- > Use timing (transients, flares), directional or energy information to reduce backgrounds and filter out the relevant information from messenger B)
- > Effective background reduction techniques e.g. for neutrinos (Atmospheric backgrounds are suppressed by “duty cycle” of observation, energy cuts or directional cuts)

Stacking analysis, illustrated (e.g. neutrinos, transients)

- > Expected number of events from one transient:

$$N_i = \int dE \mathcal{F}_i(E) A_{\text{eff}}(E)$$

Effective area A_{eff} typically includes analysis cuts; *fluence* (time-integrated flux from a transient) F_i in units $\text{cm}^{-2} \text{GeV}^{-1}$

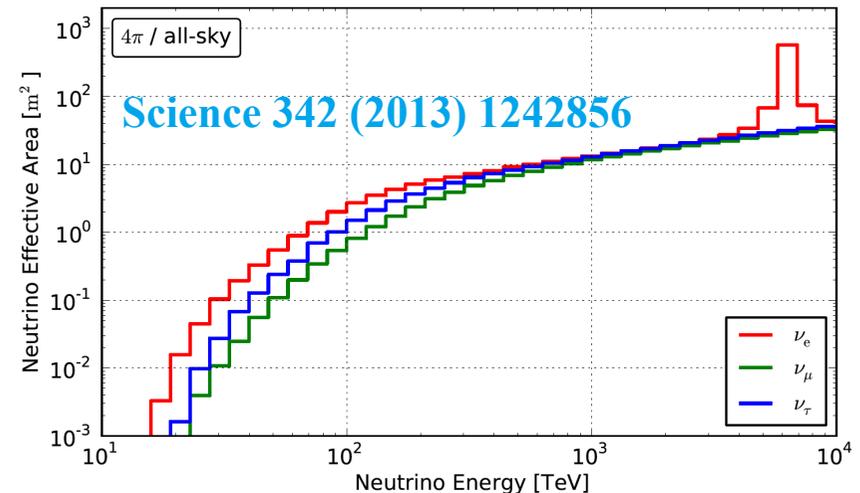
- > The fluence F_i typically has a specified shape and a free normalization, e.g.

$$\mathcal{F}_i = K \cdot E^{-2} \quad (\text{if all sources are alike})$$

- > Expected total number of events $N = \sum_i N_i$ can be translated into a limit on K (e.g. $N=2.44$ for 90% CL with 0 BG) **(Feldman, Cousins, 1998)**

- > If a prediction or limit for F_i exists, one can convert that into a quasi-diffuse flux $\phi_{\text{QD}} \equiv (4\pi)^{-1} \mathcal{F}_i \dot{n}$, where \dot{n} is the expected number of transient events (observable in messenger A) per time frame (year)

- > *Exercise: How do prediction and limit scale with observation time?*



Real-life example: AGN blazars



> AGN blazar search with 2nd Fermi-LAT catalogue

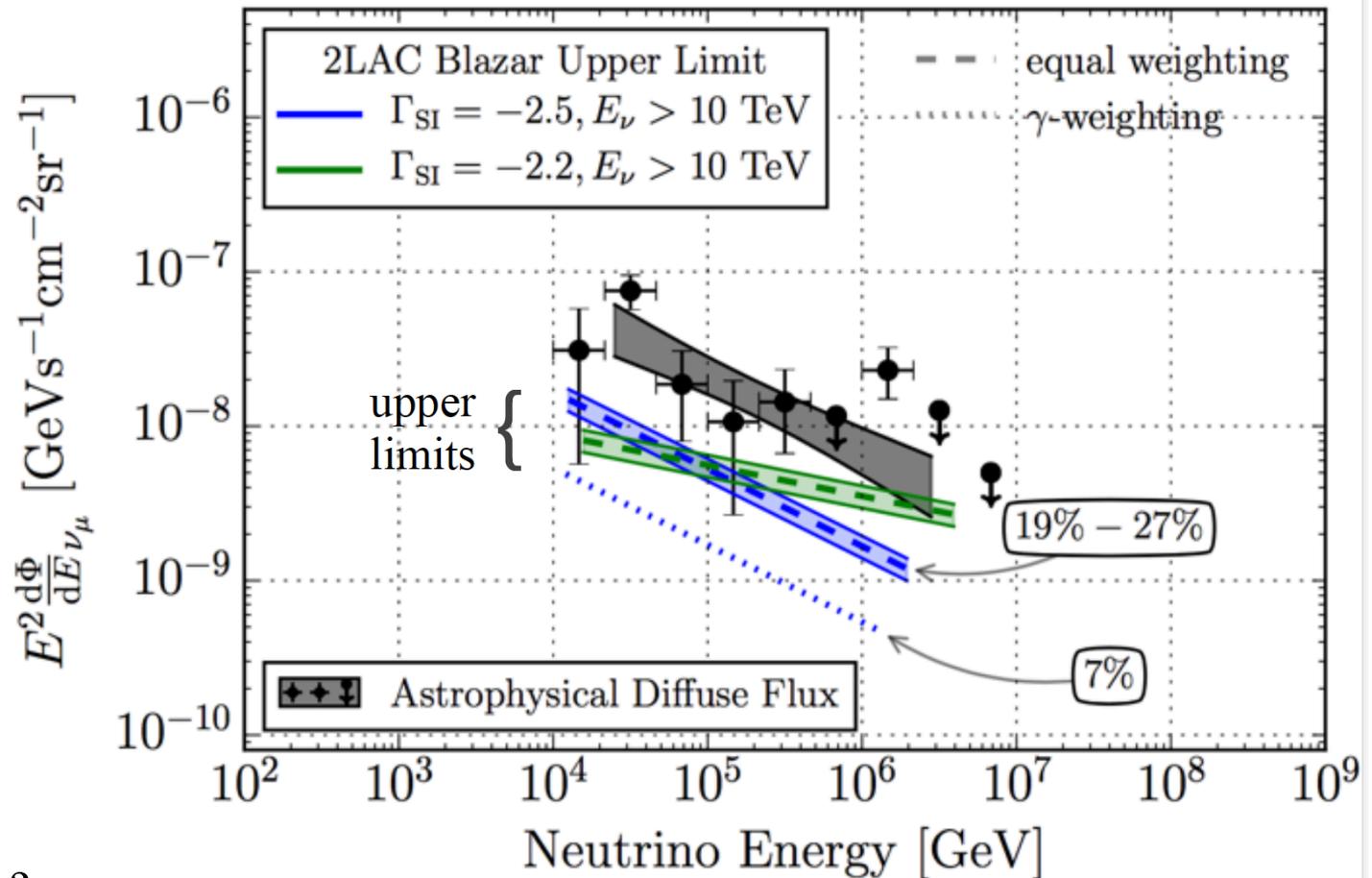
> Power law shape

> Different assumptions:

- All F_i alike
- $F_i^\nu \sim F_i^\gamma$

> However: wouldn't one expect $F_i^\nu \sim (F_i^\gamma)^2$?
(Secondary production \sim Density²)

Key challenge 3:
Secondary production very sensitive to geometry estimators



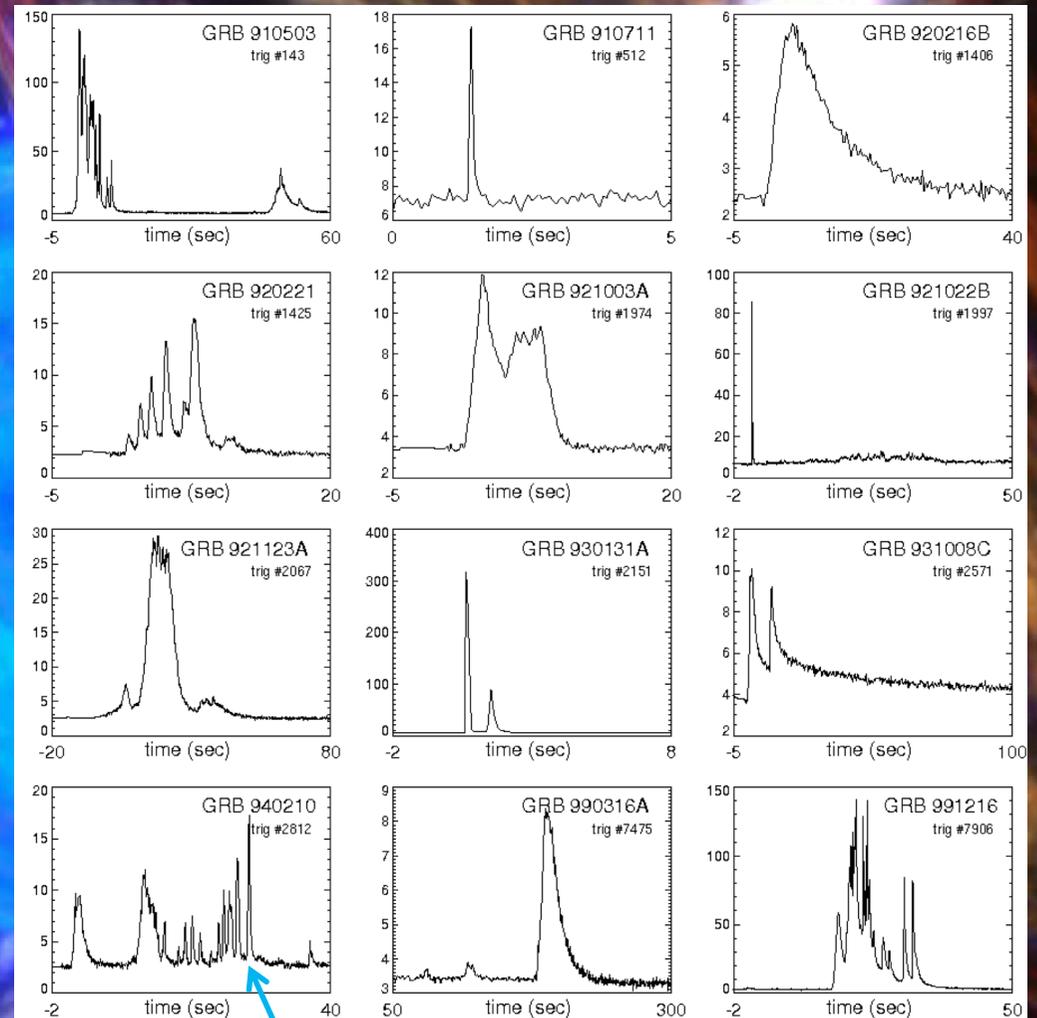
(Thorsten Glüsenkamp, arXiv:1502.03104; Kowalski@Neutrino 2016; IceCube to appear; for the experts: see also talk by M. Peptropoulou at TeVPA 2016)



Gamma-ray bursts (GRBs)

Daniel Perley

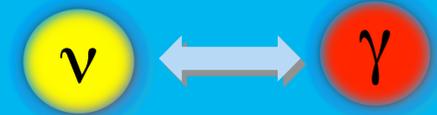
- > Most energetic electromagnetic (gamma-ray) outburst class
- > Several populations, such as
 - Long-duration bursts (~10 – 100s), from collapses of massive stars?
 - Short-duration bursts (~ 0.1 – 1 s), from neutron star mergers?
- > Typical redshift ~ 1-3 (cosmological distances)
Useful as “standard candles”?
- > Observed light curves come in large variety



t_v : variability timescale

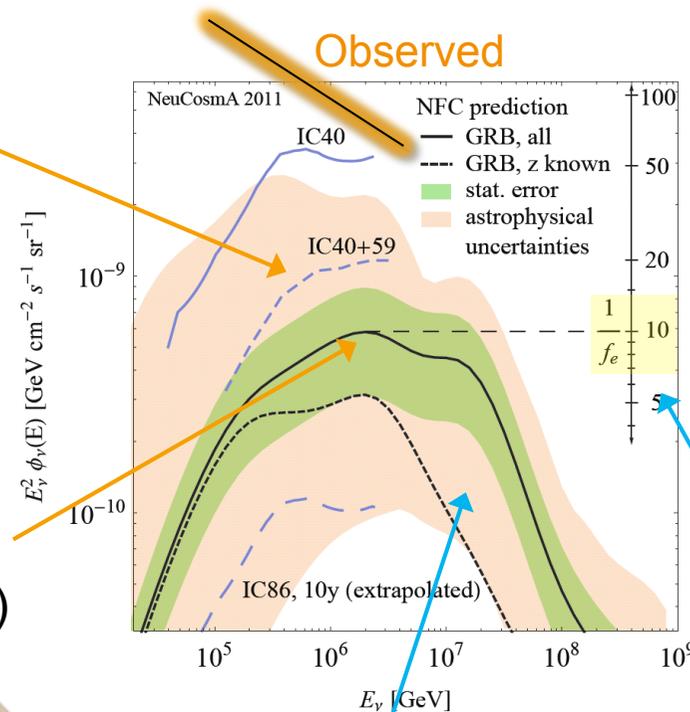
Source: NASA

GRB stacking analysis



- > More sophisticated stacking: Use spectral information and measured properties of GRBs to predict individual GRB expectation
- > Need Density \sim Energy / Volume in source
Geometry estimators (from time variability, Γ) used to compute volume

- > Strong limit,
IceCube, Nature 484 (2012) 351;
see [arXiv:1412.6510](https://arxiv.org/abs/1412.6510) for update
not the dominant source
of observed diffuse ν flux!
- > Current limit close to
prediction **from gamma-rays;**
however: many
assumptions
(e.g. **baryonic loading f_e^{-1} , Γ , z , t_ν**)

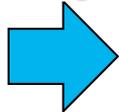


(from: Hümmer,
Baerwald,
Winter,
PRL 108 (2012)
231101)

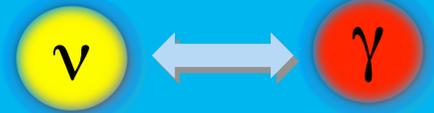
Key challenge 2:
Baryonic
loading?

Key challenge 3:
Secondary production
very sensitive to
geometry estimators
(pink region)

Are the properties inferred
from γ -ray observations
representative for CR and
 ν emission?

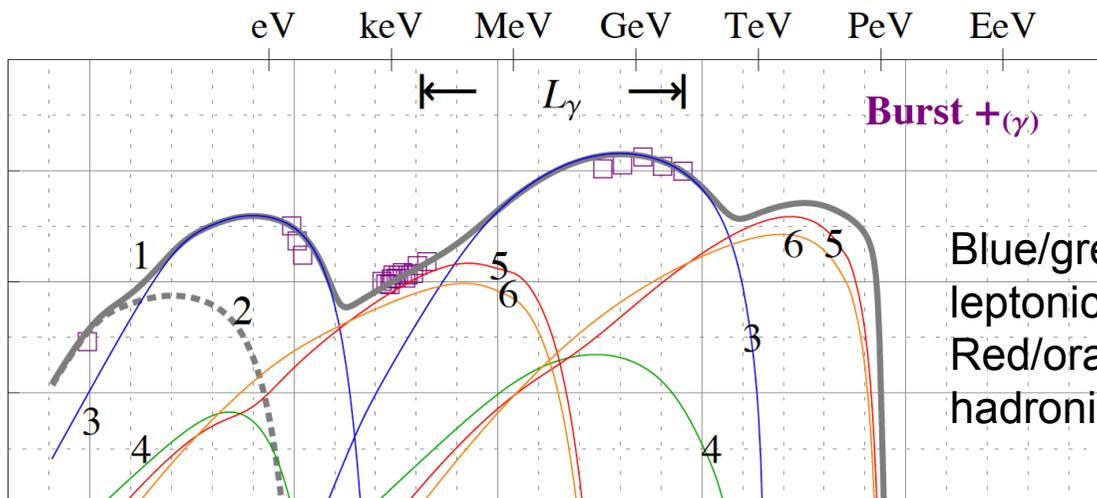
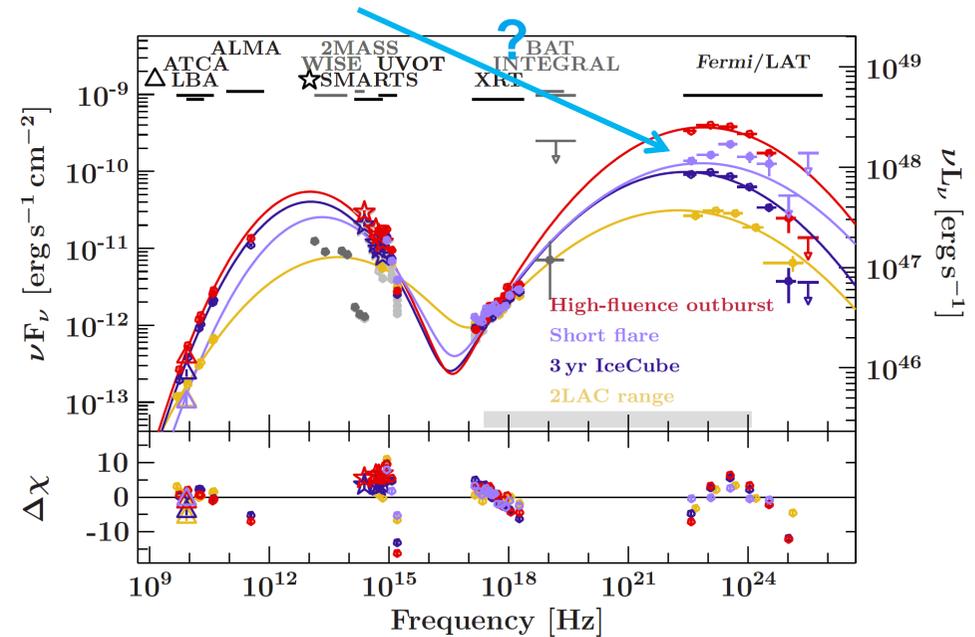


Neutrino production in AGN



- Re-call connection: $p + \gamma \rightarrow \Delta^+ \rightarrow \begin{cases} n + \pi^+ & 1/3 \text{ of all cases} \\ p + \pi^0 & 2/3 \text{ of all cases} \end{cases}$
- Assume that 2nd peak from hadronic γ -rays (from π^0 produced with π^+)
- One neutrino event from blazar PKS B1424-418?

Problem: cannot describe 2nd peak by hadronic processes only in self-consistent model



Key challenge 4:
Self-consistent
description?

Kadler et al,
arXiv:1602.02012,
Nature Physics

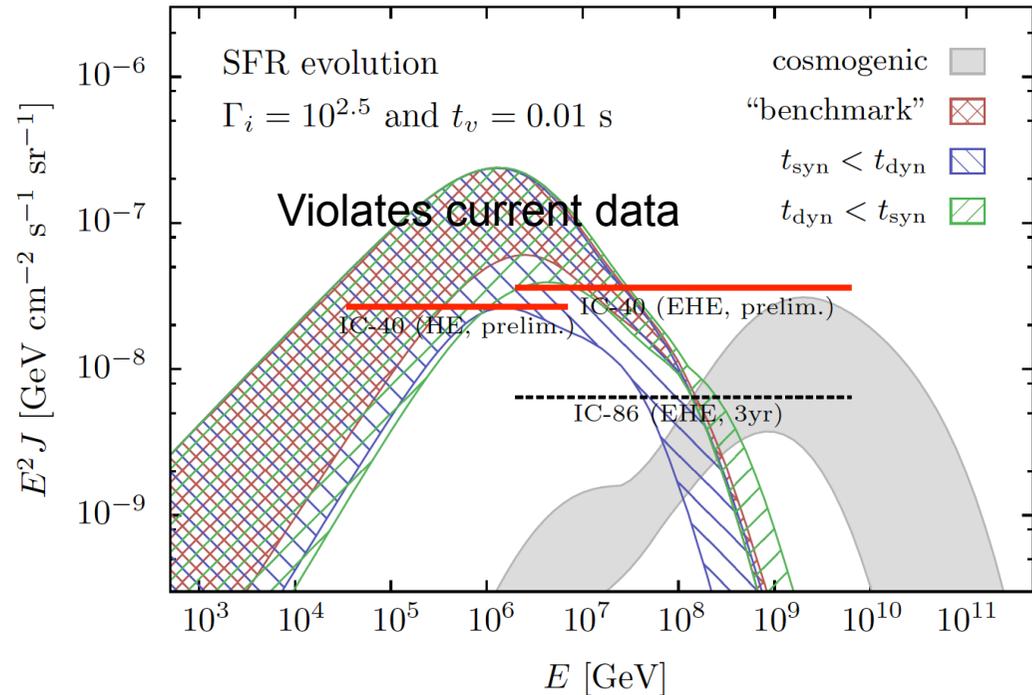
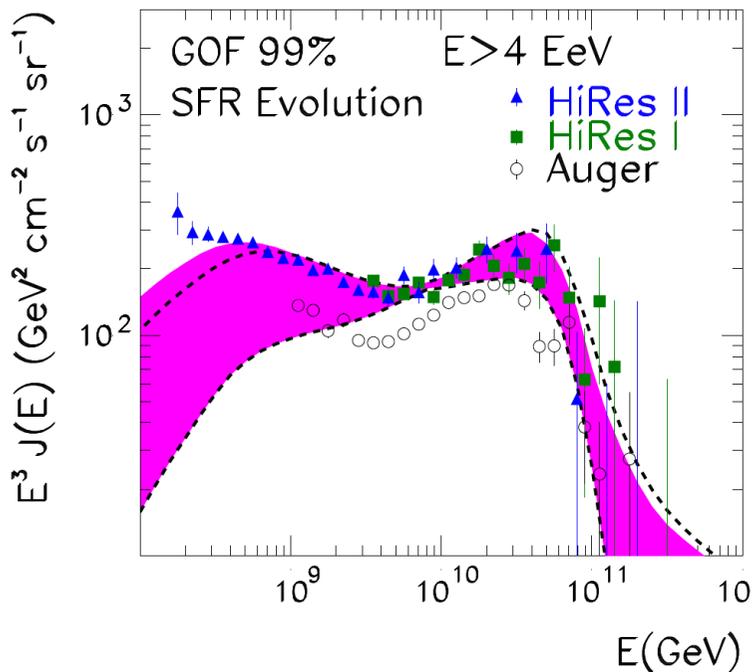
Gao, Pohl, Winter, 2016;
for working examples: see
Petropoulou et al, 2015+



Similar arguments: ν production in GRBs?



➤ Re-call connection: $p + \gamma \rightarrow \Delta^+ \rightarrow \begin{cases} n + \pi^+ & 1/3 \text{ of all cases} \\ p + \pi^0 & 2/3 \text{ of all cases} \end{cases}$



Ahlers, Gonzalez-Garcia, Halzen, *Astropart. Phys.* **35** (2011) 87

Key challenge 1:
How do cosmic rays
escape from the source?

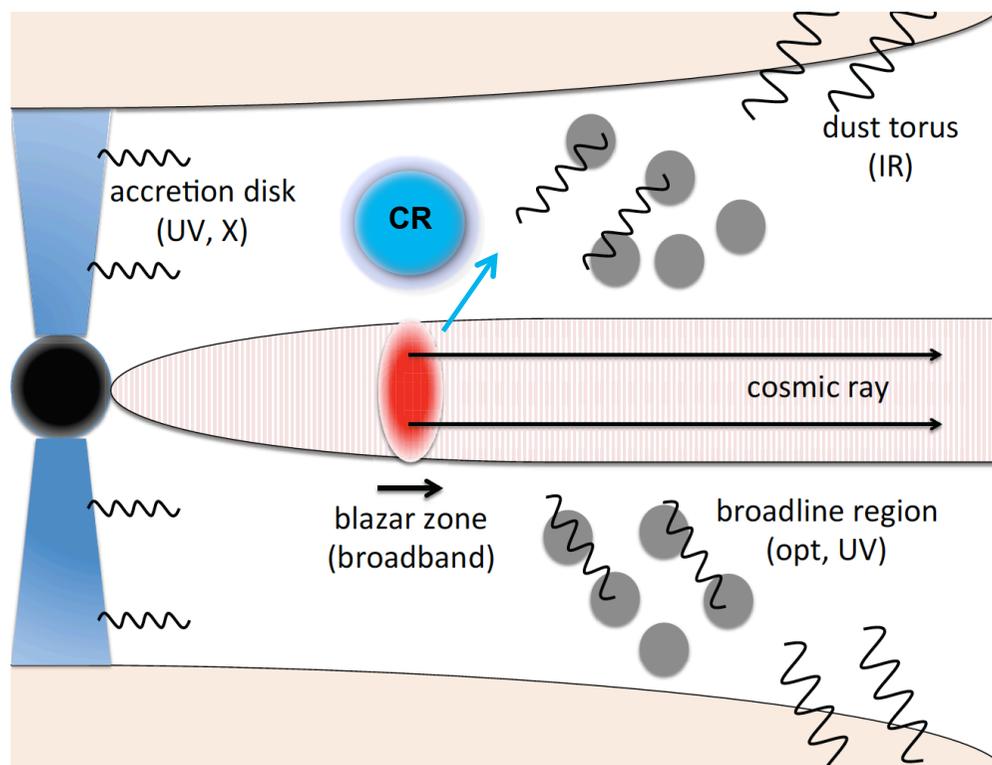
Key challenge 2:
Baryonic loading?

e.g. Baerwald, Bustamante, Winter,
Astropart. Phys. **62** (2015) 66

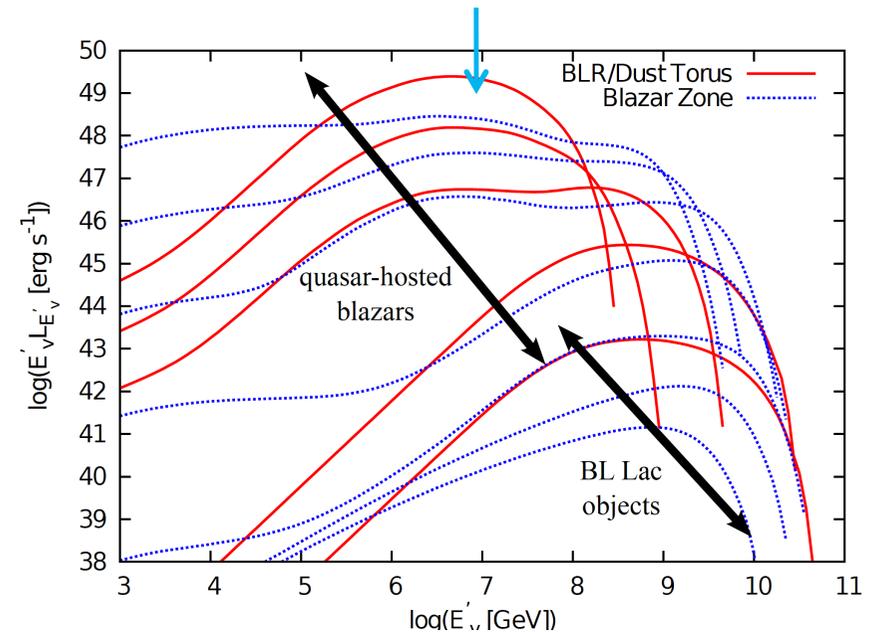


Neutrinos from protons escaping AGN blazars

- Neutrinos from pion production on external photons may dominate over neutrinos from blazar zone *if the cosmic rays can efficiently escape*



Can the primaries efficiently escape from the blazar zone at 10^8 GeV (here: black hole frame)?



Key challenge 1:
How do cosmic rays
escape from the source?

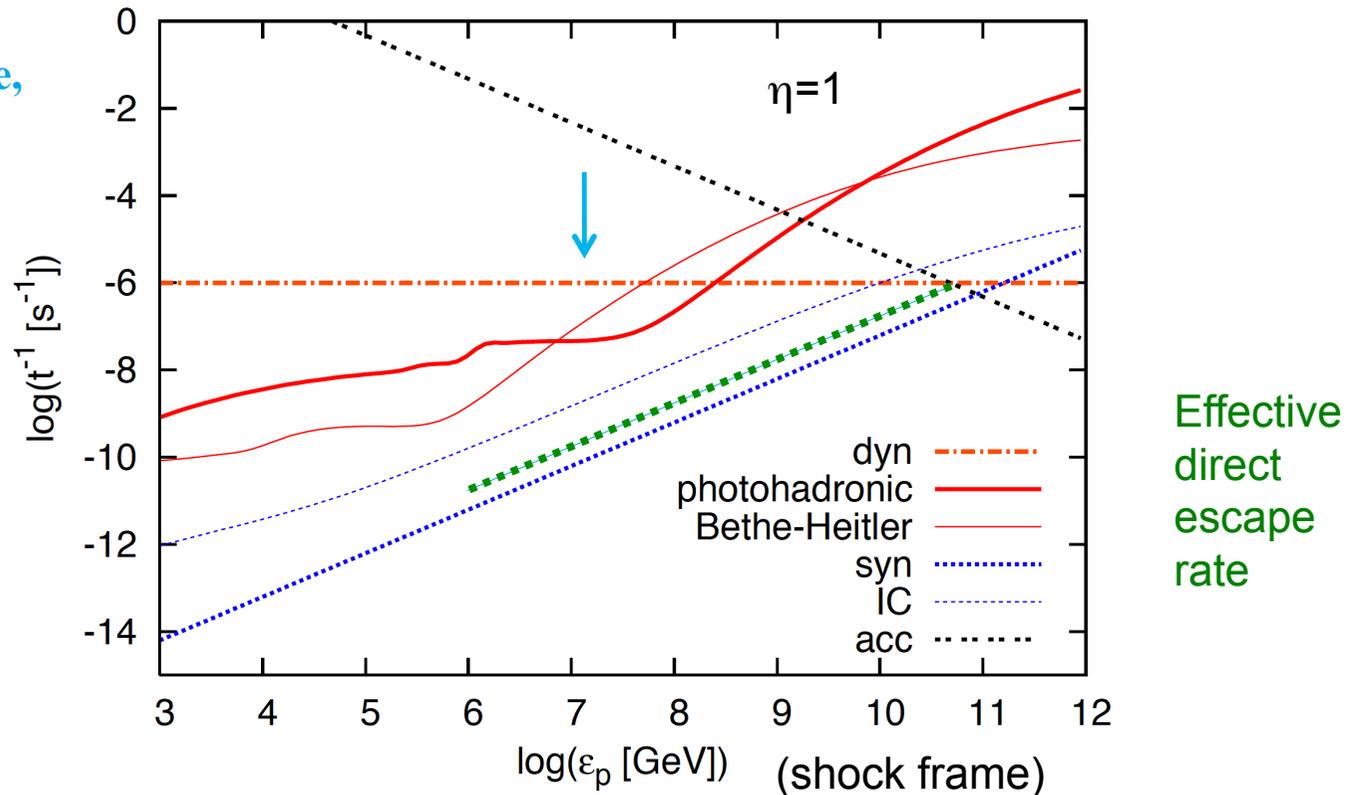
Murase, Inoue, Dermer, 2014



Impact of assumptions on cosmic ray escape

- > The authors assume escape fraction $f_{\text{esc}} = (1 - \min(1, t_{\text{dyn}}/t_{\text{cool}}))$
What fraction of cosmic rays can escape at 10^7 GeV (shock frame)?

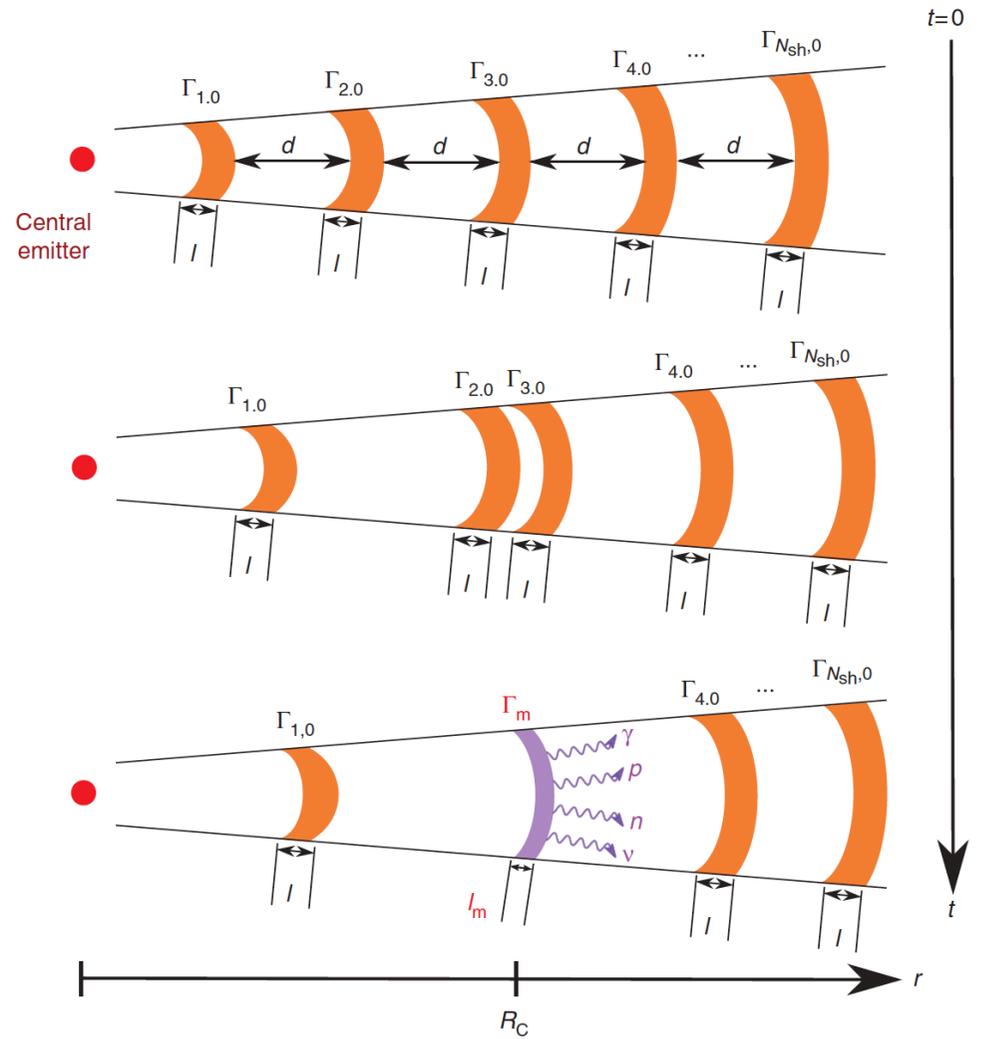
Murase, Inoue,
Dermer, 2014



- > Assume that the protons are magnetically confined and only the fraction $f_{\text{esc}} = \min(1, c R_L/t_{\text{dyn}})$ can escape (escape from edge of region within R_L)
What fraction of cosmic rays can escape now at 10^7 GeV?
Consequence?

Energetics of sources, geometry estimators (blackboard)

Example: GRBs



Towards addressing the key challenges in multi-messenger models

Example: GRBs



Challenges for multi-messenger models

Source distribution, e.g. SFR evolution

Key challenge 1: How do cosmic rays escape from the source?

Key challenge 3: Secondary production very sensitive to geometry estimators

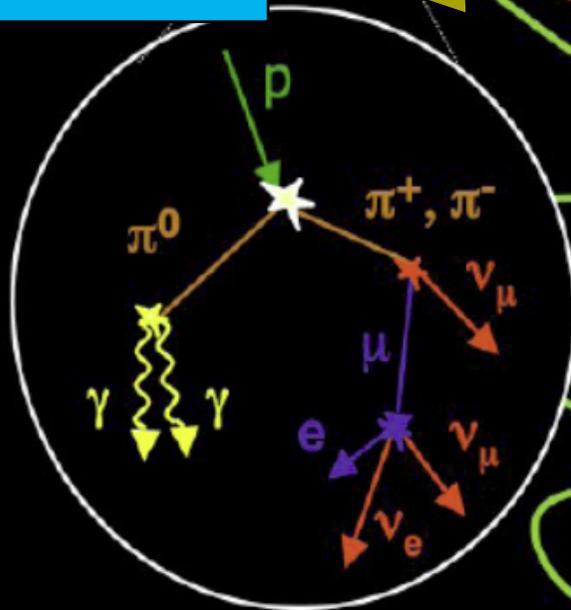
Large astrophysical uncertainties

Key challenge 2: Baryonic loading?

Key challenge 0: Composition

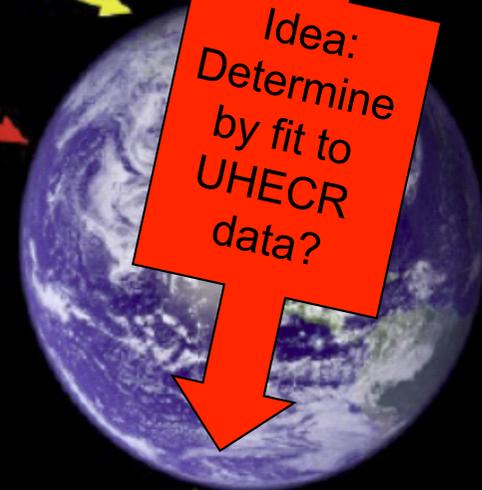
Radiation model

Astrophysical beam dump



Propagation effects

Idea: Determine by fit to UHECR data?



GRB - Internal shock model

- > **One zone model:** All collisions assumed to occur at same radius: $R_C \sim 2 \Gamma^2 c t_v / (1+z)$ (requires “machine-gun” precision)

Volume $\sim R_C^2 t_v$ estimated from Γ , t_v ; therefore strong dependence of pion production efficiency on geometry estimator (key challenge 3)

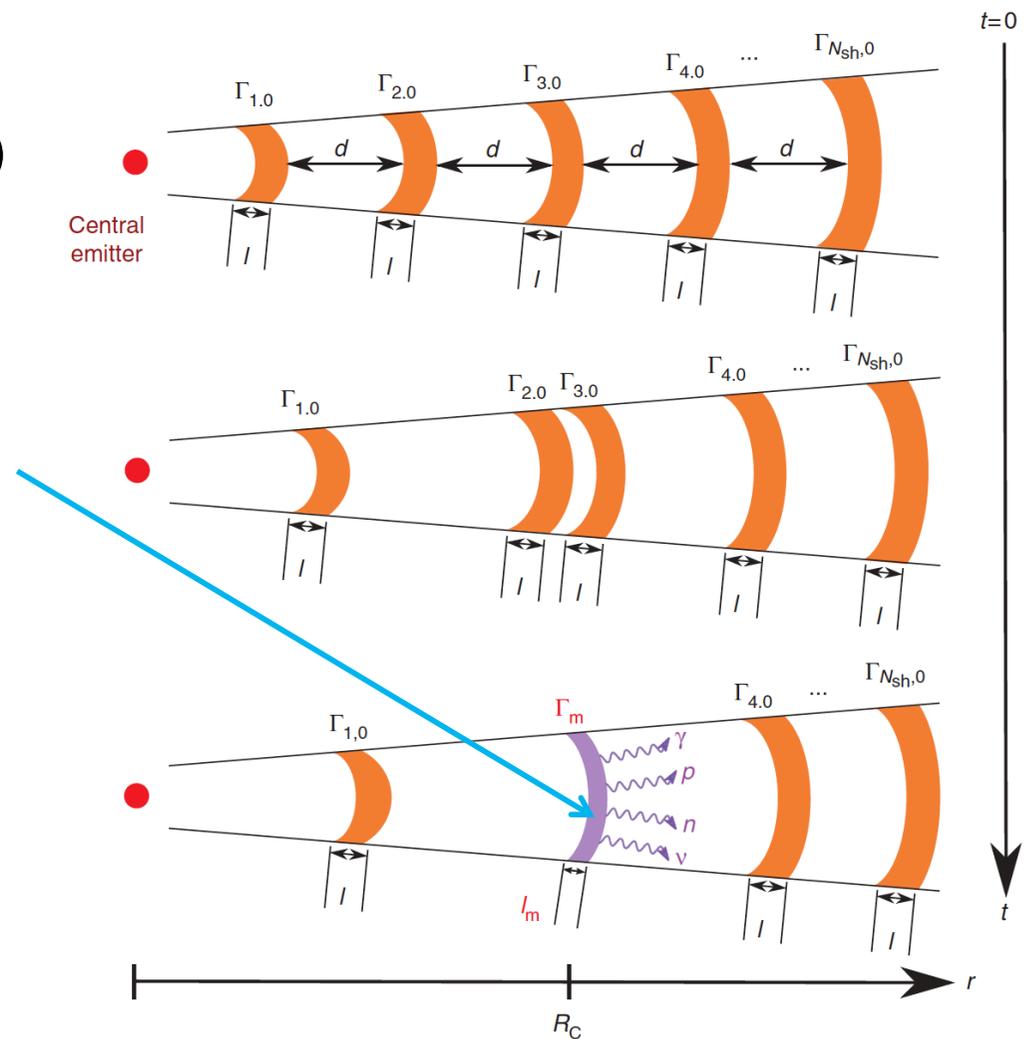


Guetta et al, *Astropart. Phys.* 20 (2004) 429

- > **Multi-zone model:** Distribution of collisions depending on properties of the central engine

(needed to dissipate initial kinetic energy efficiently)

$$\langle \Gamma \rangle \sim 100-500$$



Key issue 1: How do cosmic rays escape from the source?

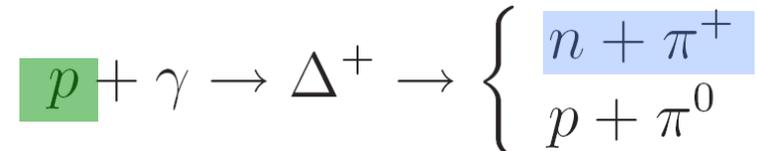
Three extreme cases:

> **Neutron model**

Neutrinos and cosmic rays (from neutrons) produced together

(depends on pion prod. efficiency, blue curve, softer)

(pure neutron model excluded in [IceCube, Nature 484 \(2012\) 351](#))



> **Direct escape** (aka “high pass filter”, “leakage”)

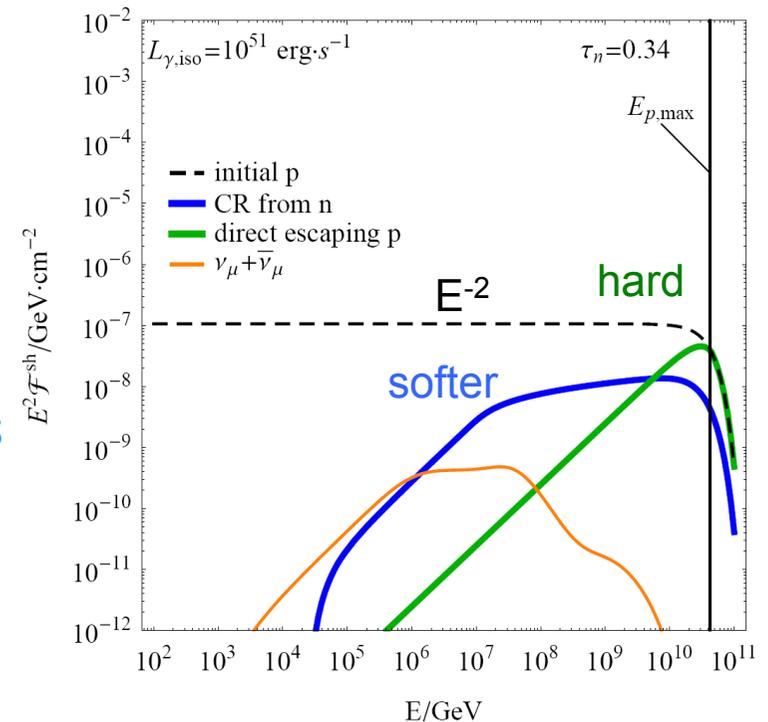
Cosmic rays can efficiently escape if Larmor radius reaches size of shell width

(conservative scenario, green curve, hard)

(from: [Baerwald, Bustamante, Winter, ApJ 768 \(2013\) 186](#); same argument used for nuclei in [Globus et al, 2014](#))

> **“All escape”**: magnetic fields decay quickly enough that charged cosmic rays can escape (most aggressive scenario, dashed curve, $\sim E^{-2}$)

> Diffusion (need spatially resolved models ...)

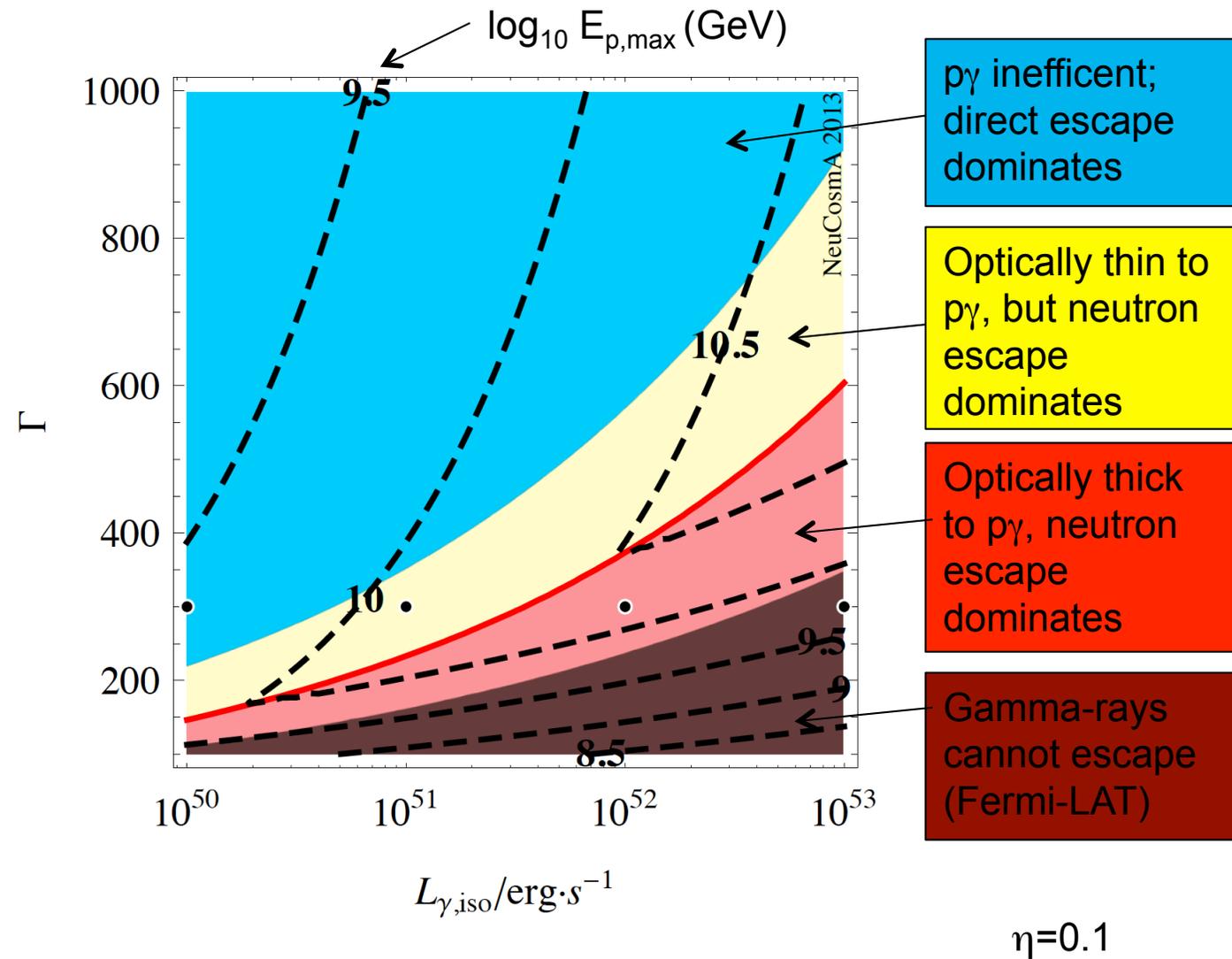


(without prop. effects)



Dependence of escape mechanism on shell parameters

- Escape mechanism depends on shell parameters
- Direct escape dominates if neutrino production is inefficient
- In fact, same model, only different parameters!

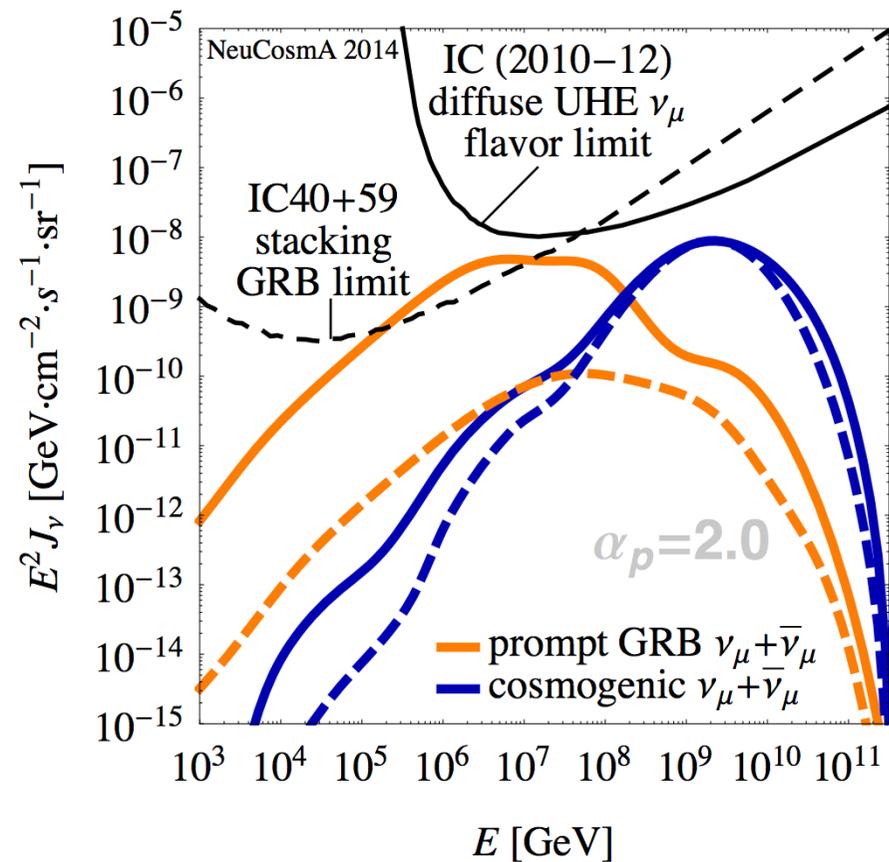
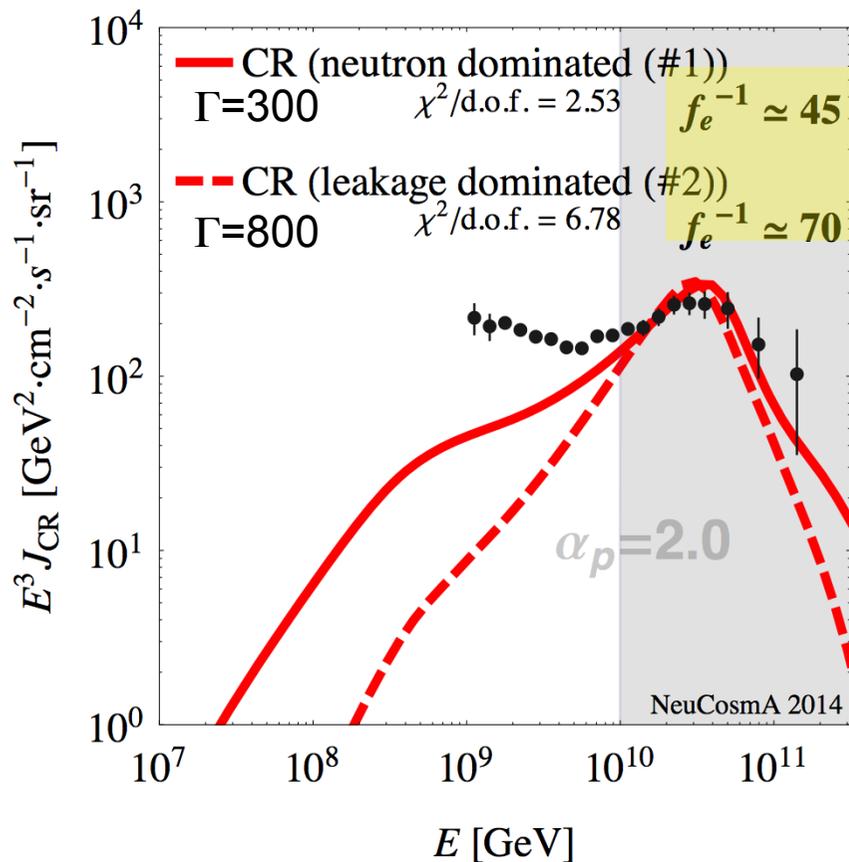


Baerwald, Bustamante, Winter, *ApJ* 768 (2013) 186



Key issue 2: Baryonic loading. UHECR fit to TA data

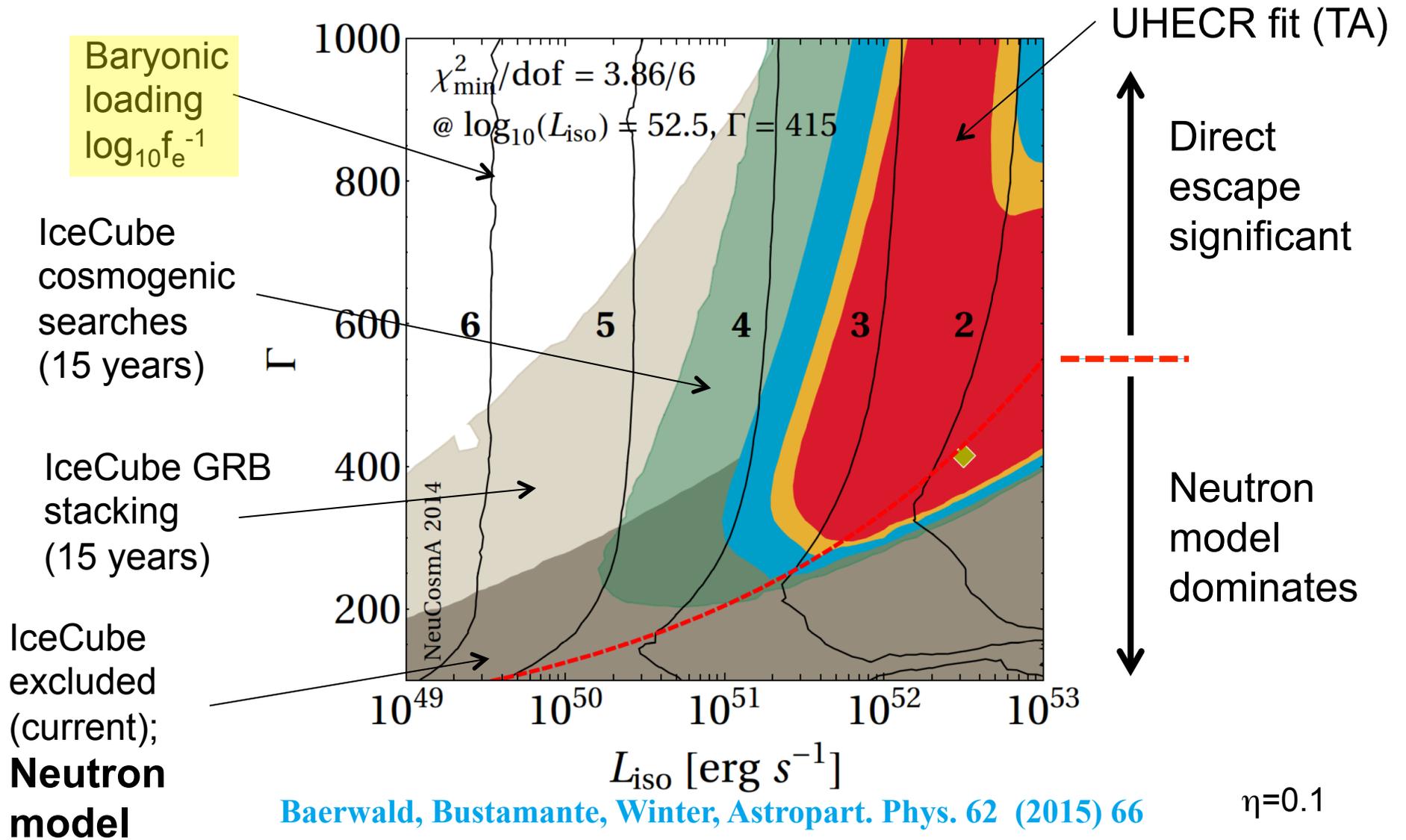
- Baryonic loading (f_e^{-1}) is obtained by the fit to UHECR data (no input!)
- GRBs can be the sources of the UHECRs for reasonable f_e^{-1}



Baerwald, Bustamante, Winter, *Astropart. Phys.* **62** (2015) 66; here figures with TA data



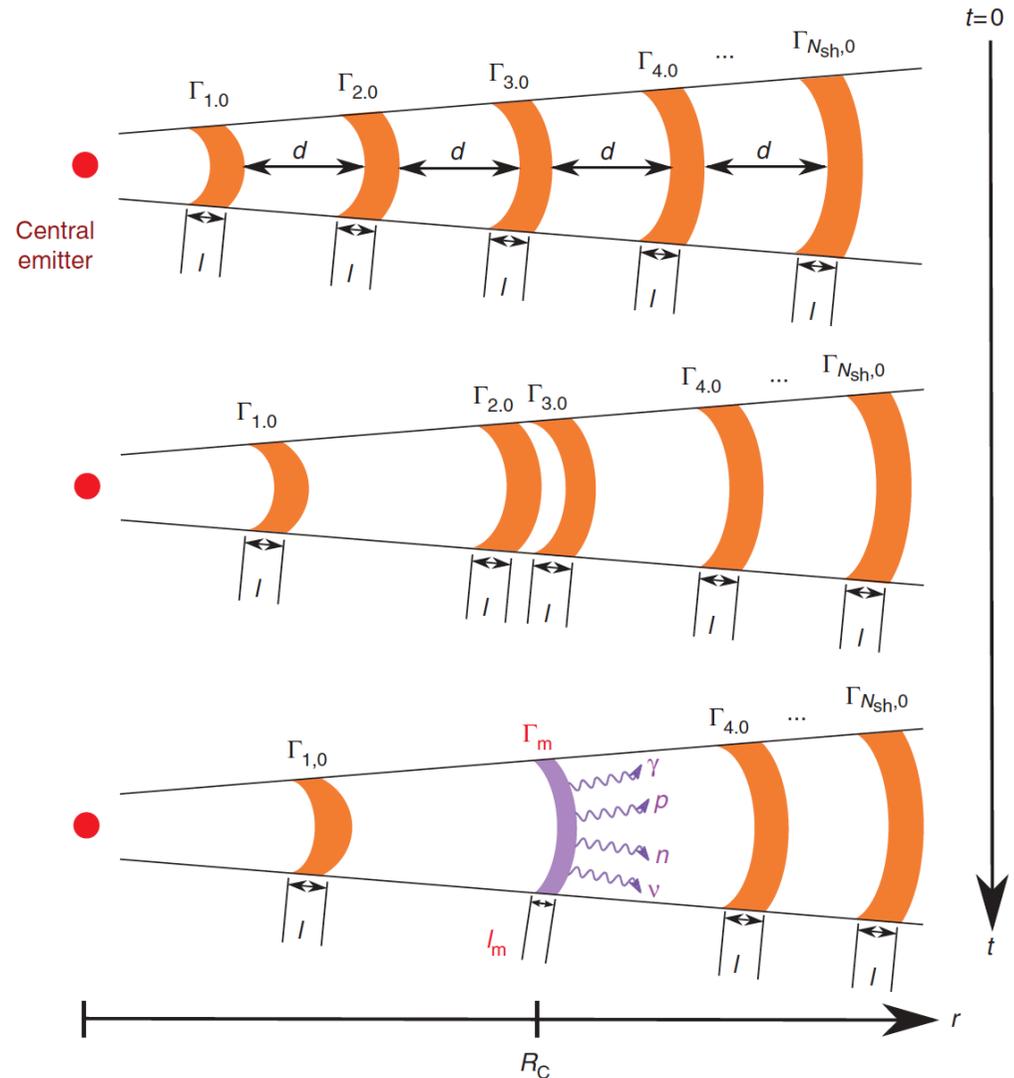
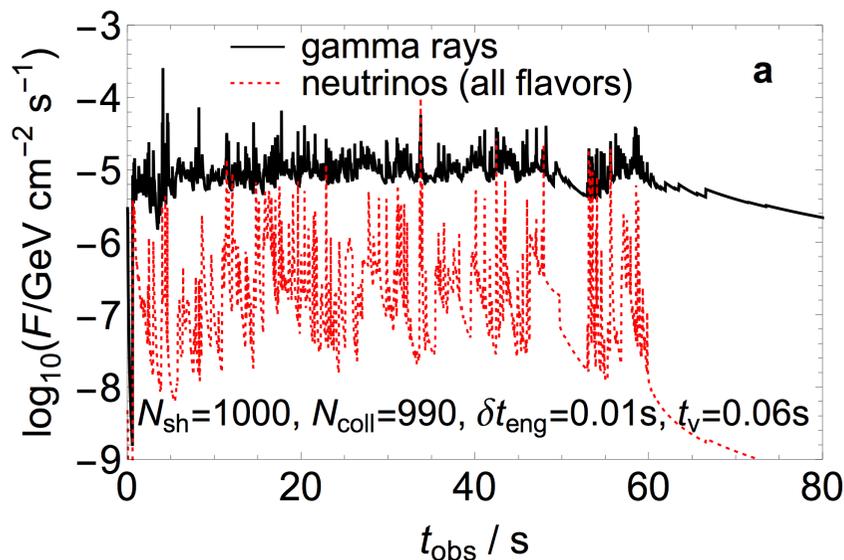
UHECR fit of ankle model: the power of (future) ν data



Key issue 3 (sensitivity to geometry estimators)

Back to the roots: use multiple collision zones

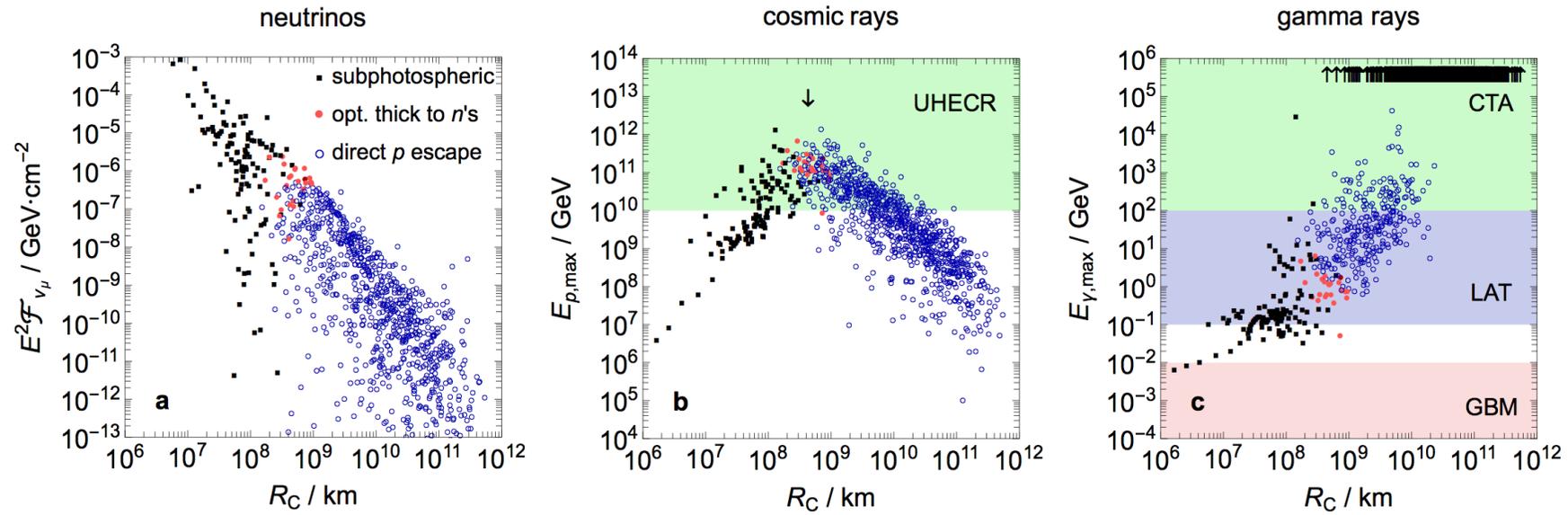
- Set our shells with Γ distribution
- The light curves can be predicted as a function of the engine parameters
- Consequence: Collisions radii are widely distributed!
- Neutrino flux not directly proportional to gamma-ray flux!



Bustamante, Baerwald, Murase, Winter,
 Nature Commun. 6, 6783 (2015)

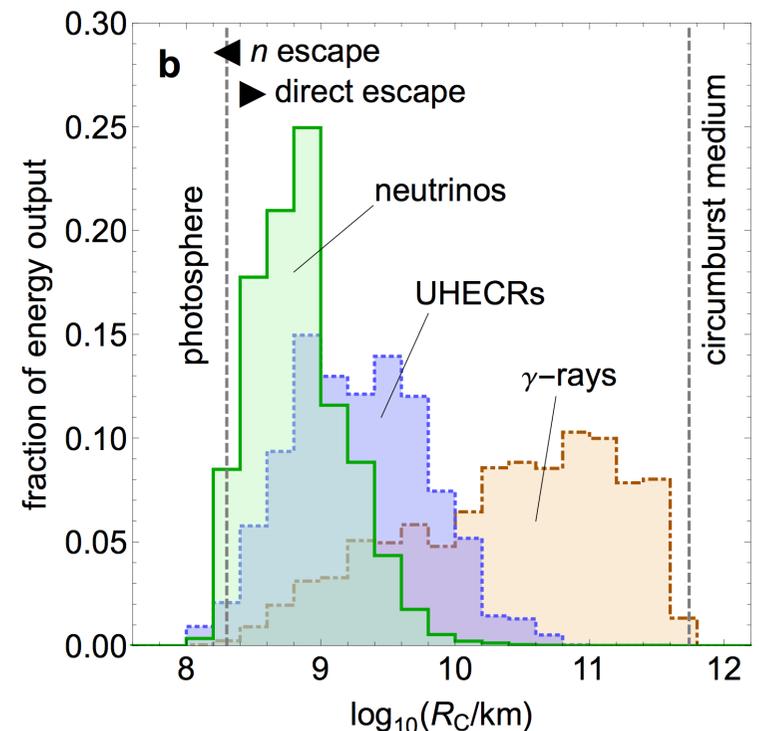


Consequences for multiple messengers from one GRB



- The different messengers originate from different regimes of the GRB where the densities are very different →
- Observables from γ -ray observations may not be representative for the other messengers

Bustamante, Baerwald, Murase, Winter,
 Nature Commun. 6, 6783 (2015)

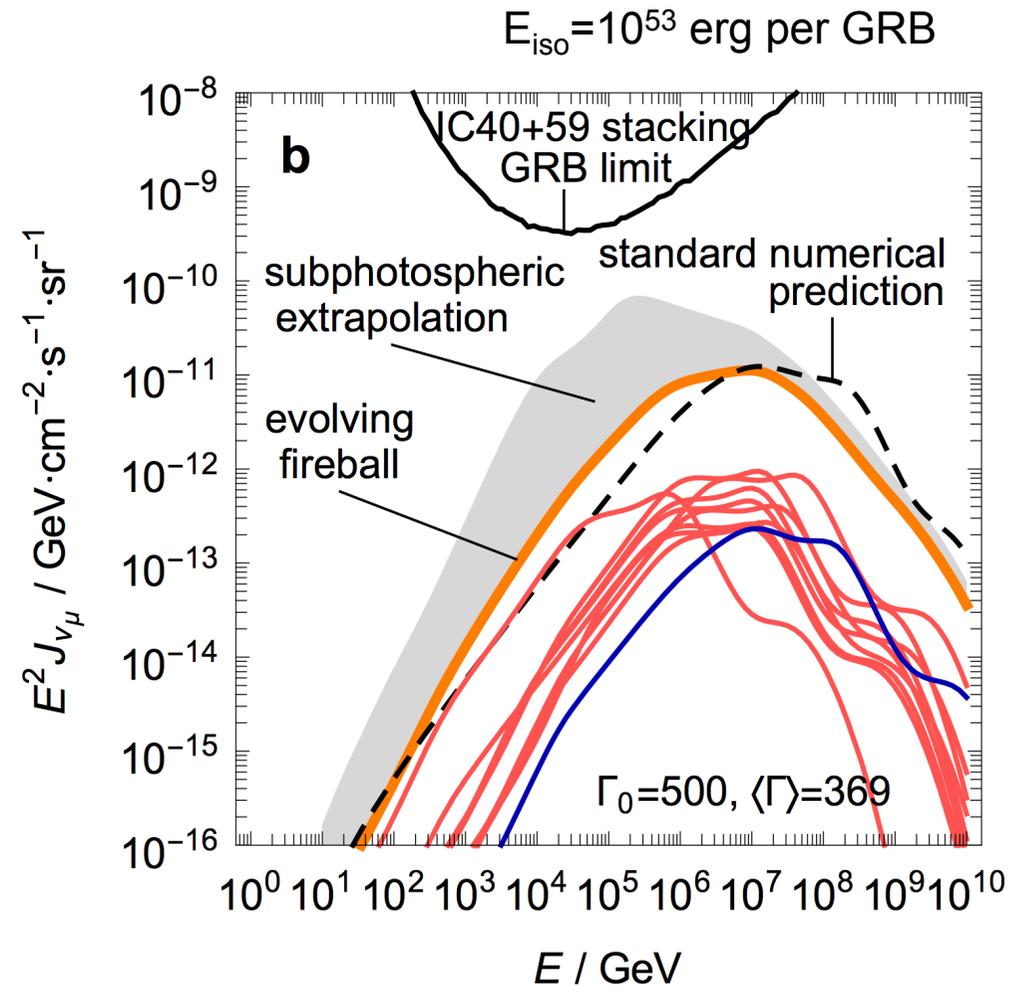


Consequences for neutrino production

- > Logic: can only use **observed** gamma-rays to predict “minimal” neutrino flux. These come from beyond the photosphere

Therefore, this minimal neutrino flux is dominated by a few collisions just beyond the photosphere (red)

- > $E^2 \phi \sim 10^{-11} \text{ GeV cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1}$
- > This prediction is robust (hardly depends on Γ , baryonic loading) because Thomson scattering (\rightarrow photosphere) and $p\gamma$ scale in same way with particle density (for fixed E_{iso})
- > **Moderates key challenge 3**

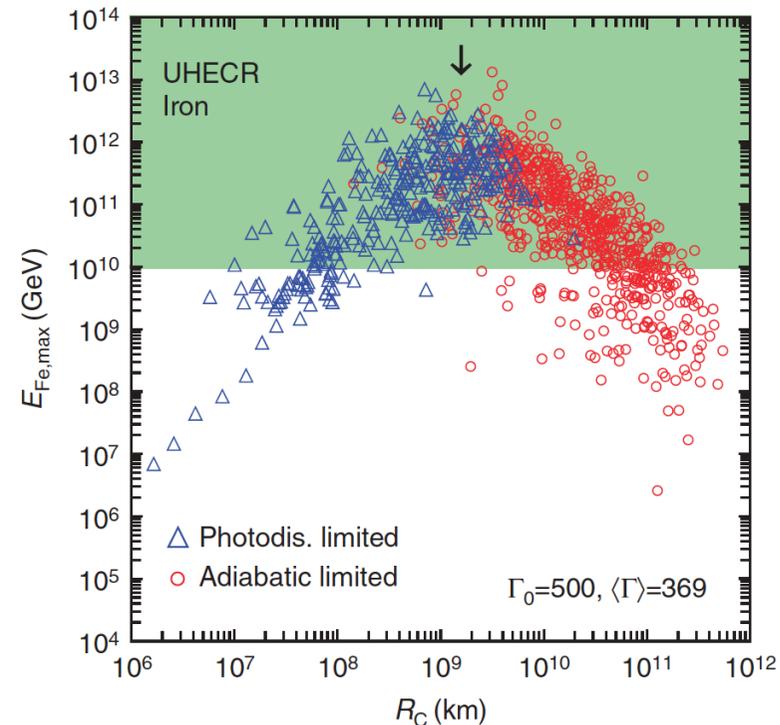
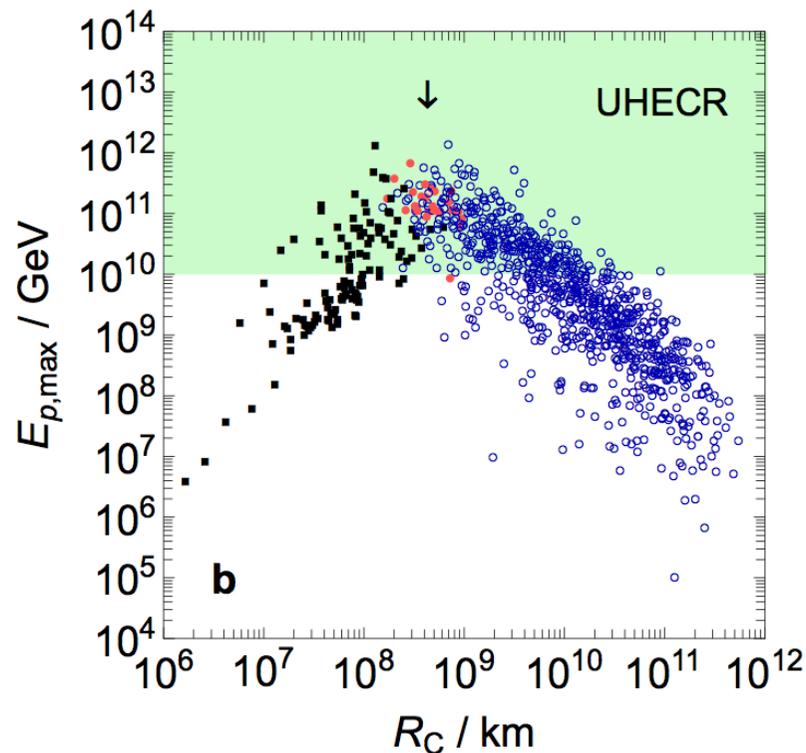


**Bustamante, Baerwald, Murase, Winter,
Nat. Commun. 6, 6783 (2015)**



Key challenge 0: What if ... Auger is right?

- By the same logic, UHECR nuclei can escape from regions where photon densities are lower (relevant R_C somewhat larger)



$\eta=1$

Bustamante, Baerwald, Murase, Winter, *Nat. Commun.* **6**, 6783 (2015); arxiv:1409.2874

- Can describe Auger observations: see [Globus et al, arXiv:1409.1271](#); [arXiv:1505.01377](#)



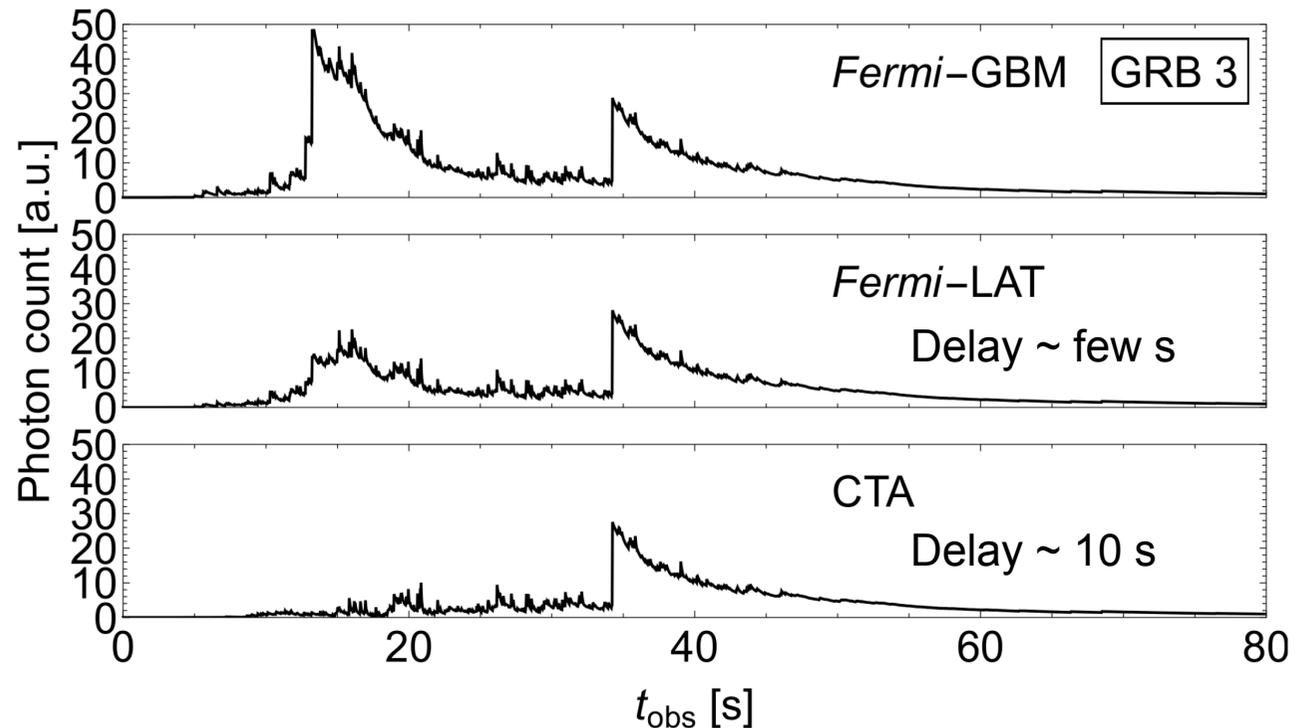
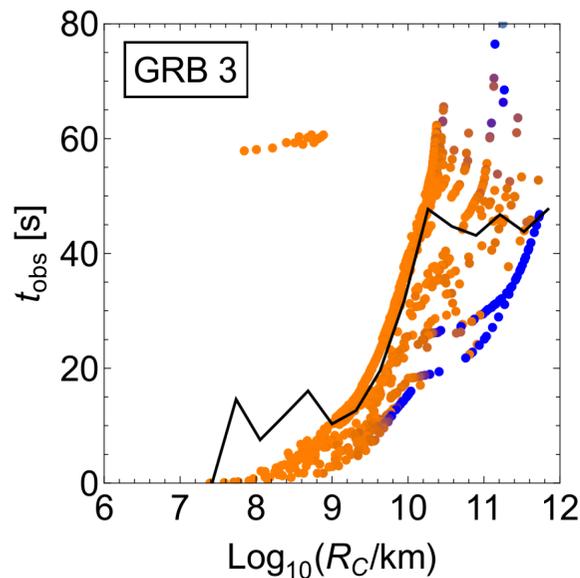
GRBs with central engine Γ ramp-up and slowdown

... first steps towards multi-messenger – multi-wavelength approaches

- Fast variability + pulse structure

Bustamante, Murase,
Winter,
arXiv:1606.02325,
ApJ (to appear)

- Time-delays in high-E bands expected if there is a correlation between R_C and t_{obs} :



- Time delay from suppression of high-E signal by $\gamma\gamma$ interactions from early collisions at low R_C

Summary and conclusions

- > Multi-messenger *astronomy*: use observational arguments (timing, direction, energy, anisotropies, multiplets, ...)
- > Beyond that: analyses typically rely on a theory for the source, which may be sometimes hidden; assumptions have to critically reviewed, and may be over-simplified
- > Bottom-up models predict different production regions for neutrinos, gamma-rays, cosmic rays; consequence: difficult to relate messengers to each other in model-independent way.
Advantage: clues how to search the haystack →
- > Discussed key challenges: Cosmic ray composition, cosmic ray escape, baryonic loading, geometry estimators, self-consistent description of emissions
- > Multi-messenger *astrophysics* can address these questions!
[but we are not yet there ...]

